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Project Bidding Under Chance  
Time Estimates

by  
Russell S. Vogtmann

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A thesis submitted to the Graduate Faculty  
North Carolina State University  
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requirements for the Degree of  
Master of Science

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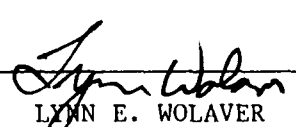
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## Abstract

VOGTMANN, RUSSELL S. 2nd Lt., U.S. Air Force, 1987. Project Bidding Under Chance Time Estimates (Under the direction of Salah E. Elmaghraby.) 76pp. Master of Science, North Carolina State University.

The bidding for the contract of a project is a very important phase in the life of the project. In today's competitive market for a project contract, it is essential to have accurate information in order to make a bid that will yield a profit and still win the contract.

In this thesis, we examine projects that can be modeled by directed acyclic networks under probabilistic activity durations and costs (the PERT model). For a successful bid, the contractor must recognize that there are two streams of cash flow: an "outflow" caused by the undertaking of the activities of the project, and an "inflow" due to income received at the time of realization of pre-designated "key events". Under the PERT model of activity networks, both streams of cash flow are subject to uncertainty. The contractor's problem then becomes that of the estimation of these two streams at sufficient confidence to realize a reasonable profit for him.

A Monte Carlo simulation is developed for solution of the problem, and a computer package has been constructed to assist project managers in the determination of the bid package.

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## 1. INTRODUCTION

The process of bidding for the contract of a particular project is a very important phase in the life of that project. And although bidding (and its precursor, cost estimation) has been a topic of research for decades, it has been largely overlooked in the area of activity networks (ANs). This fact seems odd since from the very beginnings of PERT (Program Evaluation and Review Technique), the Department of Defense has demanded the use of the PERT model of the project in any proposal submitted to it [6]. If the contractor, in his proposal, must submit a network detailing the method by which he plans to complete the project, then it would make sense that he use that information in the preparation of his bid on the project. Presently, for both the contractor and the owner of a project, project bids are typically determined on the basis of 'averages' based on past performance. As a consequence, a project that represents a novel undertaking in either its technological content or in its scope poses a dilemma to both sides, with the blind leading the blind in the ensuing negotiations. And yet, it is precisely these unique features that gave rise to the concept of 'project management' in the first place! [7].

Clearly this method fails to use the information provided in the network model of the project. The reason for this discrepancy, however, does not lie in the hands of the

project manager. The research in the theory of ANs (specifically, directed acyclic networks), since their inception in 1959, has been mainly directed in the following areas [5]: 1) optimal project "compression", 2) optimal planning and acquisition of resources, 3) optimal scheduling under constrained availability of scarce resources, and 4) analysis and synthesis of projects under conditions of uncertainty. Of these four areas, only the first has dealt with cost considerations, and then only in the deterministic case. So we see the theory has not yet evolved sufficiently to be successfully applied to the area of project bidding.

The literature of activity networks has long recognized the need to somehow account for the cost incurred due to the activities. In 1971, Kleindorfer [10] discussed three money flow problems due to an activity: 1) Flows that accrue at the start or end of an activity, 2) Time-varying flows that accrue during the execution of an activity, and 3) Time-varying flows that begin at the start or end of an activity and continue thereafter. These cost considerations, however, have mainly manifested themselves in cost control [5] rather than in determining a project bid prior to the inception of the project. There have been few instances in which an attempt has been made to utilize AN theory to determine that bid.

In 1972, Case [2], in a paper titled "On the Consideration of Variability in Cost Estimating", made an attempt to



determine a cost distribution by using a three estimate approach to estimate activity cost similar to a PERT estimate of activity duration. Then the project cost is the sum of these activity cost random variables (which by appealing to the Central Limit Theorem is approximately normally distributed), from which a mean and variance of project cost could be determined and various probabilistic statements could be made. Unfortunately, this simplistic method falls far short of providing any realistic help in dealing with the problem at hand. In 1974, in a paper titled "Interrelating Project Estimates to CPM Schedules", Badger [1] discussed a method of cross referencing estimate accounts to network activities to provide compatibility between the two project control documents. The approach goes into detail on the allocation of the project resources to the specific activities that require them. This appears to be the first place in the literature that directly uses the project network when making project estimates. The remaining literature effectively ignores the relationship between the project network and project bidding.

It is obvious that the process of infusing the theory of activity networks into the formulation of a project bid has not been adequately addressed to this date, especially in the case of PERT networks.

## 2. PROBLEM STATEMENT

When faced with preparing a bid to submit to the owner of a project, the contractor must analyze the project to determine how he will complete the project. Included in this analysis is the formulation of a project network and the determination of the resources (and consequently costs) that are required to complete it. The contractor will often define various key events in the project at which he will require the owner to make partial payments for work that has been completed, and often requires an initial payment before the work on the project begins.

Farid and Boyer [8] indicate that the bid that results should be the total cost of the project multiplied by a "fair and reasonable markup" (FaRM) of the project cost. The FaRM is viewed as the smallest markup which satisfies the Required-Rate-of-Return (RRR) of the contractor for the particular project at hand. A FaRM of a project, given a RRR, can be obtained via AN theory by analyzing the two streams of cash flow inherent in any project. These streams are: 1) "outflow": payments made by the contractor in executing the project, and 2) "inflow": receipts from the owner of the project at various key events (i.e., those events at which payments are made to the contractor). In the case where all activities in the network can be modeled deterministically (in duration and cost), there is no problem in defining the cost of an activity, and subsequently

the cost of the project. The two streams of cash flow can then be easily obtained given a particular schedule of the network activities, and a FaRM determined. An illustration of this process is presented in section 3.

Russell [13] has formulated a mathematical program to determine the schedule of activities that maximizes the net present value of a deterministic network given cash flows and resource restrictions. Several heuristics were compared for solution of the nonlinear program. The contractor will then have an optimal schedule by which he performs the activities of the project.

Unfortunately, when we are dealing with PERT-type stochastic networks (characterized by activity durations and costs that are both probabilistic), the realization time of a key event as well as the costs of the activities leading to the realization of the key event can only be determined in a probabilistic sense. At this point, the manager of the project must make a decision on the amount of risk he wants to take in the process of setting a delivery date and the cost of the subgraph of the key event. Further complicating the issue of obtaining a FaRM in PERT networks is the problem of scheduling the activities necessary to calculate the stream of cash "outflow".

When these problems are adequately addressed in the case of a PERT network, we will have a logical and theoretically sound method of determining a bid package for projects

that can be modeled as directed acyclic networks. This method would appear to be superior to methods that are presently used to determine bids in industry. Whether it will be practical in real-life situations has yet to be determined.

#### Purpose of Research

The purpose of this research is to address the problem of determining a bid package -- i.e., the payment amounts and dates, for projects that can be modeled by a directed acyclic network.

### 3. A DETERMINISTIC EXAMPLE

The simplest form of the bidding problem in the context of ANs lies in the deterministic (CPM) model. This model is a first step to solving the more general probabilistic model. In this case, it is easy to determine the two streams of cash flow, and consequently calculate the FaRM given a RRR. The following example will introduce some necessary concepts of the bidding problem, which will then be generalized to the probabilistic model that is the main concern of this thesis.

Assume it is desired to bid on a project that is modeled with the data in Table 1 and the network in Figure 1.

Table 1. Activity Durations and Costs for CPM Example.

-----			
Activity		Duration	Cost/day Fixed Cost
-----			
1.	Excavate	2	100 500
2.	Foundation	4	300 1000
3.	Rough wall	10	250 1000
4.	Rough ext. plumbing	4	150 200
5.	Roof	6	250 1000
6.	Rough interior plumbing	5	150 200
7.	Rough electrical work	7	100 200
8.	Exterior siding	7	75 200
9.	--dummy--	0	0 0
10.	Exterior painting	9	40 50
11.	Wall board	8	40 25
12.	Interior painting	5	40 50
13.	Flooring	4	75 100
14.	--dummy--	0	0 0
15.	Exterior fixtures	2	200 100
16.	Interior fixtures	6	100 300
-----			

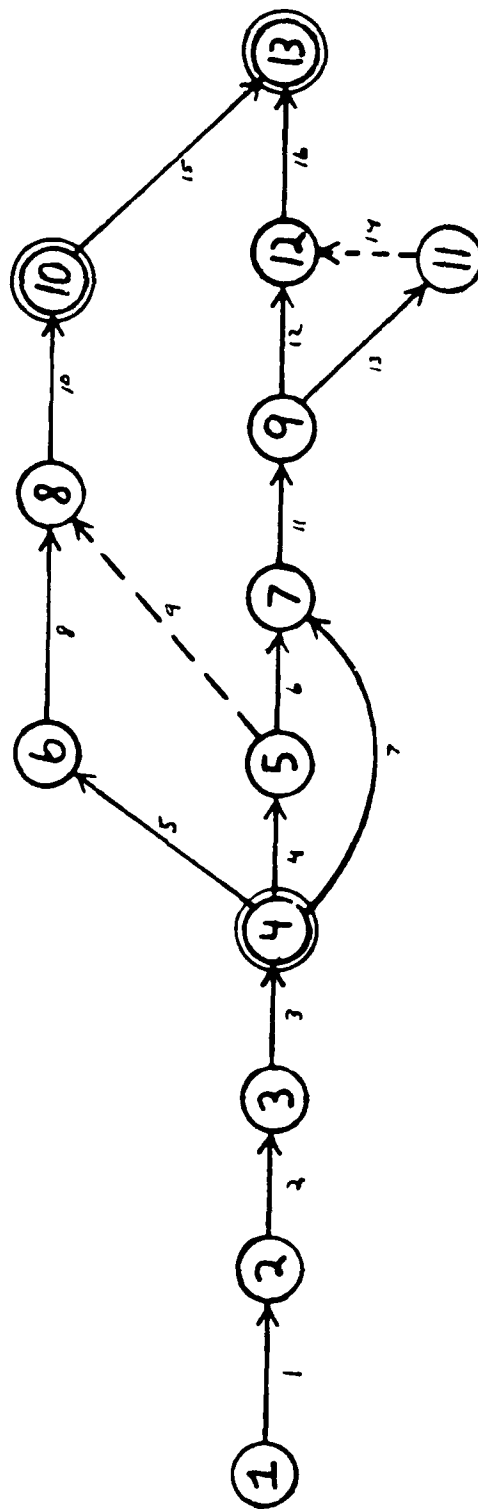


Figure 1. Network for Deterministic Example.

Table 2. Bar Chart and Cash "Outflow" for CPM Example.

Act	Dur	.	.	.	.	.	.	.	.	.
1	2	--								
2	4	----								
3	10		-----							
4	4			----						
5	6			-----						
6	5				-----					
7	7			-----						
8	7				-----					
9	0									
10	9					-----				
11	8					-----				
12	5						-----			
13	4						-----			
14	0									
15	2							--		
16	6							-----		
"outflow"		2600	2300	1250	3650	2175	615	700	1390	400

The key events of the project have been pre-determined to be 4, 10, and 13, and for this example assume that all activities are scheduled to begin at their earliest start times. (The implications of activity float in the deterministic model of this problem will be discussed near the end of the example). The bar chart in Table 2 shows when each activity is scheduled to be performed, as well as the cost incurred per period (assume a 'period' length of 5 'units'; e.g., a period represents a week of 5 days). Note that in this deterministic example, the activity schedule is very well defined. The cost incurred in a period is calculated by adding the fixed costs of activities that begin in the period plus the cost/day of the activities performed in the period times the number of days that they are performed in that period. To illustrate, the calculations for the cash "outflow" in periods 1 and 7 are shown.

period 1

activity	fixed cost	cost/day	# days	total cost
-----	-----	-----	-----	-----
1	500	100	2	700
2	1000	300	3	1900
				----

cost incurred in period 1 = 2600

period 7

activity	fixed cost	cost/day	# days	total cost
-----	-----	-----	-----	-----
10	---	40	5	200
11	---	40	3	120
12	50	40	2	130
13	100	75	2	250
				---

cost incurred in period 7 = 700



To calculate the cash "inflow" of the project, we must determine two elements: (i) the cost associated with the subgraph of each key event, which is then multiplied by some 'markup' to obtain the cash "inflow", and (ii) the time of realization of the key event. The cost of the subgraph to the key event is the sum of the costs of the activities in the subgraph. These calculations are displayed below and summarized in Table 3.

key event 4

activity	fixed cost	cost/day	# days	total cost
-----	-----	-----	-----	-----
1	500	100	2	700
2	1000	300	4	2200
3	1000	250	10	3500
				----
cost of subgraph =				6400

key event 10

activity	fixed cost	cost/day	# days	total cost
-----	-----	-----	-----	-----
4	200	150	4	800
5	1000	250	6	2500
8	200	75	7	725
9	0	0	0	0
10	50	40	9	410
				----
cost of subgraph =				4435

key event 13

activity	fixed cost	cost/day	# days	total cost
-----	-----	-----	-----	-----
6	200	150	5	950
7	200	100	7	900
11	25	40	8	345
12	50	40	5	250
13	100	75	4	400
14	0	0	0	0
15	100	200	2	500
16	300	100	6	900
				----
cost of subgraph =				4245

Table 3. Cost of Subgraphs and Realization Times for CPM Example.

Key event	cost of subgraph	realization time
4	6400	16
10	4435	38
13	4245	44

Table 4 displays the cash flows for the project given a zero markup of cost for the cash "inflow".

Table 4: Cash Flows for CPM Example (assuming a zero cost markup, and the percentage of the project cost that we require at the beginning of the project is 0%).

Period	1	2	3	4	5	6	7	8	9
"outflow"	2600	2300	1250	3650	2175	615	700	1390	400
"inflow"				6400				4435	4245

Now, given this information, we should be able to calculate the FaRM for this project for a given RRR. For the sake of this example, let  $RRR=20\%$ , initial capital=\$500, interest rate on money deposited=10%, interest rate on money borrowed=15%, and the retention percentage=12%. Then if we perform the required calculations of simple financial management (i.e. paying the cash "outflow", receiving the cash "inflow", depositing money at an interest rate, and borrowing money at an interest rate when applicable), we obtain a  $FaRM=1.2051$ . The pertinent results of the calculations are displayed in table 5 where it is assumed that the cash "out-

flow" is incurred at the beginning of the period and the cash "inflow" occurs at the end of the period (e.g., the cash "outflow" in period 5 and the cash "inflow" in period 4 occur simultaneously in the calculations at the beginning of period 5) This would indicate that we make a bid of \$18,247.22 in this project which has a cost of \$15,141.17.

The progress payments can be easily determined using the FaRM and the cost of the subgraphs. These progress payments are \$7721.80, \$5371.18, \$5153.65, respectively.

Table 5. FaRM Calculations for Deterministic Example

FaRM (Activity Worth / Activity Cost ) = 1.2051

<u>Period</u>	<u>Interest</u> *	<u>Cash Balance</u> **	<u>Retention</u> #	<u>Cum Ret.</u> ##
0	-----	500.00	----	----
1	(4.02)	-2104.02	0.00	0.00
2	(8.45)	-4415.62	0.00	0.00
3	(10.86)	-5679.91	0.00	0.00
4	(17.91)	-9362.82	0.00	0.00
5	(9.11)	-4763.44	926.65	927.86
6	(10.32)	-5392.97	0.00	929.07
7	(11.69)	-7528.14	0.00	931.50
9	(6.14)	-3211.87	644.56	1578.12
10	1.73	1325.21	618.46	2199.45
11	1.73	1326.94	0.00	2202.32

Terminal Cash Position### = 3529.26  
Profit = .200

\*Interest on money borrowed is in parenthesis.

\*\*Cash balance at end of period.

#Amount retained at beginning of period.

##Cumulative retention at end of period.

###Terminal cash = cash balance + cum.retention.

### Activity Float Considerations

The above FaRM was obtained assuming that all activities begin at their earliest start times. Of course, in the deterministic model, all activities that are not contained in the critical path have float. Therein lies the only possible flexibility in the bidding strategy for the deterministic model. Logic dictates that the contractor would want to start all activities as late as possible (thereby delaying his disbursements) without causing a delay in the realization times of the key events (and subsequently delaying his cash "inflow"); see Russell [13].

Note that if the contractor has overhead that is incurred from the beginning to the end of the project, he can simply add another arc in the network from the start node to the terminal node indicating the appropriate cost/unit time. This process of adding arcs to the network can be used to model costs that are inherent in the execution of any project (be it overhead cost or otherwise). The network of Figure 2 illustrates this point. If we add an arc from node 1 to node 13 with a duration of 44, a fixed cost of zero and a cost/day of 25.00 for administration plus 35.00 for overhead cost, and a zero duration arc from node 13 to node 14 to model some fixed cost of 500.00 incurred at the conclusion of the project, the network in Figure 2 results. Assuming the same values for capital, RRR, etc., one obtains a FaRM=1.2055. This would result in a bid of \$22,061.70 for the

project that has a cost of \$18,300.79.

This deterministic example displays the cash flow concepts involved in the bidding problem. When we generalize this model to include activities and costs that are probabilistic in nature, we introduce complications in the realization time and cost of subgraphs of key events, as well as in determining the cash "outflow" of the project.

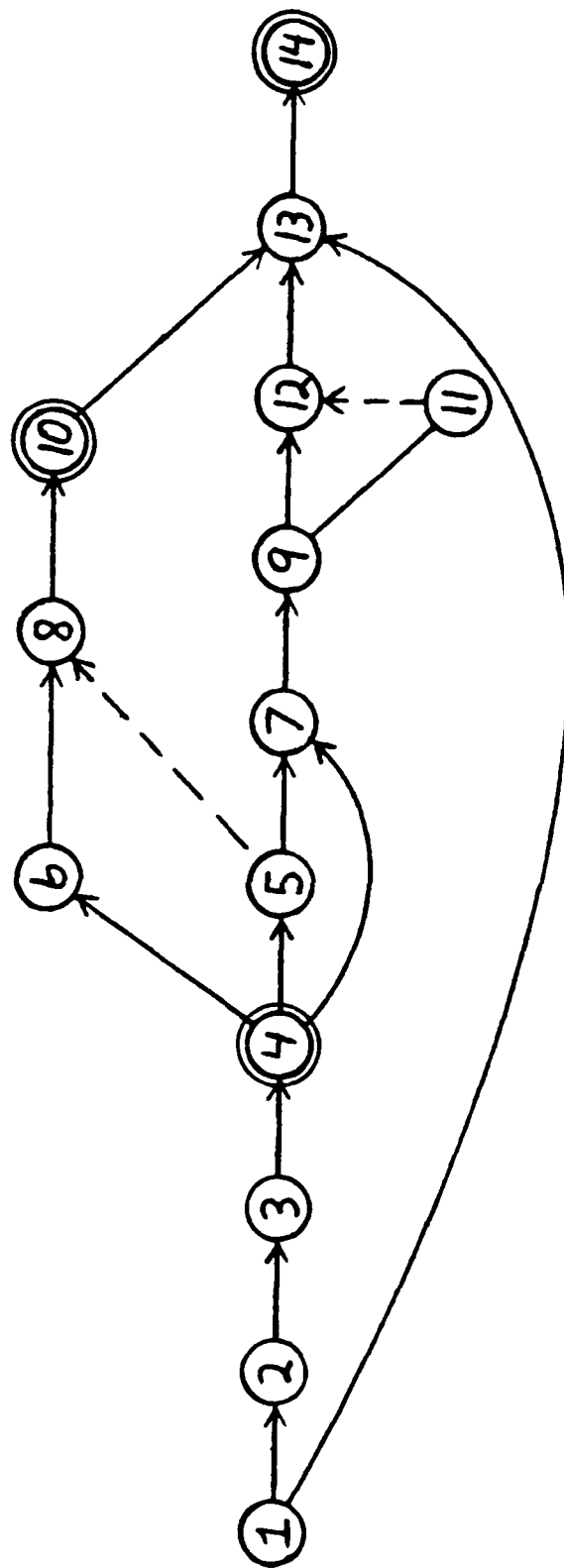


Figure 2. Network of Fig.1 with Added Costs

#### 4. METHODOLOGY

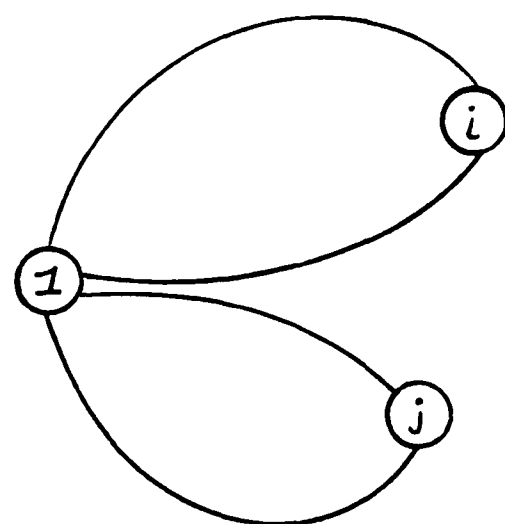
From this point on, when referring to the bidding problem, we assume the structure of the AN is known. From a theoretical point of view, the major problem is the determination of the appropriate method of separation of cost of activities that belong to more than one key event. To this end, we examine the subgraphs of the various key events of a project. Define a subgraph of a node in a network as the subnetwork terminating at that node. If we define  $S(i)$  = {set of activities belonging to the subgraph of key event  $i$ }, then for key events  $i$  and  $j$ , either (a)  $S(i)$  and  $S(j)$  are disjoint (no common activities), (b)  $S(i)$  is a subset of  $S(j)$  or  $S(j)$  is a subset of  $S(i)$ , or (c)  $S(i)$  and  $S(j)$  overlap (i.e. they have elements in common, but neither is a subset of the other). Figure 3 graphically displays these situations.

##### 4.1 Cost Separation of Common Activities

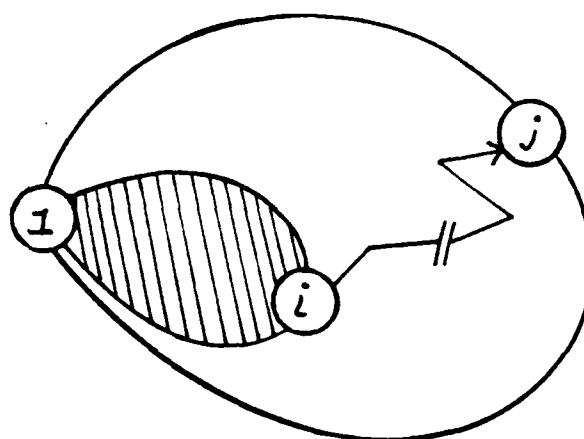
When  $S(i)$  and  $S(j)$ , for all  $i \neq j$ , are disjoint, the cost of each activity is assigned to its respective key event.

When  $S(i)$  is a subset of  $S(j)$ , the cost of the subgraph of  $S(i)$  is assigned to key event  $i$ , and the cost of the remaining activities is assigned to key event  $j$ .

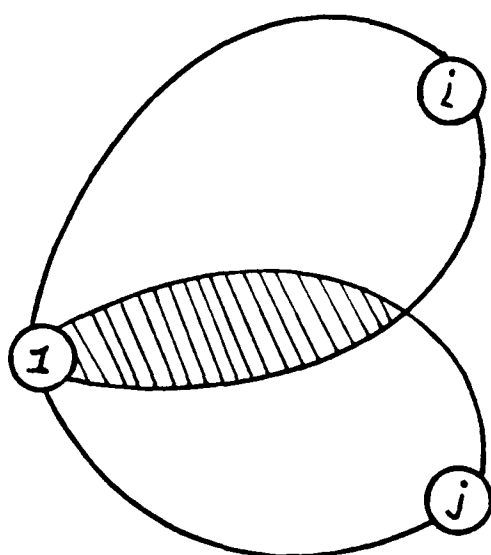
If  $S(i)$  and  $S(j)$  overlap, a situation exists in which an activity is in the subgraph of more than one key event



(a)



(b)



(c)

Figure 3: Relationships between Subgraphs of Key Events



and neither is a subset of the other. The simple network example in Figure 4 (with key events 4, 5, and 6) will illustrate these concepts: activity 'a' is common to all key events, activity 'c' is common to key events 4 and 6, activities 'b', 'd', and 'e' are common to key events 5 and 6, and activities 'f' and 'g' are unique to key event 6. Since activities 'f' and 'g' are unique to key event 6, their cost is attributed to that key event. The costs of the remaining activities are assigned to either key event 4 or 5. Clearly, the cost of activity 'c' is assigned to key event 4, and the costs of activities 'b', 'd', and 'e' are assigned to key event 5.

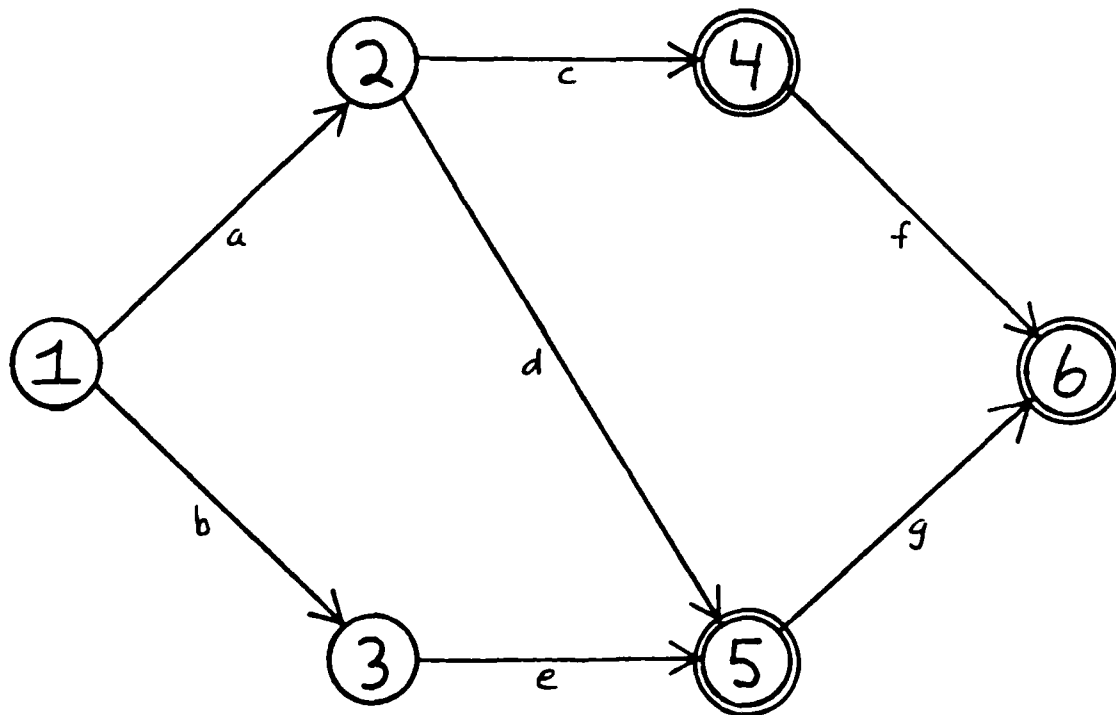


Figure 4: Network Illustrating Common Activities

Since activity 'a' is common to 4 and 5, we must either assign the cost of activity 'a' to one of the key events or divide its cost, attributing a percentage of its cost to each key event in such a manner so there is no "double costing" for the same activity. The contractor would want to receive the payment for common activities as early as possible, thereby maximizing his profit, and the owner would rather pay as late as possible, thus minimizing his expense. We wish to address this issue objectively and obtain a logical and consistent method of separating the costs of the common activities.

There are many heuristics that could be used to address this problem. The following are just a few:

Heuristic 1. Separate costs based on the probability of the earliest realization of the key events.

Heuristic 2. Separate costs based on the activity criticality index in each key event subnetwork.

Heuristic 3. Separate costs based on the relative cost of the subgraphs of the key events.

Heuristic 4. Separate costs based on the criticality index of the key events themselves.

In section 4.3 we criticize heuristics 2-4, but we first develop an argument supporting heuristic 1. Since the key event that is realized first requires the common activities to be completed by its realization time, it is reasonable to assign the cost of the common activities (or a large

portion of it) to that key event. In mathematical terms, it seems reasonable to attribute a greater share of the cost of common activities to those key events having the greatest probabilities of being realized first. Note that in a deterministic network, this would translate into attributing the entire cost of common activities to the key event that is realized at the earliest time.

To illustrate, we continue the analysis of the network in Figure 4. The subgraphs of key events 4 and 5 are shown in Figure 5. Assume that all activity durations are distributed as a Gamma random variable with parameters ( $t=2$ ,  $\lambda=1$ ). Then, the realization time distributions, means, and variances are as listed in Table 6. The calculations required to determine the distribution functions are summarized in table 7.

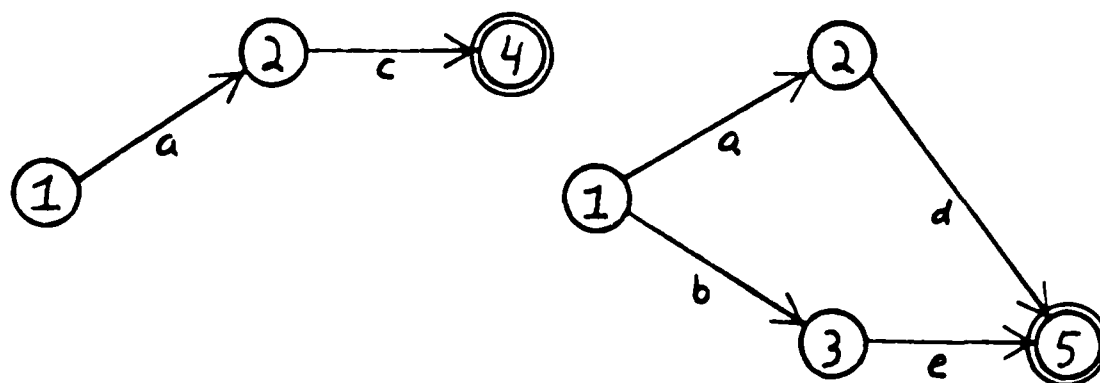


Figure 5: Subgraphs of Key Events 4 and 5

Table 6: Parameters of key events 4 and 5 of Figure 4.

Node 4:  $T_4 = Y_a + Y_b$

$$F_4(t) = 1 - \exp(-t) * (1 + t + t^2/2 + t^3/6)$$

$$\text{Mean} = 4$$

$$\text{Variance} = 4$$

Node 5:  $T_5 = \max \{ Y_a + Y_d ; Y_b + Y_e \}$

$$F_5(t) = 1 - 2 * \exp(-t) * (1 + t + t^2/2 + t^3/6)$$

$$+ \exp(-2*t) * (1 + t + t^2/2 + t^3/6)^2$$

$$\text{Mean} = 5.46$$

$$\text{Variance} = 4.17$$

Table 7: Realization Time Distribution Calculations for  
Example Network

Random Variable	Representation	Probability Distribution Function
$T_1$	0	
$T_2$	$Y_a$	$1 - \exp(-t) * (1 - t)$
$T_3$	$Y_b$	$1 - \exp(-t) * (1 - t)$
$T_4$	$T_2 + Y_c$	$1 - \exp(-t) * (1 + t + t^2/2 + t^3/6)$
$W_1$	$Y_a + Y_d$	$1 - \exp(-t) * (1 + t + t^2/2 + t^3/6)$
$W_2$	$Y_b + Y_e$	$1 - \exp(-t) * (1 + t + t^2/2 + t^3/6)$
$T_5$	$\max(W_1, W_2)$	$1 - 2 * \exp(-t) * (1 + t + t^2/2 + t^3/6)$ $+ \exp(-2*t) * (1 + t + t^2/2 + t^3/6)^2$

The probability density functions of the node realization times are graphed in Figure 6.

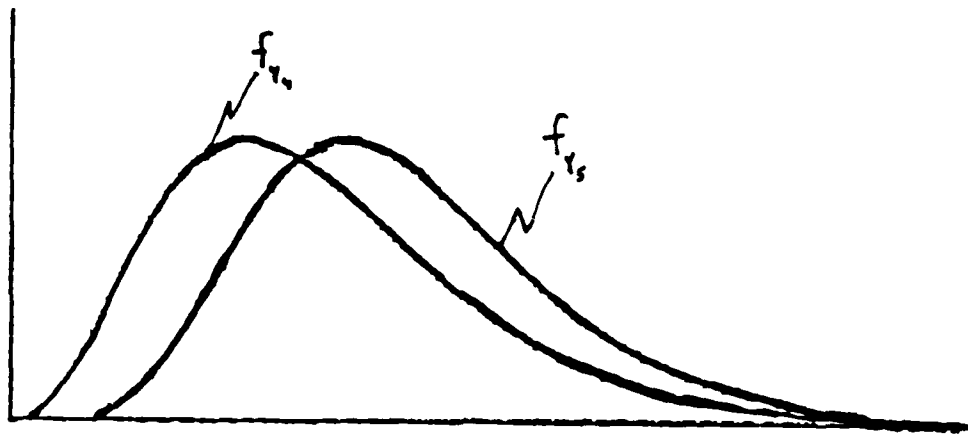


Figure 6: Density Functions of Key Events 4 and 5

If we let  $Y_4$  denote the realization time of key event 4 and  $Y_5$  denote the realization time key event 5, then from the data it is clear that  $\Pr(Y_4 < Y_5)$  will be relatively high (the allocation calculations will be presented in section 4.2). Therefore, we will allocate a greater percentage of the cost of activity 'a' to key event 4.

In general, the allocation percentage of key event  $i$  would be calculated as follows: let  $Y_i$  denote the realization time of key event  $i$  (the key event for which we desire to determine the cost allocation percentage), and  $Y_j$  denote the realization time of key event  $j$ , for  $j \in H(i)$ , where  $H(i)$  is the set of key events that share activities with key event  $i$ , and let  $N$  denote the number of key events in  $H(i)$ .

Furthermore, let  $A_j$  denote the event  $[ Y_i \leq Y_j ]$  (i.e. key event  $i$  is realized before key event  $j$ ), for  $j \in H(i)$ , and let  $\text{Prop}(i)$  denote the proportion of the cost of common activities allocated to key event  $i$ . Then,

$$\text{Prop}(i) = \Pr \{ A_1, \dots, A_N \}. \quad (1)$$

This yields the probability that key event  $i$  is realized first. Unfortunately, this probability statement is not immediately amenable to solution since the  $A_j$ 's are not independent. To resolve this, we assume independence of the elements in  $H(i)$  and condition on the random variable  $Y_i$ . Let  $B_j$  denote the event  $[ Y_j \geq y ]$  (i.e. node  $j$  is realized after time  $y$ ), for  $j \in H(i)$ . Then since we assume that the  $Y_j$ 's are independent,

$$\text{Prop}(i) = \int_0^\infty \Pr \{ B_1, \dots, B_N \} * dF_Y(y) \quad (2)$$

$$= \int_0^\infty \Pr \{ B_1 \} * \dots * \Pr \{ B_N \} * dF_Y(y) \quad (3)$$

Therefore, when we know the forms of the distribution functions of the realization times of the key events, we can use the above equation to solve for the cost allocation percentages.

#### 4.2 Method of Separating Costs of Common Activities

The algorithm presented next is based on the above argument. To facilitate the computations, we make the following assumptions: 1) realization times of key events are normally distributed (or can be thus approximated), and 2) the events  $A_j$  can be considered independent.

The computer software developed uses either this method, or permits the user to assign proportions as he sees fit.

Cost Separation Algorithm:

- 1) Denote the key event with the smallest mean by key event  $s$ , then determine the probability,  $p(i)$ , that key event  $s$  is realized before key event  $i$ , for  $i \in H(s)$ .

$$p(i) = \Pr \{ Y_s \leq Y_i \} \quad (4)$$

---if  $p(i)$  is greater than or equal to 0.9, assign a proportion of zero to key event  $i$ . This is an arbitrary cut-off point.

- 2) all remaining key events are given percentages as follows:

---let  $w(i) =$

$$= \Pr \{ Y_i \leq Y_1 \} * \dots * \Pr \{ Y_i \leq Y_N \} \quad (5)$$

---then, let the proportion  $\text{Prop}(i) = w(i) / \sum_i w(i)$

Applying the above algorithm to the example network in Figure 4 yields:

$$p(5) = \Pr \{ Y_4 \leq Y_5 \} = .695$$

Therefore,

$$w(4) = .695, \text{ or } \text{Prop}(4) = .695,$$

$$\text{and } w(5) = .305, \text{ or } \text{Prop}(5) = .305.$$

Therefore, we allocate 69.5% of the cost of activity 'a' to key event 4, and 30.5% of the cost to key event 5.

To show the limiting case when the probability of realizing one key event earlier than another is very high, let



the network in Figure 4 be modified as follows: activity 'c' is distributed as a Gamma ( $t=20$ ,  $\lambda=1$ ). The resulting distribution parameters are:

node 4: mean = 22, variance = 22,

and node 5: mean = 5.46, variance = 4.17.

The cost separation algorithm results in the following:

$$p(4) = \Pr \{ Y_5 \leq Y_4 \} = .999$$

Therefore,

$$\text{Prop}(4) = 0.0, \text{ and } \text{Prop}(5) = 100.0$$

The algorithm assigns the entire cost of activity 'a' to key event 5, as intended.

#### 4.3 An Alternative Cost Separation Method

Heuristic 2 suggests an alternate method of cost separation that considers the importance of the common activities to their respective key events. We examine it here to display a problem that it shares with heuristics 3 and 4. To illustrate, consider the network of Figure 7. Then the activities that are common to key events 4 and 5 are 'a', 'b', and 'd'. The criticality index of an activity is defined as the probability that the activity is on the critical path; see Elmaghraby [5], p. 277. Now, if we define the importance of the activity as the criticality of the activity in the subgraph of the key event, we can determine a percentage to assign to the key events.

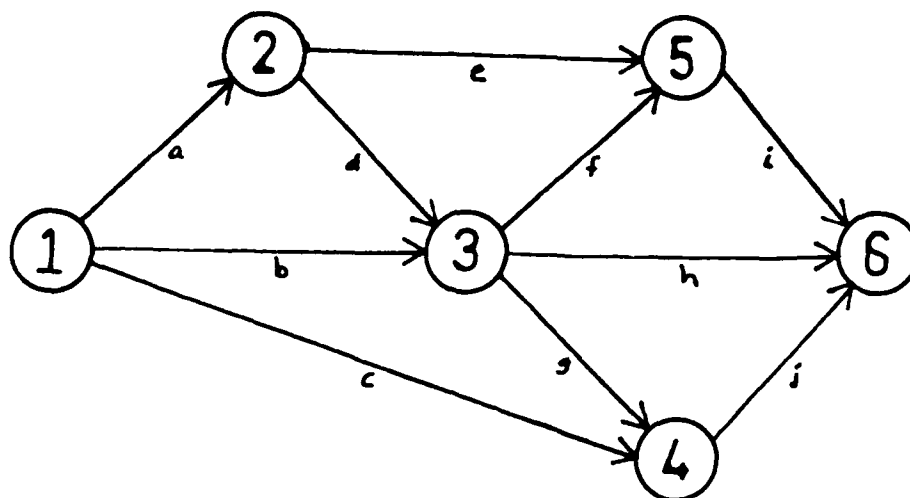


Figure 7: Network Example for Alternative Cost Separation Method

Figure 8 shows the key event subgraphs and the approximate activity criticality indices for the given activity duration distributions.

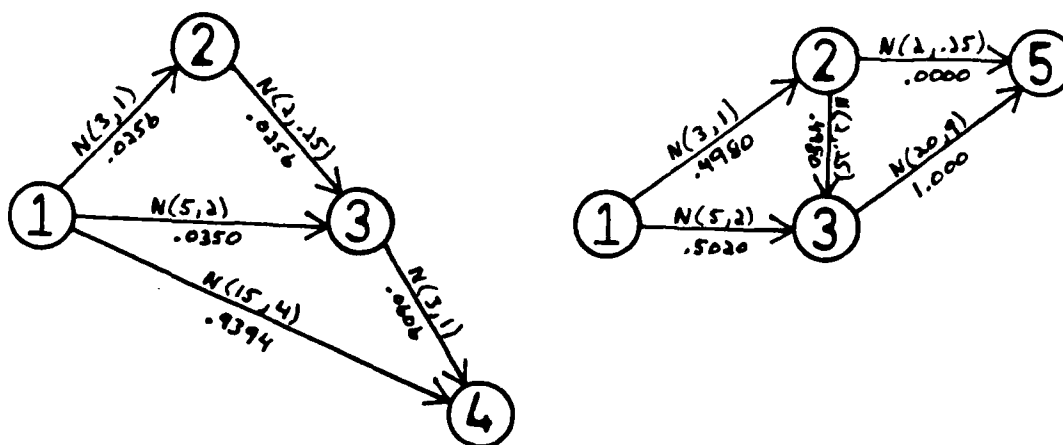


Figure 8: Subgraphs of Key Events 4 and 5 of Fig. 7

Activity 'b' has a criticality index of .035 in the subgraph of node 4, and .502 in the subgraph of node 5. This gives us an indication of the relative importance of activity 'b' to its key events from which we can determine a percentage of the cost allocation. Thus, according to the logic of this heuristic, the overwhelming majority of the cost of activity 'b' should be allocated to key event 5.

Although this method of separating costs is intuitively appealing, it ignores the fact that the total activity cost is incurred long before the key event, to which we have attributed a majority of the common activity cost, is realized. The network in Figure 7 illustrates this problem. We expect to realize node 4 before time 20.1 with probability .95, and expect to realize node 5 after time 23.1 with probability .95. Therefore, the total cost of activity 'b' is expected to be expended long before node 5 is realized, yet we do not account for most of it until node 5 is realized because of the method of cost allocation. Clearly, this is not in the best interest of the contractor who is trying to maintain liquidity. Also, in a PERT network, determining the criticality index of an activity, or even approximating it, is a difficult problem; see Dodin and Elmaghraby [4].

#### 4.4 Distributions Associated With Key Events

Before a bid proposal can be submitted, the contractor

needs to know how much he is going to bid at the various key events and the dates at which he is going to promise delivery of various portions of the project. If we are dealing with a deterministic network (in both duration and cost), there is no ambiguity as to either of these quantities. The completion date takes on a value that has probability 1, as does the cost. In this case, then, a bid can be prepared and submitted with no risk to the contractor, and hence, his profit is secure.

More realistically, however, one cannot assume that all quantities in the model are deterministic. We must assume that activity duration is only defined in a probabilistic sense as a random variable, and cost is some function of the duration (and subsequently a random variable itself), or is conditional on the observed duration. This results in the realization times and costs at key events being defined as random variables.

#### 4.4.1 Realization Time Distribution

In a given project, a contractor may have many different key events at which he must deliver a product, or a portion of a product, to the owner of the project. The contractor, in his proposal, will give target dates by which he must deliver these products, and in the case of an overrun he will assume some penalty for being late. Since there is most likely competition for the project, a contractor must

submit a competitive delivery date for any chance of getting the contract. If this is the case, the contractor will be assuming a risk of observing realization times of the key events beyond those at which he promised delivery. To clarify this, the contractor's bid options include two extreme strategies: 1) Very conservative -- in this case, he will bid a long duration and correspondingly high cost which may well result in not receiving the contract and therefore making no money, and 2) Very optimistic, in which case he will bid an early completion time and corresponding low cost resulting in high probability of not fulfilling his promises, and consequently he will have heavy penalties and make no money either! Because of this environment, it is essential that he have accurate information on the distribution of realization time in order to properly assess his risk.

The problem of determining the pdf of the realization time of a node in a directed acyclic network has been one of the main areas of work in the area of activity networks since the very beginnings of the PERT model. Elmaghraby [6] discusses various methods of determining the pdf of a node (key event) in the PERT model, which include analytical approaches, approximations, bounding approaches, and Monte Carlo sampling. Once the pdf is determined by any one of these methods, the contractor can estimate the risk he is taking when giving a delivery date.

Notice that if we determine the realization time dis-

tributions of different key events in the network that have common activities, the resulting random variables are not independent. Because of this, at least in theory, when we are determining delivery dates for these dependent key events, we should consider them simultaneously. In practice, however, when approximating the realization time distributions of these nodes, we normally assume independence of paths to each node. Under this assumption, the resulting realization time distributions are independent. Consequently, we can consider the delivery dates independently from each other.

#### 4.4.2 Cost Distribution

Similarly, when a competitive bid is submitted, the contractor will assume a risk that the actual realization of the network cost is greater than his bid, thus incurring a loss. For this reason, it is essential also that a pdf of cost for the subgraph of a key event be determined. We now address the problem of determining the cost of an activity, and subsequently will examine the cost of a subgraph of a key event.

##### 4.4.2.1 Activity Cost

As was mentioned previously, there are different costs that can be incurred due to an activity. In this thesis, we will consider only the following two costs: 1) Fixed cost

incurred at the inception of the activity, and 2) Variable cost incurred during the execution of the activity that is either a function of the activity duration or is a random variable whose pdf is conditional upon the activity duration. If the cost is a function of the duration (e.g., a linear function in the form of  $\text{Cost} = a + (b * \text{duration})$ ), then it is fairly straightforward to determine the pdf of the cost of the activity. But if the cost is a random variable that is conditional upon the actual activity duration, then to determine the cost pdf of the activity we must appeal to basic probability theory. Let  $C$  denote the cost of the activity, and  $Y$  denote its duration. Then we have the following relationship on the joint density of cost and duration, the conditional density of cost given duration, and the unconditional density on duration:

$$f_{C|Y}(C,Y) = f(C,Y)/f_Y(Y) \quad (6)$$

To determine the unconditional cost density we must integrate the joint density with respect to duration. The following example will illustrate this procedure, along with the difficulties associated with it.

Let the duration be distributed exponentially with mean 10 ( $f_Y(y) = 1/10 * \exp(-y/10)$ ), and cost, conditional on the activity duration, be distributed exponentially with mean  $100 * \text{duration}$  ( $f_{C|Y}(C,Y) = 1/100 * Y * \exp(-C/100 * Y)$ ). Then the unconditional distribution of cost is:

$$\int_0^{\infty} 1/1000Y * \exp\{-Y/10 - C/100 * Y\} dY \quad (7)$$

Clearly, this is not easy to evaluate. With many distributions, the unconditional distribution of cost could not be evaluated analytically.

#### 4.4.2.2 Cost of Subgraphs

The cost of the subgraph of a key event is the sum of the costs of the individual activities of the subgraph. If we assume that the costs of activities are independent (although in actuality this may not necessarily be the case), then the distribution function of the cost of the subgraph will be the convolution of the individual activity cost distribution functions. This does not pose any theoretical problems, but an analytical solution for a given network poses definite computational problems. This is due to the fact that only in very rare cases will the pdf's of the costs of individual activities be amenable to mathematical manipulation (e.g., normal, in which case the convolution is easily determined since the sum of normal r.v.'s is itself normal). More likely is the case where we need to sum random variables that assume different pdf's. An analytical solution would involve multiple integration, which is a formidable computational problem.

To bypass this difficulty in analytically determining the cost pdf's, we can appeal to approximating the cost distribution by the following methods: 1) Central Limit Theorem, and 2) Monte Carlo Sampling.



By the Central Limit Theorem, we know that, subject to mild assumptions, as the number of activities in the subgraph of a key event goes to infinity, the cost distribution of the key event may be approximated by the normal distribution with mean  $= \sum_i \text{mean}(i)$  and variance  $= \sum_i \text{var}(i)$ . Unfortunately, we know that the number of activities in the subgraph of a key event is oftentimes not very large, and hence the application of the Central Limit Theorem can result in erroneous probability statements (remember that determining the cost distributions of the key events is something we want to do as accurately as possible, especially in the context of project bidding where poor approximation of the cost distribution can lead to a large monetary loss).

If we are unwilling to apply the Central Limit Theorem, we can approximate the cost pdf by Monte Carlo sampling. This method is straightforward population sampling and has some distinct advantages. First, the individual cost densities need not be determined, which, as was stated earlier, can be a difficult task. The only knowledge of the cost density necessary is the form relative to the duration of the activity (e.g., a linear function of duration, a normal distribution about a constant times the duration, etc.). Another advantage of Monte Carlo sampling is that when approximating the cost distribution we can guarantee that our approximate cost distribution is within a certain tolerance level from the true distribution (see sample size discus-

sion). Monte Carlo sampling will be discussed further in section 5.

#### 4.4.2.3 Dependency of Cost Random Variables

As discussed previously, in the cases of (i) either  $S(i)$  or  $S(j)$  is a subset of the other, and (ii)  $S(i)$  and  $S(j)$  are disjoint, the cost of activities are unambiguously assigned to their respective key events. But when  $S(i)$  and  $S(j)$  partially overlap (neither is a subset of the other), difficulties arise in allocating the cost of the common activities to the key events. That problem was resolved by partitioning the cost of the common activities. Unfortunately, the act of dividing the cost of a common activity and assigning percentages of the cost to different key events results in cost allocations that are not independent r.v.'s. To illustrate this point, we use the network in Figure 4 with all durations Gamma distributed with  $t=2$ ,  $\lambda=1$ . As was previously discussed, the cost of activity 'a' is allocated to the two key events 4 and 5. The resulting cost values are:

$$\text{node 4: } C(4) = \text{prop}(4) * \text{cost}(a) + \text{cost}(c) \quad (8)$$

$$\begin{aligned} \text{node 5: } C(5) = \text{prop}(5) * \text{cost}(a) + \text{cost}(b) \quad (9) \\ + \text{cost}(d) + \text{cost}(e) \end{aligned}$$

where  $\text{prop}(i)$  = proportion of the cost of activity 'a'  
assigned to node  $i$ ,

$C(i)$  = cost of key event  $i$ , and

$\text{cost}(i) = \text{cost of activity } i.$

It is then clear that the costs at nodes 4 and 5 are not independent because both r.v.'s include the cost of activity 'a'.

Because of this fact, when we have determined the cost pdf's of the key events under specific allocation strategies and are deciding what the bid should be at each key event, we should not consider the key events independently of each other. We can define the joint cumulative probability distribution by:

$$F(c_1, \dots, c_n) = \Pr\{ C(1) \leq c_1, \dots, C(n) \leq c_n \} \quad (10)$$

The marginal distribution of the cost at a key event can then be shown [12] to be:

$$F(c_i) = \Pr\{ C(1) \leq \infty, \dots, C(i) \leq c_i, \dots, C(n) \leq \infty \} \quad (11)$$

Given this marginal distribution, we can determine a bid at one key event independently from the costs at other key events. Theoretically, this is a straightforward application of elementary probability theory. The application of this theory, though, is difficult to carry out because of its computational complexity.

Fortunately, in practice, it would be consistent to assume that the cost r.v.'s can be treated as independent r.v.'s, as was done in the approximation of the realization times of the key events.

#### 4.5 Determination of Cash Flow

When confronted with a potential project, the contractor must know if he will maintain liquidity throughout the project. To this end, we need to determine the expected cash "outflow" for the duration of the project. When activity duration and cost are defined as random variables, the problem of scheduling activities becomes very complex, and therefore determining the expected disbursements for the duration of the project is also complex. There are two methods to which we can resort in solving this problem, both of which require extensive computing effort. These methods are: 1) Monte Carlo simulation, and 2) analytical approach. Monte Carlo simulation is a straightforward method of determining the expected costs incurred in given intervals over many realizations of the network. This will be discussed in section 5.

The analytical approach to solving this problem, although conceptually fairly simple, is no trivial exercise. It is outlined here to display the difficulty associated in determining the exact expected cash "outflow".

Denote the start time of activity 'i' by  $ST_i$ , and let  $E[C(m,i)]$  denote the expected cost incurred in period 'm' due to activity 'i'. Clearly,  $E[C(m,i)]$  is dependent on three elements: the df of the cost of the activity as a function of its duration, the start time of the activity, and the probability that it is 'in progress' in period 'm'.

The total expected disbursement in period 'm' could then be the sum of the individual expected costs; the sum extending over all activities that may be in progress in period 'm'.

It is evident that the determination of  $E[C(m,i)]$  is no minor feat, even when using the approximation method of Dodin [3] to determine the df of  $ST_i$ . Consequently, the analytical determination of the expected cash "outflow" was abandoned, and attention was diverted to the use of MCS methods.

## 5. SOLUTION PROCEDURE

The procedure adopted in solving the bidding problem is Monte Carlo simulation (MCS). The main reason for the adoption of this approach is to allow the calculation of the cash "outflow" discussed in the previous section. As Elmaghraby states [5], "whenever analytical approaches fail, or appear to overwhelm one's capacity to obtain numerical answers, one turns to population sampling and statistical techniques." Also, since the application of ANs to the bidding of a project for PERT networks has never been addressed before, MCS seems to be a logical first step in the solution of the problem.

The MCS technique generates a duration for each arc in the network from its distribution, and then calculates the realization times for the key events in the network. This is considered one sample. The result over many of these samples is a realization time distribution for each key event in the network. In addition, for the bidding problem, we must generate a cost for each activity according to its distribution (thus resulting in a cost distribution over many samples), as well as calculate the cash "outflow" in each period for each sample (resulting in an expected cash "outflow" over many samples), and calculate the cash "inflow" in each period for each sample (resulting in an expected cash "inflow" over many samples).

There are two theoretical concerns involved with MCS:

1) Size of the sample to guarantee a pre-assigned confidence, and 2) Use of variance-reduction techniques to increase precision (or minimize sample size). A discussion of sample size follows. The use of variance-reduction techniques is discussed by Elmaghraby [5] and [6], and will not be addressed in this thesis.

### Sample Size

The main objective of the bidding problem is the determination of the distribution functions of realization times and costs of the key events in the network. If we use MCS to determine these df's, we have to make the sample size sufficient to estimate them with a given precision. This sample size can be determined by means of the Kolmogorov-Smirnov statistic as discussed by Elmaghraby [5] and tabulated by Hoel [9] and Massey [11] for limited values of sample size and confidence. For completeness, these concepts are discussed next.

If we assume the true distribution function,  $F_n$ , is continuous, we can make statements concerning the greatest absolute difference between the sample distribution function and the true distribution function. Let  $G_{nK}(t)$  denote the sample df derived from a sample of size  $K$ , and  $D_{nK} = \sup_t |G_{nK}(t) - F_n(t)|$ . Then the probability that  $D_K$  is less than a specified  $d/\sqrt{K}$  is asymptotically given by

$$\lim_{K \rightarrow \infty} \Pr\{D_{nK} < d/\sqrt{K}\} = \sum_{i=-\infty}^{\infty} (-1)^i \exp(-2*i^2*d^2) \quad (14)$$

The values of  $d$  for different confidence levels have been

tabulated by Smirnov [14] and the asymptotic probability of  $\sqrt{K} \cdot D_{nK} \leq d$  can then be obtained. As an example, suppose we wish to estimate  $F_n$  by  $G_{nK}$  such that the maximum deviation between the two functions does not exceed 0.01 in absolute value more than 5% of the time. For the asymptotic probability  $\Pr\{\sqrt{K} \cdot D_{nK} \leq d\} = .95$ , we have  $d = 1.36$ . Since  $D_{nK} = .01$ , we solve for  $\sqrt{K} \cdot 0.01 \geq 1.36$  to obtain  $K \geq 18,496$ .

Of course, in the bidding problem, we are concerned with estimating many df's simultaneously. This does not, however, introduce any complications even though some of the random variables whose df's we are estimating are not independent (specifically, cost and duration at key events). This is because, for each df we are estimating, the samples are independent and identically distributed. Therefore, we can estimate all of the df's simultaneously using the sample size determined above, and we can be confident that our Monte Carlo approximations to the distribution functions are accurate enough to make statements on the realization times and costs of key events.



## 6. COMPUTER PROGRAM

Software has been developed, written in Microsoft FORTRAN77, that allows the user to interactively determine a bid for a project that can be modeled by a directed acyclic network. The program listings are in the appendix, and an example will be presented section 6.4.

### 6.1 Program Explanation

The computer software developed is divided into three main programs: ANC-IN, AN-COST, and CASH, and an optional program DOD1TRNS.

Program ANC-IN prepares the data necessary for the Monte Carlo simulation. It also has the capability to randomly generate an AN if desired for research purposes. This program is a modification of the input program used by Dodin [3] to approximate the realization time distributions of nodes in a directed acyclic network. This provides the capability to use Dodin's program using the same data file, which allows comparison of the Monte Carlo-generated realization time distributions and the approximate distributions provided by Dodin.

Program DOD1TRNS, written by Dodin [3], calculates the means and standard deviations of the key events which are required by program AN-COST for use in the sharing of costs of common activities as well as in determining the endpoints of the empirical distributions. The means and standard de-

viations are then placed in a data file which is read by program AN-COST. If these values are available from another source, they can simply be placed in the data file and DOD1TRNS need not be run.

Program AN-COST actually performs the Monte Carlo simulation to determine the realization time distributions and cost distributions of the key events, the expected cash "inflow", and the expected cash "outflow". To do this, it determines the cost separation percentages of the common activities and calculates the required sample size before the simulation begins. The results of the run are sent to various data files for perusal.

Program CASH allows cash flow calculations to be performed, as well as allowing the user to view the results of the Monte Carlo simulation. It reads a data file created by AN-COST, and interactively assists the user in determining a bid package.

## 6.2 Program Assumptions

The following assumptions were made in implementing the computer program.

- General:
- 1) Directed acyclic networks only.
  - 2) The network has at most 100 activities
  - 3) The network has at most 50 nodes (this is a limitation of DOD1TRNS(see 6, below), not of AN-COST).
  - 4) Maximum project duration is 100 periods.
  - 5) All activities begin at their earliest start times.
  - 6) The means and std. dev.s of the key nodes are

known prior to running program AN-COST. (If these parameters are not known, they can be obtained by running program DOD1TRNS.)

Duration: --Activity duration is distributed as one of the following:

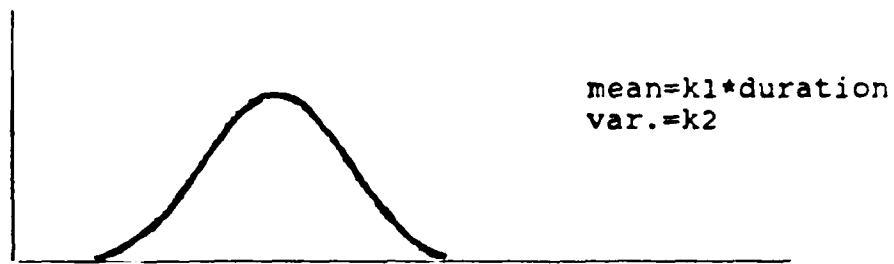
- 1) Uniform
- 2) Triangular
- 3) Normal
- 4) Exponential
- 5) Gamma
- 6) Beta
- 7) Discrete (user defined as ordered pairs)

Cost: Activity cost consists of a fixed cost assessed at the start of the activity, and a cost that is either a linear function of the duration or a cost that follows a density conditional on the realized duration. The following cost functions are available:

- 1) Constant \* Duration
- 2) Normal (mean=constant\*duration, var.=given)  
(see discussion, below)
- 3) Uniform (the endpoints of the uniform dist.  
are [constant\*duration-given val.,  
constant\*duration+given val.])  
(see discussion, below)
- 4) Triangular (mode=constant\*duration, min=mode-  
given, max=mode+given)  
(see discussion, below)

Cost functions 2, 3, and 4 are illustrated in Figure 10. For a normal cost function, the mean is a user-specified constant times the activity duration, and the variance is a user-specified constant.

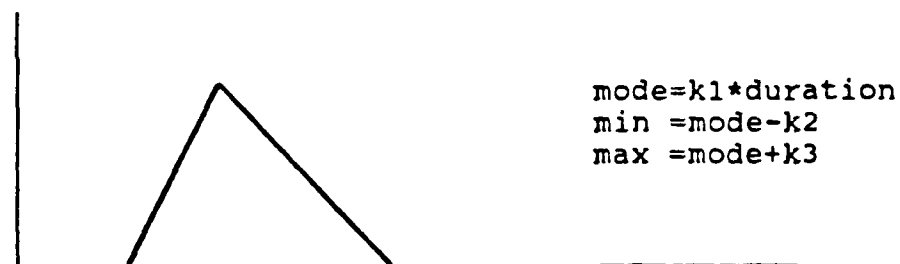
For a uniform cost function, the endpoints of the distribution are a user-specified constant,  $k_1$ , times the activity duration minus another user-specified value,  $k_2$ , and  $k_1$  times the activity duration plus another user-specified value,  $k_3$ . Therefore, the distribution does not have to be symmetric about  $k_1 * \text{duration}$ .



a) normal cost distribution



b) uniform cost distribution



c) triangular cost distribution

Figure 9: Illustration of Cost Functions

For a triangular cost function, the mode of the distribution is a user-specified value,  $k_1$ , times the activity duration. The minimum is the mode minus another user-specified value,  $k_2$ , and the maximum is the mode plus another user-specified value,  $k_3$ . Again, the distribution is not necessarily symmetric.

### 6.3 Program Usage

To use the programs to make bid packages, the following steps must be taken:

- 1) Create a data file containing the duration and cost information of the network. This can be done using program ANC-IN. This program is an alteration of the input program for program DODIN1, which determines the PDF of realization time of nodes in a network. The data is put in the file in such a manner that DODIN1 can be run using the same data file.
- 2) Put the means and standard deviations of the key events in a data file named TRNS.ANC in increasing order of node number. If the means and std. dev.s are not known a priori, a run of program DOD1TRNS will determine them and place them in the data file. Program DOD1TRNS, which can be used to do all the calculations of DODIN1 with the exception of generation of a network and MCS, is a skeleton version of DODIN1.
- 3) Run program AN-COST. This program performs the MCS to determine realization time distributions and cost distributions of the key events of the network. This program also calculates the expected cash "inflow" and "outflow" for each period in the network. The cash flow data is sent to file CASHFLOW.DAT, which is used in program CASH to perform cash flow calculations.
- 4) Run program CASH if cash flow calculations are

desired. Program CASH will allow the user to view the data from the MCS, determine a FaRM in deterministic problems, and determine the expected profit in a probabilistic problem. It allows viewing of the distribution functions, and determines the percentiles of the distributions as an aid in making decisions on the bids at the key events.

#### 6.4 Example

Consider the network previously used in Figure 1, reproduced in Figure 10 for convenience. For this example, let the activities durations be normally distributed and the costs be linear functions of the durations with the parameters listed in Table 8. Then running program ANC-IN will yield the input data file listed in Table 9.

Table 8. Activity Distribution Parameters for Example Problem

Activity	Duration		Cost	
	Mean	Std. Dev.	Cost/day	Fixed Cost
1	2	0.5	100	500
2	4	1.0	300	1000
3	10	2.0	250	1000
4	4	1.0	150	200
5	6	1.5	250	1000
6	5	1.5	150	200
7	7	1.0	100	200
8	7	1.0	75	200
9	0	0.0	0	0
10	9	2.0	40	50
11	8	1.5	40	25
12	5	2.0	40	50
13	4	1.0	75	100
14	0	0.0	0	0
15	2	0.5	200	100
16	6	1.5	100	300

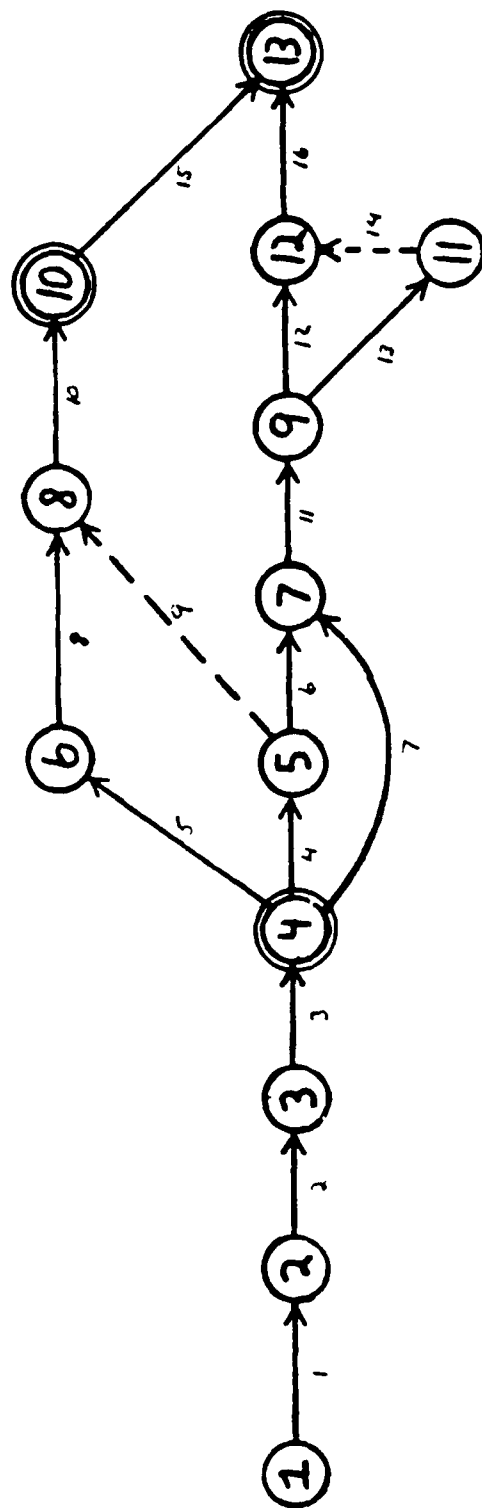


Figure 10: Network for Illustration of Computer Program

Table 9. Input Data File for Example Problem.\*

	<u>#nodes</u>	<u>#arcs</u>					<u>#key events</u>	
.500	13	16	30	1	0	0	3	0

	<u>key events</u>
4	10 13

<u>** start node</u>		<u>end node</u>	<u>duration dist.</u>	<u>#durations/</u>
<u>distribution parameters</u>				
1	2	3 0	.2000E+01 .5000E+00	.5000E+00 .3500E+01
2	3	3 0	.4000E+01 .1000E+01	.2000E+01 .6000E+01
3	4	3 0	.1000E+02 .2000E+01	.5000E+01 .1500E+02
4	5	3 0	.4000E+01 .1000E+01	.2000E+01 .6000E+01
4	6	3 0	.6000E+01 .1500E+01	.3000E+01 .9000E+01
5	7	3 0	.5000E+01 .1500E+01	.2000E+01 .8000E+01
4	7	3 0	.7000E+01 .1000E+01	.5000E+01 .9000E+01
6	8	3 0	.7000E+01 .1000E+01	.5000E+01 .9000E+01
5	8	7 1	.0000E+00 .1000E+01	
8	10	3 0	.9000E+01 .2000E+01	.5000E+01 .1300E+02
7	9	3 0	.8000E+01 .1500E+01	.5000E+01 .1100E+02
9	12	3 0	.5000E+01 .2000E+01	.1000E+01 .9000E+01
9	11	3 0	.4000E+01 .1000E+01	.2000E+01 .6000E+01
11	12	7 1	.0000E+00 .1000E+01	
10	13	3 0	.2000E+01 .5000E+00	.1000E+01 .3000E+01
12	13	3 0	.6000E+01 .1500E+01	.3000E+01 .9000E+01

\*Numbers not labeled are used only by program DOD1TRNS in the determination of the mean and standard deviation of the key events (for more info. see Dodin [3]).

\*\*See program listing for more details.



Table 9 (Continued)

* <u>cost distribution/</u>				
<u>fixed cost</u>	<u>variable cost</u>	<u>distribution parameters</u>		
1				
.5000E+03	.1000E+03	.0000E+00	.0000E+00	.0000E+00
1				
.1000E+04	.3000E+03	.0000E+00	.0000E+00	.0000E+00
1				
.1000E+04	.2500E+03	.0000E+00	.0000E+00	.0000E+00
1				
.2000E+03	.1500E+03	.0000E+00	.0000E+00	.0000E+00
1				
.1000E+04	.2500E+03	.0000E+00	.0000E+00	.0000E+00
1				
.2000E+03	.1500E+03	.0000E+00	.0000E+00	.0000E+00
1				
.2000E+03	.1000E+03	.0000E+00	.0000E+00	.0000E+00
1				
.2000E+03	.7500E+02	.0000E+00	.0000E+00	.0000E+00
1				
.0000E+00	.0000E+00	.0000E+00	.0000E+00	.0000E+00
1				
.5000E+02	.4000E+02	.0000E+00	.0000E+00	.0000E+00
1				
.2500E+02	.4000E+02	.0000E+00	.0000E+00	.0000E+00
1				
.5000E+02	.4000E+02	.0000E+00	.0000E+00	.0000E+00
1				
.1000E+03	.7500E+02	.0000E+00	.0000E+00	.0000E+00
1				
.0000E+00	.0000E+00	.0000E+00	.0000E+00	.0000E+00
1				
.1000E+03	.2000E+03	.0000E+00	.0000E+00	.0000E+00
1				
.3000E+03	.1000E+03	.0000E+00	.0000E+00	.0000E+00

\* See program listing for more details.

If the means and standard deviations of the key events are not known, we next run program DOD1TRNS, which will place them in data file TRNS.ANC. Table 10 displays the file for this network.

Table 10: File TRNS.ANC for Example Problem

Key Event	Mean	Std. Dev.
4	.1600E+02	.2290E+01
10	.3800E+02	.3530E+01
13	.4400E+02	.6000E+01

The MCS, performed by program AN-COST, using a sample size of 18,496 (this sample size guarantees a tolerance of no more than .01 with a confidence of 95%) yields the output files shown in Tables 11, 12, 13, and 14. Table 11 contains the distribution information of duration of the key events as well as the criticality indices of the activities. Table 12 contains the distribution information of cost of the key events and total project cost. Table 13 displays a data file produced with some general information used by the simulation, and table 14 lists the data file CASHFLOW.DAT, produced by AN-COST for use by program CASH.

Table 11. Empirical Distributions of Durations and Activity Criticality Indices.

----- KEY EVENT 4 -----

Pr ( X <= 10 ) =	.0000	
Pr ( 10.000 < X <= 10.550 ) =	.0006	
Pr ( 10.550 < X <= 11.100 ) =	.0019	
Pr ( 11.100 < X <= 11.650 ) =	.0042	
Pr ( 11.650 < X <= 12.200 ) =	.0098	
Pr ( 12.200 < X <= 12.750 ) =	.0167	
Pr ( 12.750 < X <= 13.300 ) =	.0305	
Pr ( 13.300 < X <= 13.850 ) =	.0481	
Pr ( 13.850 < X <= 14.400 ) =	.0735	
Pr ( 14.400 < X <= 14.950 ) =	.0917	
Pr ( 14.950 < X <= 15.500 ) =	.1140	
Pr ( 15.500 < X <= 16.050 ) =	.1169	
Pr ( 16.050 < X <= 16.600 ) =	.1224	
Pr ( 16.600 < X <= 17.150 ) =	.1105	
Pr ( 17.150 < X <= 17.700 ) =	.0902	
Pr ( 17.700 < X <= 18.250 ) =	.0670	
Pr ( 18.250 < X <= 18.800 ) =	.0444	
Pr ( 18.800 < X <= 19.350 ) =	.0268	
Pr ( 19.350 < X <= 19.900 ) =	.0149	
Pr ( 19.900 < X <= 20.450 ) =	.0092	
Pr ( 20.450 < X <= 21.000 ) =	.0044	
Pr ( X > 21 ) =	.0022	
Pr ( X <= 10.000 ) =	.0000	
Pr ( X <= 10.550 ) =	.0006	
Pr ( X <= 11.100 ) =	.0025	
Pr ( X <= 11.650 ) =	.0068	
Pr ( X <= 12.200 ) =	.0165	
Pr ( X <= 12.750 ) =	.0333	
Pr ( X <= 13.300 ) =	.0638	
Pr ( X <= 13.850 ) =	.1119	
Pr ( X <= 14.400 ) =	.1853	
Pr ( X <= 14.950 ) =	.2770	
Pr ( X <= 15.500 ) =	.3911	
Pr ( X <= 16.050 ) =	.5080	
Pr ( X <= 16.600 ) =	.6304	
Pr ( X <= 17.150 ) =	.7409	
Pr ( X <= 17.700 ) =	.8311	
Pr ( X <= 18.250 ) =	.8981	
Pr ( X <= 18.800 ) =	.9425	
Pr ( X <= 19.350 ) =	.9693	
Pr ( X <= 19.900 ) =	.9842	
Pr ( X <= 20.450 ) =	.9934	
Pr ( X <= 21.000 ) =	.9978	

Table 11 (Continued)

THE MEAN OF THE DIST. =	16.0044
THE VARIANCE OF THE DIST. =	3.1521
THE STD. DEV. OF THE DIST. =	1.7754

Table 11 (Continued)

## ----- KEY EVENT 10 -----

Pr { X <= 29 } =	.0000	
Pr { 29.000 < X <= 29.850 }	=	.0009
Pr { 29.850 < X <= 30.700 }	=	.0020
Pr { 30.700 < X <= 31.550 }	=	.0045
Pr { 31.550 < X <= 32.400 }	=	.0106
Pr { 32.400 < X <= 33.250 }	=	.0203
Pr { 33.250 < X <= 34.100 }	=	.0362
Pr { 34.100 < X <= 34.950 }	=	.0527
Pr { 34.950 < X <= 35.800 }	=	.0831
Pr { 35.800 < X <= 36.650 }	=	.0955
Pr { 36.650 < X <= 37.500 }	=	.1159
Pr { 37.500 < X <= 38.350 }	=	.1269
Pr { 38.350 < X <= 39.200 }	=	.1213
Pr { 39.200 < X <= 40.050 }	=	.1027
Pr { 40.050 < X <= 40.900 }	=	.0865
Pr { 40.900 < X <= 41.750 }	=	.0602
Pr { 41.750 < X <= 42.600 }	=	.0377
Pr { 42.600 < X <= 43.450 }	=	.0203
Pr { 43.450 < X <= 44.300 }	=	.0122
Pr { 44.300 < X <= 45.150 }	=	.0061
Pr { 45.150 < X <= 46.000 }	=	.0025
Pr { X > 46 } =	.0019	

Pr { X <= 29.000 }	=	.0000
Pr { X <= 29.850 }	=	.0009
Pr { X <= 30.700 }	=	.0029
Pr { X <= 31.550 }	=	.0074
Pr { X <= 32.400 }	=	.0180
Pr { X <= 33.250 }	=	.0383
Pr { X <= 34.100 }	=	.0746
Pr { X <= 34.950 }	=	.1272
Pr { X <= 35.800 }	=	.2103
Pr { X <= 36.650 }	=	.3058
Pr { X <= 37.500 }	=	.4218
Pr { X <= 38.350 }	=	.5487
Pr { X <= 39.200 }	=	.6700
Pr { X <= 40.050 }	=	.7727
Pr { X <= 40.900 }	=	.8592
Pr { X <= 41.750 }	=	.9193
Pr { X <= 42.600 }	=	.9570
Pr { X <= 43.450 }	=	.9773
Pr { X <= 44.300 }	=	.9895
Pr { X <= 45.150 }	=	.9956
Pr { X <= 46.000 }	=	.9981

Table 11 (Continued)

THE MEAN OF THE DIST. =	38.0164
THE VARIANCE OF THE DIST. =	7.2432
THE STD. DEV. OF THE DIST. =	2.6913

Table 11 (Continued)

## ---- KEY EVENT 13 -----

Pr { X <= 35 } =	.0002
Pr { 35.000 < X <= 35.850 } =	.0007
Pr { 35.850 < X <= 36.700 } =	.0014
Pr { 36.700 < X <= 37.550 } =	.0044
Pr { 37.550 < X <= 38.400 } =	.0087
Pr { 38.400 < X <= 39.250 } =	.0167
Pr { 39.250 < X <= 40.100 } =	.0301
Pr { 40.100 < X <= 40.950 } =	.0465
Pr { 40.950 < X <= 41.800 } =	.0675
Pr { 41.800 < X <= 42.650 } =	.0866
Pr { 42.650 < X <= 43.500 } =	.1090
Pr { 43.500 < X <= 44.350 } =	.1165
Pr { 44.350 < X <= 45.200 } =	.1171
Pr { 45.200 < X <= 46.050 } =	.1043
Pr { 46.050 < X <= 46.900 } =	.0926
Pr { 46.900 < X <= 47.750 } =	.0680
Pr { 47.750 < X <= 48.600 } =	.0512
Pr { 48.600 < X <= 49.450 } =	.0338
Pr { 49.450 < X <= 50.300 } =	.0195
Pr { 50.300 < X <= 51.150 } =	.0128
Pr { 51.150 < X <= 52.000 } =	.0064
Pr { X > 52 } =	.0061

Pr { X <= 35.000 } =	.0002
Pr { X <= 35.850 } =	.0009
Pr { X <= 36.700 } =	.0023
Pr { X <= 37.550 } =	.0067
Pr { X <= 38.400 } =	.0154
Pr { X <= 39.250 } =	.0321
Pr { X <= 40.100 } =	.0622
Pr { X <= 40.950 } =	.1087
Pr { X <= 41.800 } =	.1761
Pr { X <= 42.650 } =	.2627
Pr { X <= 43.500 } =	.3717
Pr { X <= 44.350 } =	.4882
Pr { X <= 45.200 } =	.6053
Pr { X <= 46.050 } =	.7096
Pr { X <= 46.900 } =	.8022
Pr { X <= 47.750 } =	.8702
Pr { X <= 48.600 } =	.9214
Pr { X <= 49.450 } =	.9552
Pr { X <= 50.300 } =	.9748
Pr { X <= 51.150 } =	.9875
Pr { X <= 52.000 } =	.9939

Table 11 (Continued)

THE MEAN OF THE DIST. =	44.4840
THE VARIANCE OF THE DIST. =	8.3119
THE STD. DEV. OF THE DIST. =	2.8830



Table 12. Empirical Distributions of Costs

---- PROJECT COST ----

Pr { X <=13273 } =	.0003
Pr { 13273.000< X <=13459.900 } =	.0032
Pr { 13459.900< X <=13646.800 } =	.0050
Pr { 13646.800< X <=13833.700 } =	.0094
Pr { 13833.700< X <=14020.600 } =	.0192
Pr { 14020.600< X <=14207.500 } =	.0297
Pr { 14207.500< X <=14394.400 } =	.0487
Pr { 14394.400< X <=14581.300 } =	.0667
Pr { 14581.300< X <=14768.200 } =	.0930
Pr { 14768.200< X <=14955.100 } =	.1055
Pr { 14955.100< X <=15142.000 } =	.1170
Pr { 15142.000< X <=15328.900 } =	.1174
Pr { 15328.900< X <=15515.800 } =	.1066
Pr { 15515.800< X <=15702.700 } =	.0922
Pr { 15702.700< X <=15889.600 } =	.0663
Pr { 15889.600< X <=16076.500 } =	.0522
Pr { 16076.500< X <=16263.400 } =	.0317
Pr { 16263.400< X <=16450.300 } =	.0174
Pr { 16450.300< X <=16637.200 } =	.0104
Pr { 16637.200< X <=16824.100 } =	.0048
Pr { 16824.100< X <=17011.000 } =	.0018
Pr { X > 17011 } =	.0015

Pr { X <= 13273.000 } =	.0003
Pr { X <= 13459.900 } =	.0035
Pr { X <= 13646.800 } =	.0085
Pr { X <= 13833.700 } =	.0179
Pr { X <= 14020.600 } =	.0371
Pr { X <= 14207.500 } =	.0668
Pr { X <= 14394.400 } =	.1155
Pr { X <= 14581.300 } =	.1821
Pr { X <= 14768.200 } =	.2751
Pr { X <= 14955.100 } =	.3806
Pr { X <= 15142.000 } =	.4976
Pr { X <= 15328.900 } =	.6150
Pr { X <= 15515.800 } =	.7216
Pr { X <= 15702.700 } =	.8139
Pr { X <= 15889.600 } =	.8802
Pr { X <= 16076.500 } =	.9324
Pr { X <= 16263.400 } =	.9641
Pr { X <= 16450.300 } =	.9815
Pr { X <= 16637.200 } =	.9919
Pr { X <= 16824.100 } =	.9966
Pr { X <= 17011.000 } =	.9985

Table 12 (Continued)

THE MEAN OF THE DIST. =	15145.6822
THE VARIANCE OF THE DIST. =	390349.5940
THE STD. DEV. OF THE DIST. =	624.7796

Table 12 (Continued)

## ----- KEY EVENT 4 -----

Pr { X <= 5070 } =	.0004
Pr { 5070.000 < X <= 5203.800 } =	.0024
Pr { 5203.800 < X <= 5337.600 } =	.0048
Pr { 5337.600 < X <= 5471.400 } =	.0097
Pr { 5471.400 < X <= 5605.200 } =	.0192
Pr { 5605.200 < X <= 5739.000 } =	.0298
Pr { 5739.000 < X <= 5872.800 } =	.0504
Pr { 5872.800 < X <= 6006.600 } =	.0679
Pr { 6006.600 < X <= 6140.400 } =	.0922
Pr { 6140.400 < X <= 6274.200 } =	.1080
Pr { 6274.200 < X <= 6408.000 } =	.1163
Pr { 6408.000 < X <= 6541.800 } =	.1181
Pr { 6541.800 < X <= 6675.600 } =	.1069
Pr { 6675.600 < X <= 6809.400 } =	.0914
Pr { 6809.400 < X <= 6943.200 } =	.0684
Pr { 6943.200 < X <= 7077.000 } =	.0475
Pr { 7077.000 < X <= 7210.800 } =	.0293
Pr { 7210.800 < X <= 7344.600 } =	.0187
Pr { 7344.600 < X <= 7478.400 } =	.0103
Pr { 7478.400 < X <= 7612.200 } =	.0049
Pr { 7612.200 < X <= 7746.000 } =	.0020
Pr { X > 7746 } =	.0014

Pr { X <= 5070.000 } =	.0004
Pr { X <= 5203.800 } =	.0028
Pr { X <= 5337.600 } =	.0075
Pr { X <= 5471.400 } =	.0172
Pr { X <= 5605.200 } =	.0364
Pr { X <= 5739.000 } =	.0663
Pr { X <= 5872.800 } =	.1167
Pr { X <= 6006.600 } =	.1846
Pr { X <= 6140.400 } =	.2768
Pr { X <= 6274.200 } =	.3848
Pr { X <= 6408.000 } =	.5011
Pr { X <= 6541.800 } =	.6192
Pr { X <= 6675.600 } =	.7262
Pr { X <= 6809.400 } =	.8176
Pr { X <= 6943.200 } =	.8860
Pr { X <= 7077.000 } =	.9335
Pr { X <= 7210.800 } =	.9628
Pr { X <= 7344.600 } =	.9815
Pr { X <= 7478.400 } =	.9918
Pr { X <= 7612.200 } =	.9966
Pr { X <= 7746.000 } =	.9986

Table 12 (Continued)

THE MEAN OF THE DIST. =	6407.0008
THE VARIANCE OF THE DIST. =	198487.0996
THE STD. DEV. OF THE DIST. =	445.5189

Table 12 (Continued)

## ----- KEY EVENT 10 -----

Pr { X <= 3448 } =	.0001	
Pr { 3448.000 < X <= 3548.800 } =		.0011
Pr { 3548.800 < X <= 3649.600 } =		.0037
Pr { 3649.600 < X <= 3750.400 } =		.0094
Pr { 3750.400 < X <= 3851.200 } =		.0187
Pr { 3851.200 < X <= 3952.000 } =		.0325
Pr { 3952.000 < X <= 4052.800 } =		.0497
Pr { 4052.800 < X <= 4153.600 } =		.0704
Pr { 4153.600 < X <= 4254.400 } =		.0925
Pr { 4254.400 < X <= 4355.200 } =		.1031
Pr { 4355.200 < X <= 4456.000 } =		.1180
Pr { 4456.000 < X <= 4556.800 } =		.1114
Pr { 4556.800 < X <= 4657.600 } =		.1076
Pr { 4657.600 < X <= 4758.400 } =		.0902
Pr { 4758.400 < X <= 4859.200 } =		.0712
Pr { 4859.200 < X <= 4960.000 } =		.0526
Pr { 4960.000 < X <= 5060.800 } =		.0323
Pr { 5060.800 < X <= 5161.600 } =		.0201
Pr { 5161.600 < X <= 5262.400 } =		.0091
Pr { 5262.400 < X <= 5363.200 } =		.0043
Pr { 5363.200 < X <= 5464.000 } =		.0015
Pr { X > 5464 } =	.0003	

Pr { X <= 3448.000 } =	.0001
Pr { X <= 3548.800 } =	.0012
Pr { X <= 3649.600 } =	.0049
Pr { X <= 3750.400 } =	.0143
Pr { X <= 3851.200 } =	.0330
Pr { X <= 3952.000 } =	.0655
Pr { X <= 4052.800 } =	.1152
Pr { X <= 4153.600 } =	.1856
Pr { X <= 4254.400 } =	.2781
Pr { X <= 4355.200 } =	.3812
Pr { X <= 4456.000 } =	.4992
Pr { X <= 4556.800 } =	.6107
Pr { X <= 4657.600 } =	.7183
Pr { X <= 4758.400 } =	.8085
Pr { X <= 4859.200 } =	.8796
Pr { X <= 4960.000 } =	.9323
Pr { X <= 5060.800 } =	.9646
Pr { X <= 5161.600 } =	.9847
Pr { X <= 5262.400 } =	.9938
Pr { X <= 5363.200 } =	.9982
Pr { X <= 5464.000 } =	.9997

Table 12 (Continued)

THE MEAN OF THE DIST. =	4458.9100
THE VARIANCE OF THE DIST. =	110690.6299
THE STD. DEV. OF THE DIST. =	332.7020

Table 12 (Continued)

## ----- KEY EVENT 13 -----

Pr { X <= 3464 } =	.0002
Pr { 3464.000 < X <= 3545.300 } =	.0028
Pr { 3545.300 < X <= 3626.600 } =	.0039
Pr { 3626.600 < X <= 3707.900 } =	.0095
Pr { 3707.900 < X <= 3789.200 } =	.0191
Pr { 3789.200 < X <= 3870.500 } =	.0309
Pr { 3870.500 < X <= 3951.800 } =	.0486
Pr { 3951.800 < X <= 4033.100 } =	.0700
Pr { 4033.100 < X <= 4114.400 } =	.0882
Pr { 4114.400 < X <= 4195.700 } =	.1038
Pr { 4195.700 < X <= 4277.000 } =	.1167
Pr { 4277.000 < X <= 4358.300 } =	.1196
Pr { 4358.300 < X <= 4439.600 } =	.1058
Pr { 4439.600 < X <= 4520.900 } =	.0897
Pr { 4520.900 < X <= 4602.200 } =	.0723
Pr { 4602.200 < X <= 4683.500 } =	.0514
Pr { 4683.500 < X <= 4764.800 } =	.0316
Pr { 4764.800 < X <= 4846.100 } =	.0187
Pr { 4846.100 < X <= 4927.400 } =	.0108
Pr { 4927.400 < X <= 5008.700 } =	.0044
Pr { 5008.700 < X <= 5090.000 } =	.0017
Pr { X > 5090 } =	.0005

Pr { X <= 3464.000 } =	.0002
Pr { X <= 3545.300 } =	.0030
Pr { X <= 3626.600 } =	.0070
Pr { X <= 3707.900 } =	.0164
Pr { X <= 3789.200 } =	.0356
Pr { X <= 3870.500 } =	.0664
Pr { X <= 3951.800 } =	.1150
Pr { X <= 4033.100 } =	.1850
Pr { X <= 4114.400 } =	.2732
Pr { X <= 4195.700 } =	.3770
Pr { X <= 4277.000 } =	.4937
Pr { X <= 4358.300 } =	.6133
Pr { X <= 4439.600 } =	.7191
Pr { X <= 4520.900 } =	.8088
Pr { X <= 4602.200 } =	.8811
Pr { X <= 4683.500 } =	.9324
Pr { X <= 4764.800 } =	.9640
Pr { X <= 4846.100 } =	.9826
Pr { X <= 4927.400 } =	.9935
Pr { X <= 5008.700 } =	.9978
Pr { X <= 5090.000 } =	.9995

Table 12 (Continued)

THE MEAN OF THE DIST. =	4279.7714
THE VARIANCE OF THE DIST. =	73074.0281
THE STD. DEV. OF THE DIST. =	270.3221



Table 13. General Output File for Example Problem

THE PERIOD LENGTH = 5  
 THE PERC. REQUIRED AT START = .000  
 THE INFLATION RATE = .10000  
 THE INITIAL RANDOM NUMBER SEED = 123454.00

VALUES OF ENDPOINTS FOR EMPIRICAL DIST.'S ARE:

	LEFT-END	RIGHT-END	INT.-WIDTH
FFY EVENT 4			
REAL. TIME DIST.			
	10	21	.55
COST FUNC.			
	5070	7746	133.80
FFY EVENT 10			
REAL. TIME DIST.			
	29	46	.85
COST FUNC.			
	3448	5464	100.80
FFY EVENT 13			
REAL. TIME DIST.			
	35	52	.85
COST FUNC.			
	3464	5090	81.30
TOTAL PROJECT COST			
	13273	17011	186.90

Table 14. File CASHFLOW.DAT for Example Problem.

period length

5

max. periods

14

expected cash outflow per period

.277648E+04	.212517E+04	.173647E+04	.325721E+04	.197417E+04
.746016E+03	.746758E+03	.107538E+04	.606587E+03	.973920E+02
.374120E+01	.952881E-02	.000000E+00	.000000E+00	

#key events

3

key events

4 10 13

expected cash inflow for key event 4

.000000E+00	.132299E+01	.169048E+04	.461520E+04	.999844E+02
.000000E+00	.000000E+00	.000000E+00	.000000E+00	.000000E+00
.000000E+00	.000000E+00	.000000E+00	.000000E+00	

expected cash inflow for key event 10

.000000E+00	.000000E+00	.000000E+00	.000000E+00	.000000E+00
.454279E+01	.542953E+03	.281885E+04	.106864E+04	.239204E+02
.000000E+00	.000000E+00	.000000E+00	.000000E+00	

expected cash inflow for key event 13

.000000E+00	.000000E+00	.000000E+00	.000000E+00	.000000E+00
.000000E+00	.116708E+01	.229862E+03	.219535E+04	.170776E+04
.144858E+03	.772703E+00	.000000E+00	.000000E+00	

%received at proj.start

.000000E+00

money received at proj. start

.000000E+00

<u>mean</u>	<u>std.dev.</u>	(duration/cost of key events)
.160044E+02	.177541E+01	
.640700E+04	.445518E+03	
.380164E+02	.269132E+01	
.445891E+04	.332702E+03	
.444840E+02	.288304E+01	
.427977E+04	.270322E+03	
<u>mean</u>	<u>std.dev.</u>	(total proj. cost)
.151456E+05	.624779E+03	

empirical distribution functions

<u>lower endpt.</u>	<u>upper endpt.</u>	<u>#cells</u>	<u>cell width</u>
10	21	20	.55000
.000000E+00	.594723E-03	.194636E-02	.421712E-02
.167063E-01	.305471E-01	.480644E-01	.734753E-01
.114024E+00	.116944E+00	.122404E+00	.110456E+00
.670415E-01	.443879E-01	.268166E-01	.148680E-01
.437932E-02	.221669E-02		
5070	7746	20	133.80000
.378460E-03	.237889E-02	.475778E-02	.973183E-02
.298442E-01	.503892E-01	.679065E-01	.921820E-01

Table 14 (Continued)

.116349E+00	.118079E+00	.106942E+00	.914251E-01	.684472E-01
.474697E-01	.293036E-01	.187067E-01	.102724E-01	.486591E-02
.200043E-02	.135164E-02			
29	46	20	.85000	
.000000E+00	.919117E-03	.200043E-02	.448745E-02	.105968E-01
.203287E-01	.362240E-01	.526600E-01	.830990E-01	.955341E-01
.115917E+00	.126892E+00	.121323E+00	.102670E+00	.865051E-01
.601751E-01	.376838E-01	.202746E-01	.122188E-01	.605536E-02
.254109E-02	.189230E-02			
3448	5464	20	100.80000	
.540657E-04	.113538E-02	.367647E-02	.940743E-02	.187067E-01
.324935E-01	.497404E-01	.703936E-01	.925064E-01	.103103E+00
.118025E+00	.111429E+00	.107590E+00	.902357E-01	.711505E-01
.526059E-01	.323313E-01	.201124E-01	.913711E-02	.432525E-02
.151384E-02	.324394E-03			
35	52	20	.85000	
.162197E-03	.702854E-03	.140570E-02	.443339E-02	.870458E-02
.166522E-01	.301146E-01	.464965E-01	.674740E-01	.865592E-01
.108996E+00	.116511E+00	.117052E+00	.104346E+00	.926146E-01
.679606E-01	.512002E-01	.338451E-01	.195177E-01	.127595E-01
.643382E-02	.605536E-02			
3464	5090	20	81.30000	
.216263E-03	.281141E-02	.394679E-02	.946150E-02	.191392E-01
.308715E-01	.485510E-01	.700151E-01	.882353E-01	.103752E+00
.116673E+00	.119647E+00	.105752E+00	.896950E-01	.722859E-01
.513624E-01	.315743E-01	.186526E-01	.108131E-01	.437932E-02
.167603E-02	.486591E-03			
13273	17011	20	186.90000	
.324394E-03	.318987E-02	.497404E-02	.940743E-02	.191933E-01
.297361E-01	.486591E-01	.666630E-01	.929930E-01	.105482E+00
.116998E+00	.117376E+00	.106617E+00	.922361E-01	.663386E-01
.521734E-01	.317365E-01	.174091E-01	.103806E-01	.475778E-02

sample corr. coef. (p) least squares estimators ( $C = \beta_0 + \beta_1 Y + \epsilon$ )

cost vs. duration -- key event 4  
.972125E+00 .250284E+04 .243942E+03  
cost vs. duration -- key event 10  
.531348E+00 .196178E+04 .656853E+02  
cost vs. duration -- key event 13  
.543696E+00 .201204E+04 .509784E+02  
total project cost vs. project duration  
.750275E+00 .791297E+04 .162591E+03

fraction of total project cost received at key events

<u>key event 4</u>	<u>key event 10</u>	<u>key event 13</u>
.422863E+00	.294404E+00	.282732E+00

Program CASH is then run to determine an expected profit when given a particular bid strategy. Table 15 is an output file from program CASH displaying a possible bid and its associated expected profit.

Table 15. Output File from Program CASH for Example 1 in Section

Period		Interest*	Cash Balance**
I =	1	IBA = 4.363	CASH = -1.751647
I =	2	IBA = 8.444	CASH = -4414.47
I =	3	IBA = 11.785	CASH = -6111.17
I =	4	IBA = 14.617	CASH = -7411.47
I =	5	IBA = 9.058	CASH = -4141.17
I =	6	IBA = 10.299	CASH = -5184.637
I =	7	IBA = 11.741	CASH = -6114.178
I =	8	IBA = 12.719	CASH = -6645.819
I =	9	IBA = 7.715	CASH = -4111.47
I =	10	IBA = 1.288	CASH = -6111.47
I =	11	IAF = 1.509	CASH = 1156.365
I =	12	IAF = 1.711	CASH = 1311.517
I =	13	IAF = 1.715	CASH = 1314.105
I =	14	IAF = 1.717	CASH = 1315.827

TERMINAL CASH POSITION = 3525.580

\* IBA -- interest on money borrowed,  
IAF -- interest on money deposited.

\*\* Cash balance at end of period.

-----BID PACKAGE-----

0.00 RECEIVED AT PROJECT START

KEY EVENT 4  
 BID LEVEL = 7715.31  
 DELIVERY DATE = 21.00  
 LATE PENALTY = .00

Table 15 (Continued)

KEY EVENT	10	
BID LEVEL	=	5369.42
DELIVERY DATE	=	46.00
LATE PENALTY	=	.00

KEY EVENT	11	
BID LEVEL	=	5153.70
DELIVERY DATE	=	47.00
LATE PENALTY	=	10.00

EXPECTED PROFIT = 120

EXPECTED PROFIT COST = 10145.64

UNDER THE CONSTRAINTS:

INITIAL CAPITAL = 500,000

INTEREST RATE ON MONEY DEPOSIT = 11% A

INTEREST RATE ON MONEY BORROW = 12% A

RETENTION RATE = 1.2000

### 6.5 Discussion of Program

A question often raised about problem solutions is the efficiency of the procedure. Obviously, a Monte Carlo simulation, for a network of practical size, will have a long run time. Yet, considering that the program will be run only once for a particular project, the cost incurred will most likely be outweighed by the information obtained from the run.

The example problem (13 nodes, 16 activities, and a sample size of 18,496) ran for approximately 270 minutes on an AI&I PC 6300. This was slightly more than 1 sample per second. Obviously, a more powerful computer would reduce run time considerably.

Programs AN-IN, AN-COST, and CASH have storage requirements of 94,264, 124,816, and 92,196 bytes, respectively, and were programmed on a PC with 640K RAM.

## 7. CONCLUSION AND DIRECTION FOR FUTURE RESEARCH

In the arena of project bidding, it is essential to submit a bid that will be competitive yet gainful to the bidder. For this reason, it is important that the manager have accurate and complete information on the project on which he is bidding. The computer package developed in this work gives the manager the distributions of duration and cost at the key events of the project, as well as the expected cash flow arising from the project execution. It also will assist him in cash flow calculations, and in the preparation of a bid package.

Application of AN theory to project bidding is an area of research that has been mostly ignored to this date. This work represents only the beginning of research in the area and needs empirical evidence to validate many of the assumptions of the model. A logical next step would be to approach the problem via analytical approximation as opposed to approximation by Monte Carlo simulation.

Further down the road, once the question of the determination of a bid has been satisfactorily investigated, is the problem of investment of additional resources in the project to yield earlier delivery dates for one or more of the key events of the project. This may be necessary in order to obtain the contract in a competitive environment if the delivery date is the overriding consideration. This problem goes deeper than the problem of optimal time-cost

trade-offs in directed acyclic networks because of the cash flow problem when determining a bid. The time-cost trade-off problem has not, to this date, been satisfactorily addressed in the case of probabilistic ANs.

Finally, a complete model of bidding should be cast in a game-theoretic framework, which has not been addressed in this thesis (here, we assumed a one-against-all model). This would take into account many factors such as the number of competitors bidding for the project, potential profit and loss functions, as well as multiple projects. The end result would be an overall bid strategy for the entire scope of many projects.



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9. Appendix

Appendix 9.1. Program Listing of ANC-IN

```

CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
C
C      P R O G R A M      A N C - I N                      31 NOV 86      C
C
C      MODIFIED      BY RUSSELL      S. VOGTMANN      C
C
C      THIS PROGRAM PREPARES AN INPUT DATA FILE FOR PROGRAM AN- C
C      COST. IT HAS THE CAPABILITY TO GENERATE A NETWORK AT RANDOM IF C
C      DESIRED. C
C      IT SHOULD BE SELF-EXPLANATORY. C
C
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
C
COMMON /PAR1/N,M,NRR,NCONT,MCS,NSIM,SCAL,NR(100),NT(50)
COMMON /PAR2/NS(100),NE(100),NDSTT(100),R(100,30),PR(100,30)
COMMON /PAR3/T(50,30),PT(50,30)
COMMON /PAR4/EX(100),STDY(100),VMIN(100),VMAX(100)
DIMENSION KEYN(50),NULT(100),NDS(100),AA(100),BB(100),CC(100)
DIMENSION DD(100),FC(100),DM(100)
DIMENSION NRC(100),P1(100)
CHARACTER FNAME*6,CFNAME*6

C
C      PRINT PROGRAM INTRODUCTION
C
C      CALL INFORM
C
C      THIS PROGRAM AREA OBTAINS GENERAL INFORMATION FROM USER
C
C      WRITE(*,301)
C      READ(*,302) FNAME
C      OPEN(3,FILE=FNAME,STATUS='NEW')
C      CALL REED2(NANG)
C      CALL REED3(NCONT)
C      MCS=0
C      NSIM=0
C      CALL REED5(N,M)
C      CALL REED6(SCAL)
C      CALL REED7(KEY,KEYN,NRR,N)
C      CALL HALT
C
C      GENERATE NETWORK IF DESIRED
C
C      IF (NANG.EQ.1) CALL GNRAT
C      NNANG=0
C      WRITE(3,202) SCAL,N,M,NRR,NCONT,MCS,NSIM,KEY,NNANG
C      WRITE(3,203) (KEYN(I),I=1,KEY)
C      IF (NANG.EQ.1) THEN
C
C      *****
C      OBTAIN DURATION INFO IF NETWORK HAS BEEN GENERATED.
C      *****

```

```

C
C
      CALL REED8(NOI)
      DO 6 I=1,NOI
        CALL REED9(I,NULT(I),NDS(I),NT(I))
C
          DO 7 I=1,NOI
            IF(NDS(I).NE.7) THEN
              CALL REED10(I,NDS(I),AA(I),BB(I),CC(I),DD(I))
            ELSE
              DO 12 J=1,NT(I)
                CALL REED11(I,J,T(I,J),PT(I,J))
12              ENDIF
              CONTINUE
7            CONTINUE
C
          K=0
          DO 8 I=1,NOI
            IF(I.GT.1) K=NULT(I-1)
          DO 9 II=K+1,NULT(I)
            WRITE(3,203) NS(II),NE(II),NDS(I),NT(I)
            IF(NDS(I).NE.7) THEN
              WRITE(3,205)AA(I),BB(I),CC(I),DD(I)
            ELSE
              WRITE(3,205)(T(I,J),PT(I,J),J=1,NT(I))
            ENDIF
9            CONTINUE
8            CONTINUE
C
C *****
C          OBTAIN DURATION INFO. IF NETWORK IS NOT GENERATED
C *****
C
      ELSE
        DO 22 I=1,M
          CALL REED12(I,NS(I),NE(I),NDSTT(I),NR(I))
          IF(NDSTT(I).NE.7) THEN
            CALL REED14(I,NDSTT(I),EX(I),STD(X(I),VMIN(I),VMAX(I))
          ELSE
            DO 11 J=1,NR(I)
              CALL REED15(I,J,R(I,J),PR(I,J))
11            ENDIF
            CONTINUE
            DO 102 I=1,M
              WRITE(3,205) NS(I),NE(I),NDSTT(I),NR(I)
              IF(NDSTT(I).NE.7) THEN
                WRITE(3,205)EX(I),STD(X(I),VMIN(I),VMAX(I)
              ELSE
                WRITE(3,205)(R(I,J),PR(I,J),J=1,NR(I))
              ENDIF
            CONTINUE
          END IF
          PRINT *, '*****'
          PRINT *, 'PROGRAM WILL ASK YOU FOR DATA TO RUN ',/,

```





```

C *****
C
C      SUBROUTINE      REED2(NANG)
C
C *****
C      CHARACTER      ISTOP*1
C      WRITE(*,1)
C      1      FORMAT(5X,'WOULD      YOU LIKE TO GENERATE      A RANDOM      NETWORK      ?',/,
C      &5X,'IF      SO, TYPE IN Y ',/,
C      &5X,'IF NOT, TYPE IN N .THIS MEANS YOUR NETWORK IS READY.',/,
C      &5X,'TO STOP, TYPE IN S ')
C      READ(*,2)ISTOP
C      2      FORMAT(A1)
C      IF(ISTOP.EQ.'S'.OR.ISTOP.EQ.'6')      STOP
C      IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'Y')      NANG=1
C      IF(ISTOP.EQ.'N'.OR.ISTOP.EQ.'N')      NANG=0
C      RETURN
C      END

```

```

C
C
C *****
C
C      SUBROUTINE      REED3(NCONT)
C
C *****
C
C      CHARACTER      ISTOP*1
C      WRITE(*,1)
C      1      FORMAT(5X,'DO      YOU HAVE ACTIVITIES      WITH CONTINUOUS      DISTRI ',/,
C      &5X,'BUTIONS      ?',/,
C      &5X,'IF      SO, TYPE IN Y ',/,
C      &5X,'IF NOT, TYPE IN N ',/,
C      &5X,'TO STOP, TYPE IN S ')
C      READ(*,2) ISTOP
C      2      FORMAT(A1)
C      IF(ISTOP.EQ.'S'.OR.ISTOP.EQ.'6')STOP
C      IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'Y')      NCONT=1
C      IF(ISTOP.EQ.'N'.OR.ISTOP.EQ.'N')      NCONT=0
C      RETURN
C      END

```

```

C
C *****
C
C      SUBROUTINE      REED5(N,M)
C
C *****
C
C      CHARACTER      ISTOP*1
C      1      WRITE(*,1)
C      1      FORMAT(5X,'TYPE      IN THE # OF NODES AND THE # OF ARCS ')
C      READ(*,*)N,M
C      IF(N.LE.50.AND.N.GE.2)      GO TO 3

```



```

WRITE(*,2)
2  FORMAT(5X,'THE      # OF NODES IS OUT OF RANGE.',/,
&5X,'WOULD YOU LIKE TO TYPE IN THE # OF NODES AND THE',/,
&5X,'# OF ARCS AGAIN ?',/,
&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN S AND THE PROGRAM WILL STOP.')
```

READ(\*,6) ISTOP

```

6  FORMAT(A1)
   IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN
       GO TO 7
   ELSE
       STOP
   ENDIF
3  IF(M.GE.N-1.AND.M.LE.N*(N-1)/2.AND.M.LE.100) GO TO 8
   WRITE(*,4)
4  FORMAT(5X,'THE      NUMBER OF ARCS IS OUT OF RANGE.',/,
&5X,'WOULD YOU LIKE TO TYPE IN THE # OF NODES AND THE ',/,
&5X,'# OF ARCS ?',/,
&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN S AND THE PROGRAM WILL STOP.')
```

READ(\*,6) ISTOP

```

   IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN
       GO TO 7
   ELSE
       STOP
   ENDIF
8  RETURN
END
```

C  
C  
C .....  
C

SUBROUTINE REED6(SCAL)

C  
C .....  
C

CHARACTER ISTOP\*1

```

4  WRITE(*,1)
5  FORMAT(5X,'TYPE IN THE INTERVAL WIDTH TO BE USED IN ',/,
&5X,'DISCRETIZATION FOR OBTAINING MEAN AND VAR.',/,
&5X,'A TYPICAL VALUE IS 0.5.')
```

READ(\*,6) SCAL

```

   IF(SCAL.LT.0.01) THEN
       WRITE(*,2)
7  FORMAT(5X,'SCAL VALUE IS NEGATIVE.')
```

&5X,'WOULD YOU LIKE TO ENTER CORRECT VALUE?')

```

&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')
```

READ(\*,6) ISTOP

```

   IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN
       GO TO 3
   ELSE
       STOP
   ENDIF
```

```

        STOP
    ENDIF
ELSE
ENDIF
RETURN
END

C
C
C *****
C
    SUBROUTINE    REED7(KEY,KEYN,NRR,N)
C
C *****
C
    DIMENSION    KEYN(50)
    CHARACTER     ISTOP*1,OK*1
4    WRITE(*,1)
1    FORMAT(5X,'TYPE          IN THE NUMBER OF ORDERED   PAIRS   IN THE ',/,
&5X,'APPROXIMATE          DISTRIBUTION.',/)
    READ(*,*)NRR
    IF(NRR.GT.30.OR.NRR.LE.0)          THEN
        WRITE(*,8)
8    FORMAT(5X,'VALUE          OF NRR OUT OF RANGE',/,
&5X,'WOULD      YOU LIKE TO INPUT CORRECTED   VALUE   ?',/,
&5X,'IF      SO TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')
    READ(*,7)ISTOP
7    FORMAT(A1)
        IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y')          THEN
            GO TO 4
        ELSE
            STOP
        ENDIF
    ELSE
    ENDIF
C
5    WRITE(*,2)
2    FORMAT(5X,'TYPE          IN THE # OF MILESTONES   OR KEY  NODES   IN',/,
&5X,'THE      PROJECT.')
```

READ(\*,\*)KEY

IF(KEY.LT.1.OR.KEY.GT.N.OR.KEY.GT.50) THEN

WRITE(\*,9)

9 FORMAT(5X,'VALUE OF KEY OUT OF RANGE',/,
&5X,'WOULD YOU LIKE TO TYPE IN CORRECTED VALUE ?',/,
&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')

READ(\*,7) ISTOP

IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN

GO TO 5

ELSE

STOP

ENDIF

ELSE

```

ENDIF
C
6  WRITE(*,3)
3  FORMAT(5X,'TYPE      IN THE LIST OF KEY NODES IN ASCENDING  ORDER.',/)
   READ(*,*)(KEYN(I),I=1,KEY)
   OK='Y'
   IF(KEYN(1).LE.0)      OK='N'
   IF(KEYN(KEY).NE.N)    OK='N'
   DO 11 I=2,KEY
      J=I-1
      IF(KEYN(J).GE.KEYN(I))      OK='N'
11  CONTINUE
   IF(OK.EQ.'N'.OR.OK.EQ.'n')      THEN
      WRITE(*,10)
10  FORMAT(5X,'VALUES      OF KEY NODES INCORRECT',/,
&5X,'EITHER      FIRST KEY NODE IS LE 0',/,
&5X,'OR      LAST KEY NODE IS NE N',/,
&5X,'OR KEY NODES NOT IN ASCENDING  ORDER',/,
&5X,'WOULD      YOU LIKE TO INPUT THE NODES AGAIN  ?',/,
&5X,'IF      SO, TYPE IN Y ',/,
&5X,'IF NOT TYPE IN N AND THE PROGRAM  WILL STOP.')
      READ(*,7)  ISTOP
      IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y')      THEN
         GO TO 6
      ELSE
         STOP
      ENDIF
   ELSE
      ENDIF
   RETURN
   END

C
C
C *****
C
SUBROUTINE      HALT
C
C *****
C
CHARACTER      ISTOP*1
WRITE(*,1)
1  FORMAT(5X,'WOULD      YOU LIKE TO CONTINUE  OR WOULD YOU LIKE',/,
&5X,'TO      STOP  ?',/,
&5X,'TO      CONTINUE,TYPE      IN Y ',/,
&5X,'TO      STOP, TYPE IN S ')
   READ(*,2)  ISTOP
2  FORMAT(A1)
   IF(ISTOP.EQ.'S'.OR.ISTOP.EQ.'s')      STOP
   RETURN
   END

C
C
C *****

```

```

C
      SUBROUTINE REED8(NOI)
C
C *****
C
      CHARACTER ISTOP*1
3     WRITE(*,1)
1     FORMAT(5X,'IT IS ASSUMED THAT THE ACTIVITY OF THE NETWORK',/,
&5X,'CAN BE DIVIDED INTO SEVERAL PARTITIONS. EACH PARTITION',/,
&5X,'IS REPRESENTED BY AN ACTIVITY NUMBER WHICH IS THE ',/,
&5X,'UPPER LIMIT OF THE PARTITION. EACH PARTITION HAS A',/,
&5X,'DIFFERENT TYPE OF DISTRIBUTION.',/,
&5X,'TYPE IN THE NUMBER OF PARTITIONS')
      READ(*,*) NOI
      IF(NOI.LE.0) THEN
        WRITE(*,2)
2     FORMAT(5X,'THE NUMBER OF PARTITIONS IS NOT A POSITIVE ',/,
&5X,'NUMBER.',/,
&5X,'WOULD YOU LIKE TO RE-ENTER THE NUMBER OF PARTITIONS',/,
&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN S AND THE PROGRAM WILL STOP.')
      READ(*,4)ISTOP
4     FORMAT(A1)
      IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN
        GO TO 3
      ELSE
        STOP
      ENDIF
      ELSE
      ENDIF
5     RETURN
      END
C
C *****
C
      SUBROUTINE REED9(I,NULT,NDS,NT)
C
C *****
C
      CHARACTER ISTOP*1, OK*1
4     WRITE(*,1)
1     FORMAT(5X,'NEXT FOR EACH PARTITION, TYPE IN THE FOLLOWING',/,
&5X,'3 QUANTITIES IN SERIAL ORDER:',/,
&5X,' A. NULT: IT IS THE NUMBER OF THE ACTIVITY REPRESENT-',/,
&5X,' ING THE UPPER LIMIT OF THE PARTITION.',/,
&5X,' B. NDS : IT IS THE TYPE OF DISTRIBUTION OF THE ',/,
&5X,' ACTIVITY DURATIONS IN THIS PARTITION.',/,
&5X,' FOR UNIFORM DISTN., NDS=1',/,
&5X,' FOR TRIANGULAR DISTN., NDS=2',/,
&5X,' FOR NORMAL DISTN., NDS=3',/,
&5X,' FOR EXPONENTIAL DISTN.,NDS=4',/,
&5X,' FOR GAMMA DISTN., NDS=5',/,

```

```

&5X,'          FOR BETA  DISTN.,          NDS=6',/,
&5X,'          FOR DISCRETE  DISTN.,      NDS=7',/,
&5X,'          NDS=7  FOR ANY  DISTN.  REPRESENTED  BY',/,
&5X,'          A SET OF FINITE ORDERED  PAIRS',/,
&5X,'    C. NT    : IT IS THE # OF ORDERED  PAIRS  IF NDS=7',/,
&5X,'          IF NDS IS NOT EQUAL TO 7, NT=0')
  WRITE(*,3)  I
3  FORMAT(5X,'TYPE      IN THE VALUES OF NULT,  NDS AND NT',/,
&5X,'FOR THE PARTITION  NO.',12)
  READ(*,*)NULT,NDS,NT
  CALL CHECK4(NULT,OK,ISTOP)
  IF(OK.EQ.'N'.OR.OK.EQ.'n')      THEN
    IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y')      THEN
      GO TO 4
    ELSE
      STOP
    ENDIF
  ELSE
    CALL CHECK3(NDS,NT,OK,STOP)
    IF(OK.EQ.'N'.OR.OK.EQ.'n')      THEN
      IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y')      THEN
        GO TO 4
      ELSE
        STOP
      ENDIF
    ELSE
      STOP
    ENDIF
  RETURN
END

C
C
C *****
C
C  SUBROUTINE  REED10(I,IT,EX,STDX,VMIN,VMAX)
C
C *****
C
C  CHARACTER  ISTOP*1,  OK*1
4  WRITE(*,1)  I
1  FORMAT(5X,'TYPE      IN THE VALUES OF EX,  STDX',/,
&5X,'VMIN,  VMAX,  FOR THE ACTIVITIES  IN PARTITION  NO. ',12,/,
&10X,'THE  PARAMETERS  ARE  EXPLAINED  BELOW:',/,
&5X,'DISTRIBUTION  INDEX  EX  STDX  REMARKS',/,
&5X,'  UNIFORM          1  0.0  0.0          ',/,
&5X,'  TRIANGULAR        2   M  0.0          ',/,
&5X,'  NORMAL             3  MEAN  S.D.        ',/,
&5X,'  EXPONENTIAL         4  MEAN          ',/,
&5X,'  GAMMA              5  ALPHA  BETA        ',/,
&5X,'  BETA               6  ALPHA  BETA        ',/,
&5X,'VMIN  IS THE MINIMUM  VALUE OF THE RANDOM  VARIABLE.',/,
&5X,'IT   IS USUALLY  DECIDED  BY THE  CRITERION:',/,
&5X,'P(Y.LE.VMIN)=0.0005.',/,

```

```

&5X,'VMAX IS THE MAXIMUM VALUE OF THE RANDOM VARIABLE.',/,
&5X,'IT IS DECIDED USUALLY BY THE CRITERION:--',/,
&5X,'P(Y.GE.VMAX)=0.0005.')
      READ(*,*) EX,STDV,VMIN,VMAX
      CALL CHECK1(IT,EX,STDV,VMIN,VMAX,OK,ISTOP)
      IF(OK.EQ.'N'.OR.OK.EQ.'n') THEN
        IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN
          GO TO 4
        ELSE
          STOP
        ENDIF
      ELSE
        ENDIF
      RETURN
    END

C
C
C *****
C
      SUBROUTINE REED11(I,J,R,PR)
C
C *****
C
      CHARACTER ISTOP*1
3      WRITE(*,1) J,I
1      FORMAT(5X,'TYPE IN THE',12,'TH PAIR OF ACTIVITY DURATION',/,
&5X,'AND PROBABILITY FOR PARTITION NO. ',12,/)
      READ(*,*) R,PR
      IF(R.LE.0.0.OR.PR.LT.0.0.OR.PR.GT.1.0) THEN
        WRITE(*,2)
2      FORMAT(5X,'THE VALUES OF DURATION AND/OR PROBABILITY',/,
&5X,'ARE OUT OF RANGE',/,
&5X,'WOULD YOU LIKE TO INPUT CORRECTED VALUES ? ',/,
&5X,'IF SO, TYPE IN Y',/,
&5X,'IF NOT, TYPE IN S AND THE PROGRAM WILL STOP.')
      READ(*,4) ISTOP
4      FORMAT(A1)
      IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN
        GO TO 3
      ELSE
        STOP
      ENDIF
      ELSE
        ENDIF
      RETURN
    END

C
C
C .....
C
      SUBROUTINE REED12(I,N,N1,N2,N3,N4,N5,N6,N7,N8)
C
C .....

```

C

CHARACTER ISTOP\*1, OK\*1

6 WRITE(\*,1) I

1 FORMAT(5X,'FOR ACTIVITY ',12,' READ IN THE PARAMETERS',/,

&amp;5X,'NS, NE, NDSTT, NR IN THAT ORDER:',/,

&amp;5X,' A. NS : STARTING NODE',/,

&amp;5X,' B. NE : ENDING NODE',/,

&amp;5X,' C. NDSTT: IT IS THE TYPE OF DISTRIBUTION OF THE ',/,

&amp;5X,' DURATION OF THE ACTIVITY.',/,

&amp;5X,' FOR UNIFORM DISTN., NDSTT=1',/,

&amp;5X,' FOR TRIANGULAR DISTN., NDSTT=2',/,

&amp;5X,' FOR NORMAL DISTN., NDSTT=3',/,

&amp;5X,' FOR EXPONENTIAL DISTN.,NDSTT=4',/,

&amp;5X,' FOR GAMMA DISTN., NDSTT=5',/,

&amp;5X,' FOR BETA DISTN., NDSTT=6',/,

&amp;5X,' FOR DISCRETE DISTN., NDSTT=7',/,

&amp;5X,' NDS=7 FOR ANY DISTN. REPRESENTED BY',/,

&amp;5X,' A SET OF FINITE ORDERED PAIRS,'/,

&amp;5X,' C. NR : IT IS THE # OF ORDERED PAIRS IF NDSTT=7',/,

&amp;5X,' IF NDSTT IS NOT EQUAL TO 7, NR=0')

READ(\*,\*) NS,NE,NDSTT,NR

CALL CHECK2(NS,NE,OK,ISTOP)

IF(OK.EQ.'N'.OR.OK.EQ.'n') THEN

IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN

GO TO 6

ELSE

STOP

ENDIF

ELSE

ENDIF

(CALL CHECK3(NDSTT,NR,OK,ISTOP)

IF(OK.EQ.'N'.OR.OK.EQ.'n') THEN

IF(ISTOP.EQ.'Y'.OR.ISTOP.EQ.'y') THEN

GO TO 6

ELSE

STOP

ENDIF

ENDIF

ENDIF

ENDIF

ENDIF

.....

.....

.....

.....

.....

.....

.....





```

ELSE
ENDIF
RETURN
END

C
C *****
C
      SUBROUTINE REED16(I,NS,NE,NDSTT,FC,DM)
C
C *****
C
6  WRITE(*,1) I,NS,NE
1  FORMAT(5X,'FOR ACTIVITY ',12,' FROM NODE ',13,' TO NODE ',13,/,
&5X,'INPUT THE FOLLOWING PARAMETERS:',/,
&5X,'A. FC : FIXED COST FOR ACTIVITY',/,
&5X,'B. DM : CONSTANT MULTIPLIER ON DURATION',/,
&5X,'C. NDSTT: IT IS THE TYPE OF DISTRIBUTION OF THE ',/,
&5X,' COST ABOUT <Y*DM>.',/,
&5X,' FOR CONSTANT*DUR., NDSTT=1',/,
&5X,' FOR NORMAL DISTN., NDSTT=2',/,
&5X,' FOR UNIFORM DISTN., NDSTT=3',/,
&5X,' FOR TRIANGULAR DIST., NDSTT=4',/)
      READ(*,*) FC,DM,NDSTT
      IF (FC.LT.0.0.OR.DM.LT.0.0) GOTO 6
      IF (NDSTT.LT.1.OR.NDSTT.GT.4) GOTO 6

C
      RETURN
      END

C
C *****
C
      SUBROUTINE REED17(I,P1,VMIN,VMAX)
C
C *****
C
4  WRITE(*,1) I
1  FORMAT(5X,'TYPE IN THE VALUES OF P1',/,
&5X,'VMIN, VMAX, FOR THE ACTIVITY NO. ',12,/,
&5X,'THE PARAMETERS ARE EXPLAINED BELOW:',/,
&5X,'DISTRIBUTION INDEX P1',/,
&5X,' CONSTANT*Y 1 0.0',/,
&5X,' NORMAL. 2 VAR',/,
&5X,' UNIFORM 3 0.0',/,
&5X,' TRIANGULAR 4 0.0',/,
&5X,'VMIN IS THE MINIMUM VALUE OF THE RANDOM VARIABLE',/,
&5X,'IT IS USUALLY DECIDED BY THE CRITERION',/,
&5X,'P1*(VMAX-VMIN)<0.005',/,
&5X,'VMAX IS THE MAXIMUM VALUE OF THE RANDOM VARIABLE',/,
&5X,'IT IS DECIDED USUALLY BY THE CRITERION',/,
&5X,'P1*(VMAX-VMIN)<0.005',/,
&5X,'READ * * P1 VMIN VMAX',/,
&5X,' * * * * *',/,
&5X,' * * * * *')
      READ(*,*) P1,VMIN,VMAX
      IF (P1.LT.1.OR.P1.GT.4) GOTO 4
      IF (VMIN.LT.0.0.OR.VMAX.LT.0.0) GOTO 4

```

```

      RETURN
      END
C
C *****
C
      SUBROUTINE REED18(I,FC,DM,NDS)
C
C *****
C
      CHARACTER ISTOP*1, OK*1
4      WRITE(*,1)
1      FORMAT(5X,'NEXT FOR EACH PARTITION, TYPE IN THE FOLLOWING',/,
&5X,'3 QUANTITIES IN SERIAL ORDER:',/,
&5X,' A. FC : FIXED COST FOR ACTIVITIES IN THIS PAR-',/,
&5X,' TITION.',/,
&5X,' B. DM : CONSTANT MULTIPLIER ON DURATION',/,
&5X,' (DURATION*DM IS THE MEAN OF THE COST',/,
&5X,' DISTRIBUTION.',/,
&5X,' C. NDS : IT IS THE TYPE OF DISTRIBUTION OF THE',/,
&5X,' COST ABOUT <DM>',/,
&5X,' FOR CONSTANT*DUR., NDS=1',/,
&5X,' FOR NORMAL DIST., NDS=2',/,
&5X,' FOR UNIFORM DISTN., NDS=3',/,
&5X,' FOR TRIANGULAR DIST., NDS=4',/))
      WRITE(*,3) I
3      FORMAT(5X,'TYPE IN THE VALUES OF FC, DM, AND NDS',/,
&5X,'FOR THE PARTITION NO.',I2)
      READ(*,*)FC,DM,NDS
      IF(NDS.GT.4.OR.NDS.LT.1) GOTO 4
      IF(FC.LT.0.0.OR.DM.LT.0.0) GOTO 4
      RETURN
      END
C
C *****
C
      SUBROUTINE REED19(I,P1,VMIN,VMAX)
C
C *****
C
4      WRITE(*,1) I
1      FORMAT(5X,'TYPE IN THE VALUES OF P1, VMIN, VMAX, AND THE TYPE OF DISTRIBUTION',/,
&5X,'VMIN, VMAX, FOR THE ACTIVITIES IN THIS PARTITION',/,
&10X,'THE PARAMETERS ARE EXPLAINED IN THE',/,
&5X,'DISTRIBUTION INDEX',/,
&5X,' CONST*Y',/,
&5X,' NORMAL',/,
&5X,' UNIFORM',/,
&5X,' TRIANGULAR',/,
&5X,'VMIN IS THE MINIMUM VALUE',/,
&5X,'VMAX IS THE MAXIMUM VALUE',/,
&5X,'P1 IS THE PROBABILITY OF FAILURE',/,
&5X,'VMAX IS THE MAXIMUM VALUE')

```

NO-A176 909

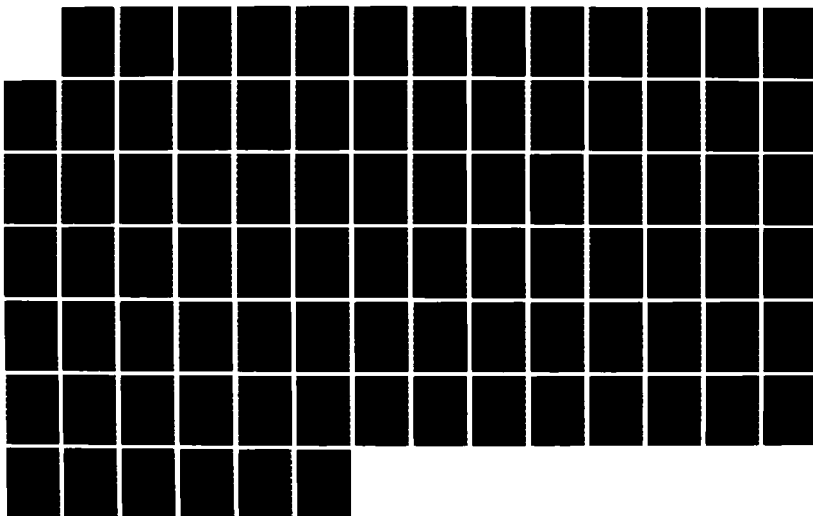
PROJECT BIDDING UNDER CHANCE TIME ESTIMATES(U) AIR  
FORCE INST OF TECH WRIGHT-PATTERSON AFB OH  
R S VOGTMANN 1986 AFIT/CI/NR-87-32T

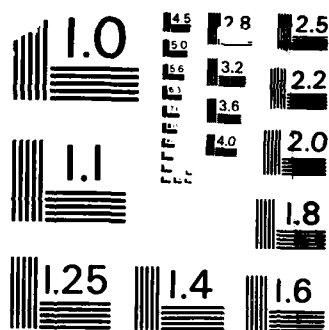
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MICROCOPY RESOLUTION TEST CHART  
NATIONAL BUREAU OF STANDARDS-1963-A

```

&5X,'IT IS DECIDED USUALLY BY THE CRITERION:','/,
&5X,'P(Y.GE.VMAX)=0.0005.')
      READ(*,*) P1,VMIN,VMAX
      IF (P1.LT.0.0.OR.VMIN.LT.0.0.OR.VMAX.LT.VMIN)      GOTO 4
      RETURN
      END

C
C
C *****
C
      SUBROUTINE CHECK1(IT,EX,STDV,VMIN,VMAX,OK,ISTOP)
C
C *****
C
      CHARACTER ISTOP*1,OK*1
      OK='Y'
      IF(VMIN.LE.0.0.OR.VMAX.LE.VMIN) THEN
        OK='N'
      ELSE IF(IT.EQ.3) THEN
        IF(EX.LE.VMIN.OR.EX.GE.VMAX.OR.STDV.LE.0.0) THEN
          OK='N'
        ELSE
          ENDIF
      ELSE IF(IT.EQ.4) THEN
        IF(EX.LE.VMIN.OR.EX.GE.VMAX) THEN
          OK='N'
        ELSE
          ENDIF
      ELSE IF(IT.EQ.5.OR.IT.EQ.6) THEN
        IF(EX.LE.0.0.OR.STDV.LE.0.0) THEN
          OK='N'
        ELSE
          ENDIF
      ELSE
        ENDIF
C
      IF(OK.EQ.'N'.OR.OK.EQ.'n') THEN
        WRITE(*,1)
1      FORMAT(5X,'SOME OF THE VALUES ARE OUT OF RANGE',/,
&5X,'WOULD YOU LIKE TO INPUT THE CORRECTED VALUES ?','/,
&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')
```

```

C
C *****
C
      CHARACTER      OK*1,   ISTOP*1
      OK='Y'
      IF(NS.LE.0.OR.NE.LE.0.OR.NE.LE.NS)          THEN
          OK='N'
      ELSE
      ENDIF
C
      IF(OK.EQ.'N'.OR.OK.EQ.'n')          THEN
          WRITE(*,1)
1      FORMAT(5X,'STARTING      AND/OR      ENDING      NODES      IS INCORRECT',/,
&5X,'WOULD      YOU LIKE TO INPUT THE CORRECT      VALUES      ?',/,
&5X,'IF      SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')
          READ(*,2)      ISTOP
2      FORMAT(A1)
      ELSE
      ENDIF
      RETURN
      END
C
C
C *****
C
      SUBROUTINE      CHECK3(NDS,NR,OK,ISTOP)
C
C *****
C
      CHARACTER      OK*1,   ISTOP*1
      OK='Y'
      IF(NDS.LT.1.OR.NDS.GT.7)          THEN
          OK='N'
      ELSE IF (NDS.EQ.7.AND.NR.EQ.0)          THEN
          OK='N'
      ELSE
      ENDIF
C
      IF(OK.EQ.'N'.OR.OK.EQ.'n')          THEN
          WRITE(*,1)
1      FORMAT(5X,'VALUES      OF DISTRIBUTION      TYPE      AND/OR      ',/,
&5X,'NO.      OF PAIRS IS INCORRECT',/,
&5X,'WOULD      YOU LIKE TO INP'T THE CORRECT      VALUES      ?',/,
&5X,'IF      SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')
          READ(*,2)      ISTOP
2      FORMAT(A1)
      ELSE
      ENDIF
      RETURN
      END
C

```

```

C
C *****
C
      SUBROUTINE      CHECK4(NULT,OK,ISTOP)
C
C *****
C
      CHARACTER      OK*1,   ISTOP*1
      OK='Y'
      IF(NULT.LE.0)   THEN
          OK='N'
      ELSE
          ENDIF
C
      IF(OK.EQ.'N'.OR.OK.EQ.'n')   THEN
          WRITE(*,1)
1      FORMAT(5X,'VALUE      OF NULT IS INCORRECT  ',/,
&5X,'WOULD      YOU LIKE TO INPUT THE CORRECT  VALUES  ',/,
&5X,'IF SO, TYPE IN Y ',/,
&5X,'IF NOT, TYPE IN N AND THE PROGRAM WILL STOP.')
          READ(*,2)   ISTOP
2      FORMAT(A1)
          ELSE
          ENDIF
          RETURN
          END
C *****
C
      SUBROUTINE      GNRAT
C
C      RANDOM ACTIVITY NETWORK GENERATOR. THE AN HAS N NODES AND M ARCS.
C      IT IS OF TYPE ACTIVITY ON ARC.
C *****
C
      REAL*8 IX
      COMMON /PAR1/N,M,NRR,NCONT,MCS,NSIM,SCAL,NR(100),NT(50)
      COMMON /PAR2/NS(100),NE(100),NDSTT(100),R(100,30),PR(100,30)
      COMMON /PAR3/IND(200),NCF(200),NCS(200),IIN(60),IOUT(60)
      DIMENSION NAF(60),NBE(60),A(50,50)
      IX=12345.000
      WRITE(*,4)N,M
4      FORMAT('1',6X,'GENERATE AN ACTIVITY NETWORK WITH',13,' NODES AND',
&14,' ARCS')
      DO 53 I=1,N
      DO 52 J=1,N
52      A(I,J)=0.0
53      CONTINUE
      L=N*(N-1)/2
      N1=N-1
      N2=N-2
      DN=FLOAT(N)
      LM=L-M
      MF=2*N-4
      DL=FLOAT(L)/2.0+1.0

```

```

      DN2=DN*(DN-1.0)
      DN3=DN+0.5
      IF(DL-M)10,10,20
C     THE DELETION METHOD
10    DO 3 I=1,N1
      JJ=I+1
      DO 2 J=JJ,N
2     A(I,J)=1.0
      IIN(I)=I-1
3     IOUT(I)=N-1
      IIN(N)=N-1
48    DO 13 I=1,LM
11    CALL RAND(IX,Y)
      Y1=Y*DN2+0.25
      X=DN3-SQRT(Y1)
      NO=IFIX(X)
      IF(NO.GT.X) NO=NO-1
      IF(IOUT(NO).LT.2) GO TO 11
      K=0
      JJ=NO+1
      DO 22 J=JJ,N
      IF(IIN(J).LT.2) GO TO 22
      IF(A(NO,J).EQ.0.0) GO TO 22
      K=K+1
      NAF(K)=J
22    CONTINUE
      IF(K.EQ.0) GO TO 11
      DEN=1.0/K
      CALL RAND(IX,X)
      DO 23 J=1,K
      UP=DEN*J
      IF(X.GT.UP) GO TO 23
      NI=NAF(J)
      GO TO 5
23    CONTINUE
5     A(NO,NI)=0.0
      IIN(NI)=IIN(NI)-1
      IOUT(NO)=IOUT(NO)-1
13    CONTINUE
      GO TO 50
C     THE ADDITION METHOD
20    DO 30 I=1,N1
      IOUT(I)=0
30    IIN(I)=0
      NRC=N-3
      NEM=N-3
      A(1,2)=1.0
      A(N1,N)=1.0
      NARCS=2
      IOUT(1)=1
      IOUT(N1)=1
      IIN(2)=1
      IIN(N)=1

```



```

      IF(MF.GE.M)      GO TO 40
      KK=0
31    CALL RAND(IX,Y)
      Y1=Y*DN2+0.25
      X=DN3-SQRT(Y1)
      NO=IFIX(X)
      IF(NO.GT.X)      NO=NO-1
      NN=N-NO
      IF(IOUT(NO).GE.NN)      GO TO 31
      K=0
      JJ=NO+1
      DO 32 J=JJ,N
      IF(A(NO,J).EQ.1.0)      GO TO 32
      K=K+1
      NAF(K)=J
32    CONTINUE
      DEN=1.0/K
      CALL RAND(IX,X)
      UP=0.0
      DO 33 J=1,K
      UP=UP+DEN
      IF(X.GT.UP)      GO TO 33
      NI=NAF(J)
      GO TO 34
33    CONTINUE
34    A(NO,NI)=1.0
      NARCS=NARCS+1
      IF(IOUT(NO).EQ.0)      NEM=NEM-1
      IF(IIN(NI).EQ.0)      NRC=NRC-1
      IIN(NI)=IIN(NI)+1
      IOUT(NO)=IOUT(NO)+1
      IF(NARCS.GE.M)      GO TO 50
      IF(KK.EQ.1)      GO TO 31
      MF=M-NARCS-NRC-NEM
      IF(MF.GT.0)      GO TO 31
40    IF(NRC.EQ.0)      GO TO 45
      K=0
      DO 41 I=3,N1
      IF(IIN(I).GT.0)      GO TO 41
      K=K+1
      NAF(K)=I
41    CONTINUE
      IF(K.EQ.0)      GO TO 45
      DO 42 I=1,K
      IJ=K+1-I
      NI=NAF(IJ)
      CALL RAND(IX,Y)
      X=1.0+(NI-1)*Y
      NO=IFIX(X)
      IF(NO.GT.X)      NO=NO-1
      A(NO,NI)=1.0
      NARCS=NARCS+1
      IIN(NI)=IIN(NI)+1

```

```

42      IOUT(NO)=IOUT(NO)+1
45      IF(NEM.EQ.0)      GO TO 51
          K=0
          DO 43 I=2,N2
              IF(IOUT(I).GT.0)      GO TO 43
              K=K+1
              NBE(K)=I
43      CONTINUE
          IF(K.EQ.0)      GO TO 51
          DO 44 I=1,K
              NO=NBE(I)
              CALL RAND(IX,X)
              Y=NO+1+(N-NO)*X
              NI=IFIX(Y)
              IF(NI.GT.Y)      NI=NI-1
              IIN(NI)=IIN(NI)+1
              IOUT(NO)=IOUT(NO)+1
              NARCS=NARCS+1
44      A(NO,NI)=1.0
51      KK=1
          IF(NARCS-M)31,50,47
47      LM=NARCS-M
          GO TO 48
50      K=0
          WRITE(*,14)NARCS
14      FORMAT(6X,'THE      ACTIVITY      NETWORK      HAS THE FOLOWING      ',13,'      ARCS')
          WRITE(*,15)
15      FORMAT(/,5X,'      I      NS(I)      NE(I)')
          DO 17 I=1,N1
              JJ=I+1
              DO 16 J=JJ,N
                  IF(A(I,J).NE.1.0)      GO TO 16
                  K=K+1
                  NS(K)=I
                  NE(K)=J
                  WRITE(*,8)K,NS(K),NE(K)
8          FORMAT(5X,5I7)
16      CONTINUE
17      CONTINUE
          RETURN
          END

C
C *****
C
C      SUBROUTINE      RAND(IX,D)
C
C *****
C
C      DOUBLE      PRECISION      Y,A,P,IX,B15,B16,XH1,XALO,LEFTLO,FH1,K
C
C      DATA      A/16807.D0/,B15/32768.D0/,B16/65536.D0/,P/2147483647.D0/
C
C      XH1=IX/B16

```

```

XHI=XHI-DMOD(XHI,1.D0)
XALO=(IX-XHI*B16)*A
LEFTLO=XALO/B16
LEFTLO=LEFTLO-DMOD(LEFTLO,1.D0)
FHI=XHI*A+LEFTLO
K=FHI/B15
K=K-DMOD(K,1.D0)
IX=((XALO-LEFTLO*B16)-P)+(FHI-K*B15)*B16)+K
IF(IX.LT.0.D0)IX=IX+P
Y=IX*4.656612875E-10
D=REAL(Y)
IX=IX+1.0
RETURN
END

```

C \*\*\*\*\*

## Appendix 9.2. Logic of Program AN-COST

### 1. OBTAIN NECESSARY NETWORK INFORMATION

- 1.1 CALL subroutine INTRO containing introduction and user information.
- 1.2 Obtain input and output file names from user.
- 1.3 Initialize variables to zero.
- 1.4 Read in network/duration/cost data from input file.
- 1.5 Obtain variable values necessary for MCS from user (% project cost to receive at project start, inflation rate, random number seed, and period length).
- 1.6 Read in mean and std.dev. values of key events from file TRNS.ANC

### 2. DETERMINE COST ALLOCATION PROPORTIONS

- 2.1 CALL subroutine SUBNET to determine the subgraphs of key events.
  - find subnetworks of all key events
  - remove activities from subnetworks of key event  $i$  that are members of the subnetwork of key event  $j$ , where  $j \neq i$
- 2.2 CALL subroutine SEPARATE to determine allocation Proportions,  $Prop(i)$ , of common act.'s
  - DO over activities
    - IF common to more than one key event THEN
      - determine cost allocation proportions via probability method or user determined percentages.
      - IF user determined THEN
        - obtain percentages from user
      - ELSE IF probability method THEN
        - determine key event with smallest mean
        - find  $p(i) = Pr \{ X(\text{smallest}) \leq X(i) \}$
        - IF  $p(i) \leq 0.9$  " set  $Prop(i)=0.00$
        - for remaining key events, set  $w(i) = Pr(Y_i \leq Y_1) * \dots * Pr(Y_i \leq Y_N)$
        - set  $Prop(i) = w(i) / \sum_j w(j)$
    - continue DO loop over activities
  - 2.3 CALL subroutine SUBNET to update cost allocation matrix with cost allocation proportions.
    - find subnetworks of all key events
    - remove activities from subnetworks of key event  $i$  that are members of the subnetwork of key event  $j$ , where  $j \neq i$
    - DO over activities
      - IF common activity THEN
        - update matrix with cost allocation proportions

### 3. INITIALIZE VARIABLES FOR MONTE CARLO SIMULATION

- 3.1 CALL XEXPEC to determine mean and std.dev. of activities (pre-programmed for allowed density functions) for use in setting the limits of the empirical distributions.

### 3.2 CALL INITIALIZE

- determine mean of cost distributions
- DO over key events
  - set endpoints of duration dist.'s to be ~ 3 std.dev.'s from mean
  - allow user to change endpoints
  - obtain number of cells in distributions from user
- set endpoints of cost dist.'s to be ~ a distance from the mean by some heuristic
- allow user to change endpoints
- obtain number of cells in distributions from user
- obtain same info for TOTAL COST distribution

### 3.3 CALL SAMPLESIZE to determine required sample size for MCS

- present menu to either get sample size info. or proceed with calc.'s
- obtain maximum difference between sample df and true df from user
- obtain confidence level from user
- determine sample size via Kolmogorov-Smirnov statistic
- allow user to change sample size if desired

## 4. PERFORM MONTE CARLO SIMULATION

- DO over number of Monte Carlo samples
  - CALL RNGENERATOR
    - DO over activities
      - generate activity duration
      - generate activity cost
  - CALL CRITICAL
    - determine critical path
      - calculate early start & early finish times
      - calculate activity floats
    - DO over activities
      - IF activity is on critical path THEN
        - increment critical indices counter
    - determine realization times of all key events
  - CALL PAYMENTS
    - determine cash "outflow" for network
      - DO over activities
      - DO over periods
        - IF activity is "active" in period THEN
          - increment array for MCS
      - continue over periods and activities
      - add in any fixed costs that activities have
    - alter cash "outflow" in accordance with inflation rate
    - determine cost of subgraphs of key events
    - determine total project cost
  - CALL CDF
    - increment empirical distributions arrays of duration and cost of key events and total project cost
    - increment mean and variance variables for duration and cost of key events and total project cost (using standard computa-

```

        tional formulas for mean and variance)
- CALL SMCORR
    - update correlation variables and regression variables
      (correlation and linear least squares regression between
      cost and duration of key events and total cost vs. proj. dur.)
    - DO over key events
        - update sum and sum of squares of duration and cost
        - update sum and sum of squares of total project cost
- CALL INCOME
    - update variables keeping track of the fractions of the total
      project cost that the key events comprise
    - DO over key events
        - remove fraction of cost to be received at proj. start
        - determine fraction of cost of subgraph of key event
        - update array containing fractions of key events over MCS
- CALL UPPAY
    - update cash "inflow" for project for each key event
    - DO over key events
        - determine the period that the key event was realized
        - update variables for "inflow" for MCS

Continue over DO loop

- CALL DISTMV
    - make final calculations on empirical distributions, means
      and variances of key events, and criticality indices of
      activities for MCS
- CALL KEINFO
    - output to disk file empirical distribution information and
      criticality indices
- CALL CORRF
    - make final calculations on sample correlation coefficients and
      least squares regression coefficients for MCS

5. OUTPUT ALL PERTINENT DATA TO FILE cashflow.dat FOR USE BY PROGRAM CASH

6. PRINT TERMINATION INFORMATION AND STOP PROGRAM EXECUTION.

```

### Appendix 9.3. Program Listing of AN-COST

```

CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
C
C      PROGRAM      A N - C O S T                      DATE:  28 OCT 86
C
C      WRITTEN      BY RUSSELL  S. VOGTMANN
C
C      THIS PROGRAM SIMULATES AN ACYCLIC NETWORK BY MONTE CARLO
C      TECHNIQUE TO DETERMINE THE EMPIRICAL DENSITY FUNCTIONS OF
C      REALIZATION TIME AND COST AT VARIOUS KEY EVENTS IN THE
C      NETWORK AND EXPECTED CASH FLOW STREAMS.
C
C      FOR MORE DETAILS, REFER TO MASTER'S THESIS BY RUSSELL S.
C      VOGTMANN. MORE DETAILS ARE ALSO GIVEN IN THE PROGRAM UNDER
C      PROGRAM INFORMATION.
C
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
C
C      VARIABLES:
C
C      ACOST( ): Contains sampled values of activity cost (does not include
C                fixed cost).
C      ALPHA: Interest rate on money deposited.
C      ASCEND( ): List of nodes in ascending order.
C      AVERG( ): Array containing the means of the key events obtained from
C                file TRNS.ANC after running DODIN's program.
C      BETA: Interest reate on money borrowed.
C      BHAT0( ): Intercept value in least squares regression on duration
C                and cost of key events.
C      BHAT1( ): Slope value in least squares regression on duration and
C                cost of key events.
C      CORR( ): Sample correlation of cost and duration of key events.
C      DECEND( ): List of nodes in descending order.
C      DESIRE: Desired percentage of profit.
C      DF( , ): Array of the observed density functions of the key events.
C      DIST( , ): Array containing the probabilities associated with durations
C                of discrete duration densities.
C      DURA( , ): Array containing the durations of discrete duration
C                densities.
C      DURATN( ): Contains the sampled values of activity durations.
C      EF(I): The early finish time of activity I for a particular MCS.
C      ES(I): The early start time of activity I for a particular MCS.
C      FRAC( ): The fraction of project cost that is attributed to each key
C                event for one MC sample (this is before the percentage is
C                taken out for what we want to receive at time 0).
C      FRACTN( ): The fraction of project cost that is attributed to each key
C                event for the entire simulation (this is after the percentage
C                is taken out for, STPERC, the percentage that we want at
C                time 0).
C      KEYDUR( ): Array that holds the observed duration to key events 1,n-1
C                for each MCS.
C      KEYEVN( ): Array containing the numbers of the key events.

```

C IWIDTH( ): Array containing the interval width of the empirical density  
 C functions for the key events and project cost.  
 C LL( ),RR( ): Left and Right endpoints of the distributions of time to  
 C the key events.  
 C MEAN( ): Array containing the sample means of the key events and the  
 C key event cost.  
 C NOP( ): Number of pairs of duration and probability for discrete  
 C activity durations.  
 C NKEYEN: Number of key events.  
 C NODEFI(I): The node that an activity precedes to.  
 C NODEST(I): The node that an activity emanates from.  
 C PAY( , ): Array (nkeyen,mxperd) containing the cost of subgraph for  
 C each key event during which period it was realized in.  
 C RATE: Retention Percentage.  
 C STDV( ): Array containing the standard deviation's of the key events  
 C obtained from file TRNS.ANC after running DODIN's program.  
 C STPERC: Percentage of project cost that we want to receive at time 0.  
 C SUBCO( ):   
 C SUBM( , ): The matrix that contains the cost associated from an activity  
 C to each key event.  
 C SUBN( , ): A dummy matrix used in conjunction with SUBM.  
 C SSUM( ): Contains the sum of the durations and costs of the key events  
 C to be used in calculation of correlation/least squares info.  
 C SSUMSQ( ): Contains the sum of the squares of duration and cost of  
 C key events.  
 C SUMXY( ): Contains the sum of the duration\*cost of key events.  
 C TDURAT: Var. of duration of node n (terminal node).  
 C TITLE: Title of the project.  
 C VAR( ): Array of sample variances of key events and tot. project cost.  
 C XEXP( ): Array containing the expected value's of the activity duration.  
 C XSTD( ): Array containing the standard dev.'s of the activity duration.  
 C  
 C CDUM( ): The number of the particular density of the duration of  
 C an activity.  
 C  
 C P1( ),P2( ),P3( ),P4( ): Parameters of the density functions of  
 C activity durations.  
 C  

DNUM	DENSITY	P1	P2	P3	P4
1	UNIF.CON.	--	--	L.END	R.END
2	TRIANG.	MODE	--	L.END	R.END
3	NORMAL	MEAN	VAR.	L.END	R.END
4	EXPONENTIAL	MEAN	--	--	--
5	GAMMA	ALPHA1	ALPHA2	--	--
6	BETA	SHAPE1	SHAPE2	L.END	R.END
7	DISCRETE	<<<ORDERED PAIRS>>>			

 C  
 C  
 C CPDF( ): Character array containing the name of the act. cost density.  
 C CDNUM( ): The number of the particular density of activity cost.



```

C
C CP1( ): Fixed cost associated with an activity.
C CP2( ),CP3( ),CP4( ),CP5( ): Parameters of the cost functions.
C
C
C
C      CDNUM    DENSITY      CP2          CP3          CP4    CP5
C      -----
C      1    CONST*Y    CONSTANT      ---      ---
C      2    NORMAL    MEAN=CP2*DUR.    VAR.    L.LIM    R.LIM
C      3    UNIFORM    SEE THESIS
C      4    TRIANGULAR    MODE=CP2*DUR.    ---    L.LIM    R.LIM
C      -----
C
C ----> FOR MORE INFORMATION ON COST FUNCTIONS, SEE MASTER'S THESIS
C        BY RUSSELL S. VOGTMANN "PROJECT BIDDING UNDER CHANCE TIME
C        ESTIMATES"
C
C MAIN+
C      SUBROUTINES:
C
C      CDF: ----- UPDATES EMPIRICAL DIST.'S IN MONTE CARLO SIM.
C      CRITICAL: ----- DETERMINES CRITICAL PATH IN MONTE CARLO SIM.
C      DISTMV: ----- DETERMINES FINAL VALUES FOR EMPIRICAL DIST.'S AND
C                      MEAN'S AND VAR.'S AFTER COMPLETION OF M.C. SIM.
C      INCOME: ----- UPDATE VARIABLE FRACTN THAT KEEPS TRACK OF THE
C                      FRACTION OF THE TOTAL PROJECT COST THAT A SUBGRAPH
C                      OF A KEY EVENT IS.
C      INITIALIZE: ----- DETERMINES REQUIRED VALUES FOR EMPIRICAL DIST.'S
C      INTRO: ----- PRINTS USER INFO
C      KEINFO: ----- OUTPUTS DATA ON EMPIRICAL DIST.'S (REAL TIME AND COST)
C      PAYMENTS: ----- DETERMINES CASH "OUTFLOW" AND COST OF SUBGRAPH'S
C
C      RNGENERATOR: ----- OBTAINS RANDOM VALUES OF DURATION AND COST DURING
C                          MONTE CARLO SIM. FOR EACH ACTIVITY IN NETWORK. THE
C                          FOLLOWING SUBROUTINES ARE CALLED FROM RNGENERATOR
C      --BETA ----- GENERATES DURATION FROM BETA DISTRIBUTION
C      --EXPON ----- GENERATES DURATION FROM EXPONENTIAL DISTRIBUTION
C      --GAMMA ----- GENERATES DURATION FROM GENERAL GAMMA DISTRIBUTION
C      --RANDOM ----- GENERATES UNIFORM(0,1) VALUE
C      --RCOST ----- GENERATES COST FOR EACH ACTIVITY IN NETWORK ONCE GIVEN
C                      THE ACTIVITIES DURATION
C      --RNORMAL ----- GENERATES VALUE (DURATION OR COST) FROM NORMAL DIST.
C      --TRIANGULAR ----- GENERATES VALUE (DURATION OR COST) FROM TRIANGULAR DIST.
C      --UNICON ----- GENERATES VALUE (DURATION OR COST) FROM UNIFORM DIST.
C
C      SEPARATE: ----- SEPARATES ACTIVITY COST FOR COMMON ACTIVITIES IN NETWORK
C      UPPAY: ----- UPDATES THE ARRAY PAY( , ) THAT TRACKS THE CASH
C                      "INFLOW" OF THE PROJECT (PER PERIOD)
C      XEXPEC: ----- DETERMINES VALUES OF EXPECTED VALUE AND STD.DEV. FOR
C                      ACTIVITIES IN NETWORK
C
C $LARGE
C      INTEGER ASCEND(100),DECEND(100),CYCLE,DNUM(100),LL(22),RR(22),

```

```

*          CDNUM(100),FLAGONE,FLAG2,FLAG3,CMODEL,NOP(100),
*          NCELLS(22),NODEST(100),NODEFI(100),KEYEVN(10)
REAL      LS(100),LSA(100),LF(100),DN(100),XEXP(100),XSTD(100),
*          CI(100),KEYDUR(10),IWIDTH(22),DF(22,102),SDISBUR(100),
*          PAY(10,100),PERCEN(100,10),ALPHA,BETA,RATE,POWER,
*          TWORTH,STPERC,DIST(100,30),DURA(100,30),P1(100),P2(100)
*          ,P3(100),P4(100),CP1(100),CP2(100),CP3(100),CP4(100),
*          CP5(100),AVERG(10),STDV(10),DURATN(100),ACOST(100),
*          ES(100),EF(100),EFA(100),TF(100),FF(100),SF(100),
*          SUBN(100,10),SUBM(100,10),LP(100)
DOUBLE    PRECISION  MEAN(22),VAR(22),SUM2(22),SSUM(21),SSUMSQ(21),
*                    SUMXY(11),CORR(11),BHATO(11),BHAT1(11),
*                    FRACN(10),PCOST,SUBCO(11)

REAL*8    IX
CHARACTER*6 FNAME,OUTP

C
CALL      INTRO

C
2 FORMAT(25(/))
3 FORMAT(5(/))

C
C---OPEN   FILE   FOR   INPUT   OF   NETWORK   AND   ACTIVITY   DURATION/COST   INFO.
C
WRITE(*,*) 'TYPE FILE NAME CONTAINING DURATION/COST DATA'
READ(*,4) FNAME
4 FORMAT(A6)
OPEN (UNIT=1,FILE =FNAME,STATUS = 'OLD')

C
C---OPEN   FILE   FOR   OUTPUT   OF   GENERAL   INFO.
C
WRITE(*,3)
WRITE(*,*) 'TYPE FILE NAME TO CONTAIN GENERAL OUTPUT'
READ(*,4) OUTP
OPEN (UNIT=3,FILE =OUTP,STATUS = 'NEW')

C---OPEN   FILE "KEDIST.DAT" FOR OUTPUT OF REAL. TIME DIST.'S
OPEN (UNIT=4,FILE = 'KEDIST.DAT',FORM = 'FORMATTED',
*      ACCESS = 'SEQUENTIAL', STATUS = 'NEW')

C---OPEN   FILE "CASHFLOW.DAT" FOR TESTING ONLY
OPEN (UNIT=8,FILE = 'CASHFLOW.DAT',FORM = 'FORMATTED',
*      ACCESS = 'SEQUENTIAL', STATUS = 'NEW')

C---OPEN   FILE "COSTD.DAT" FOR OUTPUT OF COST DIST.'S
OPEN (UNIT=7,FILE = 'COSTD.DAT',FORM = 'FORMATTED',
*      ACCESS = 'SEQUENTIAL', STATUS = 'NEW')

C---OPEN   FILE "TRNS.ANC" FOR INPUT OF MEAN'S AND STD. DEV.'S OF
C KEY EVENTS DETERMINED FROM DOD1TRNS.EXE
OPEN (UNIT=9,FILE='TRNS.ANC',STATUS='OLD')

C
C---VARIABLE INITIALIZATION
C
DO 5 I=1,100
CI(I)=0.0
NOP(I)=0
XEXP(I)=0.0

```

```

        XSTD(I)=0.0
        SDISBUR(I)=0.0
5      CONTINUE
C
      DO 6 I=1,22
      DO 7 J=1,102
        MEAN(I)=0.0
        VAR(I)=0.0
        SUM2(I)=0.0
        DF(I,J)=0.0
      7      CONTINUE
      6      CONTINUE
C
      DO 8 I=1,10
      DO 9 J=1,100
        PAY(I,J)=0.0
        FRACTN(I)=0.0
      9      CONTINUE
      8      CONTINUE
C
      DO 1 I=1,11
        SUMXY(I)=0.0
        BHAT0(I)=0.0
        BHAT1(I)=0.0
        CORR(I)=0.0
      1      CONTINUE
C
      DO 19 I=1,21
        SSUM(I)=0.0
        SSUMSQ(I)=0.0
      19      CONTINUE
C-----
C      READ DATA FROM INPUT FILE
C-----
      READ(1,11) SCAL,NODES,NACT,NRR,NCONT,MCS,NSIM,NKEYEN,NANG
11      FORMAT(F5.3,10I5)
      READ (1,106) ( KEYEVN(I), I=1,NKEYEN )
106     FORMAT(14I5)
      DO 10 I=1,NACT
        READ(1,103) NODEST(I),NODEFI(I),DNUM(I),NOP(I)
        IF (DNUM(I).EQ.7) THEN
          READ(1,104) (DURA(I,J),DIST(I,J),J=1,NOP(I))
        ELSE
          READ(1,104) P1(I),P2(I),P3(I),P4(I)
        ENDIF
      10      CONTINUE
C
      DO 90 I=1,NACT
        READ(1,103) CDNUM(I)
        READ(1,104) CP1(I),CP2(I),CP3(I),CP4(I),CP5(I)
      90      CONTINUE
C
103     FORMAT(14I5)

```

```

104 FORMAT(6E11.4)
C
WRITE(*,2)
WRITE(*,22)
22 FORMAT(5X,'YOU WILL NOW BE ASKED TO INPUT VALUES THAT WILL BE',/,
*5X,'USED IN THE COST CALCULATIONS')
WRITE(*,3)
WRITE(*,23)
23 FORMAT(2X,'INPUT PERIOD LENGTH (i.e. 5 days, etc. --THIS MUST BE I
*NTEGER VALUED)',/)
READ(*,*) CYCLE
WRITE(3,13) CYCLE
13 FORMAT(/1X,'THE PERIOD LENGTH = ',15)
111 WRITE(*,3)
WRITE(*,12)
READ(*,*) STPERC
IF (STPERC.GT.100) THEN
WRITE(*,*) 'OUT OF RANGE -- TRY AGAIN'
GOTO 111
ENDIF
WRITE(3,14) STPERC
14 FORMAT(/1X,'THE PERC. REQUIRED AT START = ',F6.3)
STPERC=STPERC/100
12 FORMAT(1X,'INPUT PERCENTAGE OF COST TO RECEIVE AT PROJECT START')
112 WRITE(*,3)
WRITE(*,*) 'INPUT THE INFLATION RATE (NOT A PERCENTAGE)'
READ(*,*) GAMMA
IF (GAMMA.GT.1) THEN
WRITE(*,*) 'OUT OF RANGE -- TRY AGAIN'
GOTO 112
ENDIF
WRITE(3,16) GAMMA
16 FORMAT(/1X,'THE INFLATION RATE = ',F6.5)
WRITE(*,3)
WRITE(*,*) 'INPUT RANDOM NUMBER SEED'
READ(*,*) IX
WRITE(3,17) IX
17 FORMAT(/1X,'THE INITIAL RANDOM NUMBER SEED = ',F20.2)
C
C---INPUT MEAN AND VARIANCE VALUE'S FROM FILE TRNS.ANC
C
DO 92 I=1,NKEYEN
READ(9,104) AVERG(I),STDV(I)
92 CONTINUE
C-----
C DETERMINE THE NODES IN ASCENDING ORDER FOR USE CRITICAL PATH
C CALCULATIONS
C-----
ASCEND(1) = NODEST(1)
LDT = 1
DO 210 I = 1,NACT
KDT = LDT
DO 200 K = 1,KDT

```

```

        IF ( NODEST(I) .EQ. ASCEND(K) ) GO TO 155
200    CONTINUE
        LDT = LDT + 1
        ASCEND(LDT) = NODEST(I)
155    DO 205 K = 1,KDT
        IF ( NODEFI(I) .EQ. ASCEND(K) ) GO TO 210
205    CONTINUE
        LDT = LDT + 1
        ASCEND(LDT) = NODEFI(I)
210    CONTINUE
        LM = LDT - 1
        DO 215 I = 1,LM
        M = I + 1
        DO 215 K = M,LDT
        IF ( ASCEND(I).LE.ASCEND(K) ) GO TO 215
        KTEMP = ASCEND(I)
        ASCEND(I) = ASCEND(K)
        ASCEND(K) = KTEMP
215    CONTINUE
C-----
C    NODES IN DESCENDING ORDER FOR SAME PURPOSE AS ABOVE
C-----
        DO 220 I = 1,LDT
        DECEND(I) = ASCEND(I)
220    CONTINUE
        DO 225 J = 1,LM
        L = J + 1
        DO 225 K = L,LDT
        IF ( DECEND(J).GE.DECEND(K) ) GO TO 225
        KTEMP = DECEND(J)
        DECEND(J) = DECEND(K)
        DECEND(K) = KTEMP
225    CONTINUE
C+++++
C
C    THE FOLLOWING PROGRAM SECTION OBTAINS THE PERCENTAGES TO BE
C    USED IN SPLITTING THE COSTS OF THE COMMON ACTIVITIES.
C
C    HERE, I ASSIGN A COST OF 1 TO ALL ACTIVITIES TO GET THE MATRIX
C    THAT ASSIGNS THE COST OF THE ACTIVITIES TO THE VARIOUS KEY EVENTS.
C
        DO 93 I=1,NACT
        ACOST(I)=1
93    CONTINUE
C
C    1. THE FIRST CALL TO SUBNET DETERMINES THE SUBNETWORKS ASSOCIATED
C    WITH ALL THE KEY EVENTS.
C    2. THE CALL TO SEPARATE OBTAINS THE PERCENTAGES OF THE COMMON ACT.'S
C    TO ASSIGN TO ITS KEY EVENTS.
C    3. THE SECOND CALL TO SUBNET THEN DETERMINES THE MATRIX OF PERCENT-
C    AGES THAT ASSIGNS THE COSTS OF ACTIVITIES TO KEY EVENTS.
C
        CALL SUBNET(NKEYEN,NACT,KEYEVN,NODEFI,NODEST,ACOST,ASCEND,SUBCO,

```

```

*          SUBM,PERCEN,FLAGONE)
FLAGONE=1
CALL SEPARATE(SUBM,I,NKEYEN,NODEST,NODEFI,KEYEVN,AVERG,STDV,
*          PERCEN,NACT,ACOST)
CALL SUBNET(NKEYEN,NACT,KEYEVN,NODEFI,NODEST,ACOST,ASCEND,SUBCO,
*          SUBM,PERCEN,FLAGONE)

C
CALL XEXPEC(XEXP,XSTD,NACT,P1,P2,P3,P4,DNUM,DIST,DURA,NOP)

C
CALL INITIALIZE(NKEYEN,LL,RR,IWIDTH,NMCS,KEYEVN,FLAGONE,AVERG,
*          STDV,SUBM,CP1,CP2,NACT,XEXP,XSTD,OUTP,NCELLS)

C
C+++++
C MONTE CARLO SIMULATION OF NETWORK
C+++++
MXPERD=0

C
WRITE(*,3)
WRITE(*,*) 'BEGIN MONTE CARLO SAMPLING'
DO 500 ICOUNT=1,NMCS
  IF (MOD(ICOUNT,50).EQ.0) WRITE(*,*) ICOUNT

C
CALL RNGENERATOR(NACT,DURATN,DNUM,P1,P2,P3,P4,ACOST,CDNUM,
*          CP1,CP2,CP3,CP4,CP5,DIST,DURA,NOP,IX)
CALL CRITICAL(NACT,NODEST,NODEFI,DURATN,DECEND,ASCEND,LM,LDT,
*          NKEYEN,KEYEVN,KEYDUR,C1,ES,EF)
CALL PAYMENTS(KEYDUR,NACT,CYCLE,ACOST,DURATN,ES,EF,SDISBUR,
*          NMCS,MXPERD,CP1,GAMMA,SUBCO,SUBM,NKEYEN,PCOST)
CALL CDF(LL,RR,IWIDTH,KEYDUR,DF,NKEYEN,MEAN,SUM2,SUBCO,PCOST)
CALL SMCORR(PCOST,SUBCO,KEYDUR,NKEYEN,SSUM,SSUMSQ,SUMXY)
CALL INCOME(NKEYEN,SUBCO,PCOST,STPERC,FRACTN,NMCS)
CALL UPPAY(KEYDUR,PAY,MXPERD,CYCLE,NMCS,NKEYEN,SUBCO,CAPITL)

C
500 CONTINUE
WRITE(*,*) 'MONTE CARLO SAMPLING COMPLETE'

C
C---THE NEXT TWO CALLS (DSTMV & KEINFO) FINISHES THE CALCULA-
C---TIONS ON THE ARRAY DF AND ON THE MEAN, VAR., AND C1, THEN SENDS
C---THE INFO. TO AN EXTERNAL DATA FILE.
C
CALL DSTMV(DF,MEAN,SUM2,VAR,NKEYEN,NMCS,C1,NACT)
CALL KEINFO(DF,MEAN,VAR,NKEYEN,LL,RR,IWIDTH,C1,NACT,KEYEVN)

C
C---THE NEXT CALL TO CORRF FINISHES THE CALCULATIONS ON THE SAMPLE
C---CORRELATIONS BETWEEN KEY EVENT DURATION AND COST, AS WELL AS THE
C---CALCULATIONS ON THE LEAST SQUARES FIT.
C---L.S. EQUATION ==> COST = BHAT0 + BHAT1*DURATION
CALL CORRF(NKEYEN,NMCS,SSUM,SSUMSQ,SUMXY,CORR,BHAT0,BHAT1)

C
C+++++
C MONTE CARLO SIMULATION ENDS
C+++++
C

```

C---OUTPUTTING CASH FLOW AND OTHER PERTINENT VALUES TO FILE

C "CASHFLOW.DAT"

FOR LATER USE

C

```

WRITE(8,650) CYCLE
WRITE(8,650) MXPED
WRITE(8,651) (SDISBUR(I),I=1,MXPED)
WRITE(8,650) NKEYEN
WRITE(8,650) (KEYEVN(I),I=1,NKEYEN)
DO 501 J=1,NKEYEN
    WRITE(8,651) (PAY(J,I),I=1,MXPED)

```

501 CONTINUE

```

WRITE(8,651) STPERC,CAPITL
DO 502 J=1,NKEYEN
    WRITE(8,651) MEAN(J),SQRT(VAR(J))
    WRITE(8,651) MEAN(J+10),SQRT(VAR(J+10))

```

502 CONTINUE

```

WRITE(8,651) MEAN(22),SQRT(VAR(22))

```

650 FORMAT(10I5)

651 FORMAT(5E13.7)

C

```

DO 660 I=1,NKEYEN
    WRITE(8,690) LL(I),RR(I),NCELLS(I),IWIDTH(I)
    WRITE(8,651) (DF(I,J),J=1,NCELLS(I)+2)
    WRITE(8,690) LL(I+10),RR(I+10),NCELLS(I+10),IWIDTH(I+10)
    WRITE(8,651) (DF(I+10,J),J=1,NCELLS(I+10)+2)

```

660 CONTINUE

```

WRITE(8,690) LL(22),RR(22),NCELLS(22),IWIDTH(22)
WRITE(8,651) (DF(22,J),J=1,NCELLS(22)+2)

```

690 FORMAT(I10,I10,I10,F15.5)

C

```

DO 665 I=1,NKEYEN
    WRITE(8,651) CORR(I),BHATO(I),BHAT1(I)

```

665 CONTINUE

```

WRITE(8,651) CORR(11),BHATO(11),BHAT1(11)

```

C

```

DO 666 I=1,NKEYEN
    WRITE(8,651) FRACTN(I)

```

666 CONTINUE

C

C---TERMINATION COMMENTS TO SCREEN

C

```

WRITE(*,2)

```

```

WRITE(*,653)

```

653 FORMAT(/1X,'PROGRAM AN-COST.EXE IS TERMINATING ---',//,,

\*10X,'1. OUTPUT INFORMATION',/,

\*10X,'2. EXIT PROGRAM',//,

\*5X,'ENTER CHOICE',//)

```

READ(*,*) ICHOICE

```

```

IF (ICHOICE.LT.1.OR.ICHOICE.GT.2) THEN

```

```

    WRITE(*,*) 'OUT OF RANGE --- EXITING PROGRAM'

```

```

    GOTO 655

```

```

ENDIF

```

```

IF (ICHOICE.EQ.1) CALL OUTHELP

```

```

C
C 655 STOP
C      END
C-----
C
C      SUBROUTINE      C D F
C
C          THIS SUBROUTINE INCREMENTS THE DIST. FUNC. ARRAYS FOR
C          THE KEY EVENTS AND PROJECT COST. IT ALSO TRACKS VALUES TO
C          DETERMINE THE MEAN AND VARIANCE OF THE REALIZATION TIME OF
C          THE KEY EVENTS, AS WELL AS FOR THE PROJECT COST.
C
C-----
C
C      SUBROUTINE      CDF (LL,RR,IWIDTH,KEYDUR,DF,NKEYEN,MEAN,SUM2,
C      *                SUBCO,PCOST)
C
C      INTEGER      LL(22),RR(22),NKEYEN
C      REAL          IWIDTH(22),KEYDUR(10),DF(22,102)
C      DOUBLE PRECISION      MEAN(22),SUM2(22),PCOST,SUBCO(11)
C
C      C---THIS <DO> LOOP INCREMENTS THE ARRAY DF FOR ALL KEY EVENTS.
C
C      DO 7000 K=1,NKEYEN
C          XX=(KEYDUR(K)-LL(K))/IWIDTH(K)
C          IF (XX-INT(XX).EQ.0.0) THEN
C              MARK=INT(XX)+1
C          ELSE
C              MARK=INT(XX)+2
C          ENDIF
C          IF (MARK.LE.0) MARK=1
C          IF (KEYDUR(K).GT.RR(K)) MARK=INT((RR(K)-LL(K))/IWIDTH(K))+2
C          DF(K,MARK)=DF(K,MARK)+1
C      7000 CONTINUE
C
C      C---NOW INCREMENT FOR COST OF SUBGRAPHS OF KEY EVENTS
C
C      DO 7020 K=11,NKEYEN+10
C          XX=(SUBCO(K-10)-LL(K))/IWIDTH(K)
C          IF (XX-INT(XX).EQ.0.0) THEN
C              MARK=INT(XX)+1
C          ELSE
C              MARK=INT(XX)+2
C          ENDIF
C          IF (MARK.LE.0) MARK=1
C          IF (SUBCO(K-10).GT.RR(K)) MARK=INT((RR(K)-LL(K))/IWIDTH(K))+2
C          DF(K,MARK)=DF(K,MARK)+1
C      7020 CONTINUE
C
C      C---NOW FOR THE TOTAL PROJECT COST
C
C          XX=(PCOST-LL(22))/IWIDTH(22)
C          IF (XX-INT(XX).EQ.0.0) THEN

```



```

        MARK=INT(XX)+1
    ELSE
        MARK=INT(XX)+2
    ENDIF
    IF (MARK.LE.0)      MARK=1
    IF (PCOST.GT.RR(22)) THEN
        MARK=INT((RR(22)-LL(22))/IWIDTH(22))+2
    ENDIF
    DF(22,MARK)=DF(22,MARK)+1
C
C---UPDATING      MEAN  AND  VARIANCE  COUNTERS  ON  DURATION  AND  COST
C
    DO 7005  K=1,NKEYEN
        MEAN(K)=MEAN(K)+KEYDUR(K)
        SUM2(K)=SUM2(K)+KEYDUR(K)*KEYDUR(K)
        MEAN(K+10)=MEAN(K+10)+SUBCO(K)
        SUM2(K+10)=SUM2(K+10)+SUBCO(K)*SUBCO(K)
7005  CONTINUE
C
C---UPDATE      MEAN  AND  VAR.  COUNTERS  FOR  PROJECT  COST
C
    MEAN(22)=MEAN(22)+PCOST
    SUM2(22)=SUM2(22)+PCOST*PCOST
C
    RETURN
    END
C-----
C
C      SUBROUTINE      C O R R F
C
C      THIS  SUBROUTINE  COMPLETES  THE  CALCULATIONS  FOR  SAMPLE  CORRELATION
C      AND  THE  LEAST  SQUARES  ESTIMATORS.
C-----
C
C      SUBROUTINE      CORR(NKEYEN,NMCS,SSUM,SSUMSQ,SUMXY,CORR,BHAT0,BHAT1)
C
C      INTEGER      NKEYEN,NMCS
C      DOUBLE      PRECISION      SSUM(21),SSUMSQ(21),SUMXY(11),RNUM,DEN,CORR(11),
C      *              BHAT0(11),BHAT1(11)
C
C---DETERMINE      SAMPLE  CORRELATION
C
    RNUM=0.
    DEN=0.
    DO 3700  I=1,NKEYEN
        RNUM=NMCS*SUMXY(I)-SSUM(I)*SSUM(I+10)
        DEN=(NMCS*SSUMSQ(I)-SSUM(I)**2)*(NMCS*SSUMSQ(I+10)-SSUM(I+10)**2)
        IF (DEN.EQ.0.) THEN
            CORR(I)=-9999
        ELSE
            CORR(I)=RNUM/SQRT(DEN)
        ENDIF
    ENDIF

```

```

3700  CONTINUE
C
      RNUM=NMCS*SUMXY(11)-SSUM(NKEYEN)*SSUM(21)
      DEN=(NMCS*SSUMSQ(NKEYEN)-SSUM(NKEYEN)**2)*(NMCS*SSUMSQ(21)-SSUM(21
      **2))
C
C  IF DEN EQUALS ZERO, THE NETWORK IS DETERMINISTIC AND CORR MAKES NO SENSE
C
      IF (DEN.EQ.0.) THEN
        CORR(11)=-9999
      ELSE
        CORR(11)=RNUM/SQRT(DEN)
      ENDIF
C
C---DETERMINE THE ESTIMATORS OF THE LEAST SQUARES FIT
C
      DO 3710 I=1,NKEYEN
        RNUM=NMCS*SUMXY(I)-SSUM(I)*SSUM(I+10)
        DEN=NMCS*SSUMSQ(I)-SSUM(I)**2
        IF (DEN.EQ.0.) THEN
          BHAT1(I)=-9999
        ELSE
          BHAT1(I)=RNUM/DEN
        ENDIF
C
        RNUM=SSUMSQ(I)*SSUM(I+10)-SSUM(I)*SUMXY(I)
        IF (DEN.EQ.0.) THEN
          BHAT0(I)=-9999
        ELSE
          BHAT0(I)=RNUM/DEN
        ENDIF
      3710 CONTINUE
C
      RNUM=NMCS*SUMXY(11)-SSUM(NKEYEN)*SSUM(21)
      DEN=NMCS*SSUMSQ(NKEYEN)-SSUM(NKEYEN)**2
      IF (DEN.EQ.0.) THEN
        BHAT1(11)=-9999
      ELSE
        BHAT1(11)=RNUM/DEN
      ENDIF
C
      RNUM=SSUMSQ(NKEYEN)*SSUM(21)-SSUM(NKEYEN)*SUMXY(11)
      IF (DEN.EQ.0.) THEN
        BHAT0(11)=-9999
      ELSE
        BHAT0(11)=RNUM/DEN
      ENDIF
C
      RETURN
      END
C-----
C
C  SUBROUTINE CRITICAL

```

```

C
C      THIS SUBROUTINE DETERMINES THE CRITICAL PATH, INCREMENTING
C      THE CRITICAL INDICES, AND DETERMINES THE REALIZATION TIMES
C      OF THE KEY EVENTS.
C-----
C
C      SUBROUTINE CRITICAL (NACT, NODEST, NODEFI, DURATN, DECEND, ASCEND,
*                          LM, LDT, NKEYEN, KEYEVN, KEYDUR, CI, ES, EF)
C      INTEGER NACT, NODEST(100), NODEFI(100), ASCEND(100), DECEND(100), LM,
*              LDT, NKEYEN, KEYEVN(10)
C      REAL DURATN(100), KEYDUR(10), ES(100), LS(100), EF(100), LF(100)
*              , TF(100), FF(100), SF(100), EFA(100), LSA(100), CI(100)
C      REAL TDURAT

C
C      CALCULATE EARLY START & EARLY FINISH
C
C      DO 230 I = 1, NACT
C          IF ( NODEST(I).NE.ASCEND(1) ) GO TO 230
C          ES(I) = 0.
C          EF(I) = ES(I) + DURATN(I)
230  CONTINUE
C
C      LM = LDT - 1
C      DO 235 J = 2, LM
C          BIG = 0.
C          DO 240 I = 1, NACT
C              IF ( NODEFI(I).NE.ASCEND(J) ) GO TO 240
C              IF ( EF(I).LE. BIG ) GO TO 240
C              BIG = EF(I)
240  CONTINUE
C          DO 245 I = 1, NACT
C              IF ( NODEST(I).NE.ASCEND(J) ) GO TO 245
C              ES(I) = BIG
C              EF(I) = ES(I) + DURATN(I)
245  CONTINUE
235  CONTINUE
C
C      TDURAT = 0.0
C      DO 250 I = 1, NACT
C          IF ( NODEFI(I).NE.ASCEND(LDT) ) GO TO 250
C          IF ( EF(I).LE. TDURAT ) GO TO 250
C          TDURAT = EF(I)
250  CONTINUE
C
C      CALCULATE LATE START AND LATE FINISH
C
C      DO 255 I = 1, NACT
C          IF ( NODEFI(I).NE.DECEND(1) ) GO TO 255
C          LF(I) = TDURAT
C          LS(I) = TDURAT - DURATN(I)
255  CONTINUE
C

```

```

DO 260 J = 2,LM
  SMALL = 2147483647.
DO 265 I = 1,NACT
  IF ( NODEST(I).NE.DECEND(J) ) GO TO 265
  IF ( LS(I).GE.SMALL ) GO TO 265
  SMALL = LS(I)
265 CONTINUE
DO 270 I = 1,NACT
  IF ( NODEFI(I).NE.DECEND(J) ) GO TO 270
  LF(I) = SMALL
  LS(I) = LF(I) - DURATN(I)
270 CONTINUE
260 CONTINUE
C
C---CALCULATE      FLOATS
C
DO 271 I = 1,NACT
  DO 266 J = 1,NACT
    IF ( NODEFI(I).NE.DECEND(J) ) GO TO 280
    EFA(I) = TDURAT
    GO TO 266
280 IF ( NODEFI(I).NE.NODEST(J) ) GO TO 266
    EFA(I) = ES(J)
266 CONTINUE
DO 275 J = 1,NACT
  IF ( NODEST(I).NE.ASCEND(J) ) GO TO 285
  LSA(I)=0
  GO TO 275
285 IF ( NODEST(I).NE.NODEFI(J) ) GO TO 275
  LSA(I) = LF(J)
275 CONTINUE
  TF(I) = LF(I) - ES(I) - DURATN(I)
  FF(I) = EFA(I) - ES(I) - DURATN(I)
  SF(I) = LF(I) - LSA(I) - DURATN(I)
271 CONTINUE
C
C---INCREMENT      CRITICAL      INDICES
C
DO 290 I=1,NACT
  IF (TF(I).LT.0.00001) CI(I)=CI(I)+1.0
290 CONTINUE
C
C---DETERMINE      REALIZATION      TIME      OF      KEY      EVENTS
C
DO 292 K=1,NKEYEN-1
DO 293 I=1,NACT
  IF (KEYEVN(K).NE.NODEST(I)) GO TO 293
  KEYDUR(K)=ES(I)
  GO TO 292
293 CONTINUE
292 CONTINUE
C
C---SET      REAL.      TIME      OF      END-NODE      TO      TDURAT

```

```

C
      KEYDUR(NKEYEN)=TDURAT
C
      RETURN
      END
C-----
C
C      SUBROUTINE      D I S T M V
C
C      THIS SUBROUTINE NORMALIZES THE VALUES IN DF AS WELL AS
C      MAKING THE FINAL CALCULATIONS OF THE MEAN AND VARIANCE OF
C      THE REALIZATION TIME OF KEY EVENTS.
C-----
C
C      SUBROUTINE      DISTMV(DF,MEAN,SUM2,VAR,NKEYEN,NMCS,CI,NACT)
C      INTEGER      NKEYEN,NMCS,NACT
C      REAL      DF(22,102),CI(100)
C      DOUBLE      PRECISION      MEAN(22),SUM2(22),VAR(22)
C
C      DO 3000 J1=1,NKEYEN
C      DO 3005 J2=1,102
C          DF(J1,J2)=DF(J1,J2)/NMCS
C          DF(J1+10,J2)=DF(J1+10,J2)/NMCS
C005  CONTINUE
C000  CONTINUE
C
C      DO 3006 J2=1,102
C          DF(22,J2)=DF(22,J2)/NMCS
C006  CONTINUE
C
C      C---MAKE      FINAL CALCULATIONS      ON MEAN AND VARIANCE      OF REALIZATION
C      C---TIMES      AND COST OF KEY EVENTS.
C
C      DO 3007 J1=1,NKEYEN
C          VAR(J1)=(NMCS*SUM2(J1)-MEAN(J1)*MEAN(J1))/(NMCS*NMCS-NMCS)
C          MEAN(J1)=MEAN(J1)/NMCS
C          VAR(J1+10)=(NMCS*SUM2(J1+10)-MEAN(J1+10)*MEAN(J1+10))/
C          *      (NMCS*NMCS-NMCS)
C          MEAN(J1+10)=MEAN(J1+10)/NMCS
C007  CONTINUE
C
C      C---FINAL      CALC.'S      ON MEAN AND VAR.      ON TOT. PROJECT COST
C
C          VAR(22)=(NMCS*SUM2(22)-MEAN(22)*MEAN(22))/(NMCS*NMCS-NMCS)
C          MEAN(22)=MEAN(22)/NMCS
C
C      DO 3008 J1=1,NACT
C          CI(J1)=CI(J1)/NMCS
C008  CONTINUE
C
C      RETURN

```

```

END
C-----
C
C      SUBROUTINE      I N C O M E
C
C      TAKE OUT THE PERCENTAGE OF COST PREDETERMINED TO RECEIVE AT
C      BEGINNING OF PROJECT, AND UPDATE OVERALL PROJECT COST FRACTIONS.
C-----
C
C      SUBROUTINE      INCOME(NKEYEN,SUBCO,PCOST,STPERC,FRACTN,NMCS)
C
C      INTEGER      NKEYEN,NMCS
C      REAL      STPERC
C      DOUBLE      PRECISION      FRACTN(10),FRAC(10),SUBCO(11),PCOST
C
C      DO 3510 I=1,NKEYEN
C          FRAC(I)=SUBCO(I)/PCOST
C3510  CONTINUE
C
C      SUBCO(NKEYEN+1)=STPERC*PCOST
C      DO 3520 I=1,NKEYEN
C          SUBCO(I)=FRAC(I)*(PCOST*(1-STPERC))
C          FRAC(I)=SUBCO(I)/PCOST
C          FRACTN(I)=FRACTN(I)+FRAC(I)/NMCS
C3520  CONTINUE
C
C      RETURN
C      END
C-----
C
C      SUBROUTINE      I N I T I A L I Z E
C
C      THIS SUBROUTINE OBTAINS THE NECESSARY INFO. FOR THE
C      DISTRIBUTION FUNCTIONS USED DURING THE MONTE CARLO SIM.
C
C      --THE DIST. FUNCTIONS CONTAIN AT MOST ONE HUNDRED INTERVALS.
C
C      ---DF(--,102) - ARRAY CONTAINING THE EMPIRICAL DIST. FUNC.
C      ---LL(-- ) - LEFT ENDPOINT OF A DIST. FUNC.
C      ---RR(-- ) - RIGHT " " " " "
C      ---IWIDTH(-- ) - INTERVAL WIDTH OF THE DIST. FUNC.
C-----
C
C      SUBROUTINE      INITIALIZE (NKEYEN,LL,RR,IWIDTH,NMCS,KEYEVN,FLAGONE,
C      *      AVERG,STDV,SUBM,CP1,CP2,NACT,XEXP,XSTD,
C      *      OUTP,NCELLS)
C
C      INTEGER      K,LL(22),RR(22),KEYEVN(10),FLAGONE,NCELLS(22)
C      REAL      IWIDTH(22),AVERG(10),STDV(10),CP2(100),CP1(100),
C      *      SUBM(100,10),XEXP(100),XSTD(100)
C      CHARACTER*1      DCHAR

```

```

      CHARACTER*6      OUTP
      REAL  CMEAN(10),CVAR(10)
C
C---DETERMINE      SOME  LIMITS  ON  THE  COST  DISTRIBUTIONS
C
      CTOT=0.0
      CTVAR=0.0
      DO 82  I=1,NKEYEN
          CMEAN(I)=0.0
          CVAR(I)=0.0
      82  CONTINUE
C
      DO 8050  I=1,NKEYEN
      DO 8051  I1=1,NACT
          CMEAN(I)=CMEAN(I)+SUBM(I1,I)*XEXP(I1)*CP2(I1)
          CMEAN(I)=CMEAN(I)+SUBM(I1,I)*CP1(I1)
          CVAR(I)=CVAR(I)+SUBM(I1,I)*XSTD(I1)*XSTD(I1)*CP2(I1)
      8051  CONTINUE
      8050  CONTINUE
C
      DO 8054  I=1,NKEYEN
          IF (CVAR(I).LE.0.0)      CVAR(I)=0.0
      8054  CONTINUE
C
      DO 8052  I=1,NKEYEN
          CTOT=CTOT+CMEAN(I)
          CTVAR=CTVAR+CVAR(I)
      8052  CONTINUE
          IF (CTVAR.LE.0.0)      CTVAR=0.0
C
C---GET  INFO  ON  EMPIRICAL  DIST.'S
C
      WRITE  (*,8081)
      WRITE  (*,8081)
      WRITE  (*,8080)
      WRITE  (*,8081)
      8080  FORMAT(///1X,'THE      EMPIRICAL      DENSITY      FUNCTION'S      OF  REALIZATION',/,
*5X,'TIME  OF  THE  KEY  EVENTS  WILL  ASSUME  THE  FOLLOWING  ENDPOINTS')
      8081  FORMAT(2(//),'      ')
C
      DO 8000  K=1,NKEYEN
          WRITE  (*,8090)  KEYEVN(K)
          LL(K)=INT(AVERG(K)-3*STDV(K))
          RR(K)=INT(AVERG(K)+3*STDV(K))
          IF (LL(K).EQ.RR(K))      THEN
              LL(K)=LL(K)-10
              RR(K)=RR(K)+10
          ENDIF
          IF (LL(K).LT.0.0)      LL(K)=0.0
          WRITE  (*,8091)  LL(K),RR(K)
      8090  FORMAT(//1X,'LOWER      AND  UPPER  ENDPOINTS  FOR  KEY  EVENT  ',14,'  ARE:')
      8091  FORMAT(/10X,I10,5X,I10)
          WRITE  (*,8070)

```

```

      READ(*,8074)      DCHAR
8070  FORMAT(/5X,'Are      These  Values  Acceptable?      (Y or N)')
8074  FORMAT(A1)
      IF (DCHAR.EQ.'N'.OR.DCHAR.EQ.'n')      THEN
      WRITE(*,8071)
8071  FORMAT(/5X,'THEN      INPUT  YOUR  OWN  VALUES  (LOWER  END  THEN  UPPER)')
      READ(*,*)      LL(K),RR(K)
      ENDIF
C
8010  WRITE  (*,8081)
      WRITE  (*,8093)  KEYEVN(K)
      READ  (*,*)  NCELLS(K)
      XINUM=NCELLS(K)
      IWIDTH(K)=(RR(K)-LL(K))/XINUM
8093  FORMAT(/1X,'HOW      MANY  INVTERVALS  FOR  DIST.  OF  KEY  EVENT',14,/,
&3X,'--recommended      value  is  no  more  than  20',/)
      IF (XINUM.GT.100)      THEN
      WRITE  (*,8095)
      GO TO 8010
      END IF
C
C---NOW  FOR  COST  DISTRIBUTIONS      OF  KEY  EVENTS
C
      WRITE  (*,8040)  KEYEVN(K)
      LL(K+10)=INT(CMEAN(K)-18*SQRT(CVAR(K)))
      RR(K+10)=INT(CMEAN(K)+18*SQRT(CVAR(K)))
      IF (LL(K+10).EQ.RR(K+10))      THEN
      LL(K+10)=LL(K+10)-10
      RR(K+10)=RR(K+10)+10
      ENDIF
      IF (LL(K+10).LT.0)      LL(K+10)=0
      WRITE(*,8091)      LL(K+10),RR(K+10)
8040  FORMAT(/1X,'ENDPOINTS      FOR  COST  DIST.  OF  KEY  EVENT  ',14,'  ARE')
      WRITE(*,8070)
      READ(*,8074)      DCHAR
      IF (DCHAR.EQ.'N'.OR.DCHAR.EQ.'n')      THEN
      WRITE(*,8071)
      READ(*,*)      LL(K+10),RR(K+10)
      ENDIF
C
8045  WRITE  (*,8081)
      WRITE  (*,8043)  KEYEVN(K)
      READ  (*,*)  NCELLS(K+10)
      XINUM=NCELLS(K+10)
      IWIDTH(K+10)=(RR(K+10)-LL(K+10))/XINUM
8043  FORMAT(/1X,'HOW      MANY  INVTERVALS  FOR  COST  OF  KEY  EVENT',14,/,
&3X,'--recommended      value  is  no  more  than  20',/)
      IF (XINUM.GT.100)      THEN
      WRITE  (*,8095)
      GO TO 8045
      END IF
8095  FORMAT('TOO      MANY  INTERVALS  (100-MAX!).  TRY  AGAIN.')
```



```

8000  CONTINUE
C
C---INPUT  INFO.  FOR  DIST.  OF  PROJECT  COST  (TOTAL).
C
      WRITE(*,8081)
      WRITE(*,8072)
8072  FORMAT(/5X,'LOWER          AND  UPPER  ENDPOINTS  FOR  TOTAL  COST  DIST.:')
      LL(22)=INT(CTOT-18*SQRT(CTVAR))
      RR(22)=INT(CTOT+18*SQRT(CTVAR))
      IF (LL(22).LT.0)      LL(22)=0
      IF (LL(22).EQ.RR(22))      THEN
          LL(22)=LL(22)-10
          RR(22)=RR(22)+10
      ENDIF
      WRITE(*,8091)      LL(22),RR(22)
      WRITE(*,8070)
      READ(*,8074)      DCHAR
      IF (DCHAR.EQ.'N'.OR.DCHAR.EQ.'n')      THEN
          WRITE(*,8071)
          READ(*,*)      LL(22),RR(22)
      ENDIF
C
8020  WRITE(*,8081)
      WRITE(*,*)      'HOW  MANY  INTERVALS  FOR  THE  PROJECT  COST  DIST.?'
      WRITE(*,*)      '  --recommended  value  is  no  more  than  20'
      READ(*,*)      NCELLS(22)
      XINUM=NCELLS(22)
      IWIDTH(22)=(RR(22)-LL(22))/XINUM
      IF (XINUM.GT.100)      THEN
          WRITE (*,8095)
          GO TO 8020
      ENDIF
C
C---ECHO  THE  DISTRIBUTION  VALUES  TO  THE  GENERAL  OUTPUT  FILE
C
      WRITE(3,*)      'VALUES  OF  ENDPOINTS  FOR  EMPIRICAL  DIST.'S  ARE:'
      WRITE(3,8098)
      WRITE(3,*)      '          LEFT-END          RIGHT-END          INT.-WIDTH'
      DO 8015  K=1,NKEYEN
          WRITE(3,16)      KEYEVN(K)
          WRITE(3,*)      '  REAL.  TIME  DIST.'
          WRITE(3,8096)      LL(K),RR(K),IWIDTH(K)
          WRITE(3,*)      '  COST  FUNC.'
          WRITE(3,8096)      LL(K+10),RR(K+10),IWIDTH(K+10)
          WRITE(3,8098)
8015  CONTINUE
      WRITE(3,*)      'TOTAL  PROJECT  COST'
      WRITE(3,8096)      LL(22),RR(22),IWIDTH(22)
      16  FORMAT(1X,'KEY  EVENT  ',15)
8096  FORMAT(10X,110,5X,110,3X,F10.2)
8098  FORMAT(/)
C
      CALL  SAMPLESIZE(NMCS)

```

```

C
C-----INITIALIZE      FLAGONE-----
      FLAGONE=0
C
      RETURN
      END
C+++++
C
C      SUBROUTINE      I N T R O
C
C      THIS SUBROUTINE      WRITES      INTRO.      INFORMATION      ON THE PROGRAM      AN-COST
C      TO THE SCREEN
C
C-----
C
C      SUBROUTINE      INTRO
C
      WRITE(*,10)
10  FORMAT(25(/))
      WRITE(*,1)
      PAUSE
      WRITE(*,10)
19  WRITE(*,20)
20  FORMAT(10X,'1.      GENERAL      PROGRAM      INFORMATION',/,
&10X,'2.      CONTINUE      WITH      MONTE      CARLO      SIMULATION',/,
&5X,'ENTER      CHOICE',/)
      READ(*,*)      ICH
      IF (ICH.LT.1.OR.ICH.GT.2)      THEN
          WRITE(*,*)      'OUT OF RANGE'
          GOTO 19
      ENDIF
      IF (ICH.EQ.2)      RETURN
C
      WRITE(*,6)
      PAUSE
      WRITE(*,2)
      PAUSE
      WRITE(*,3)
      PAUSE
      WRITE(*,4)
      PAUSE
      WRITE(*,5)
      PAUSE
      WRITE(*,7)
      PAUSE
      WRITE(*,10)
C
1  FORMAT(29X,'PROGRAM      AN-COST',/,/,
*29X,'      WRITTEN      BY',/,/,
*28X,'      RUSSELL      S.      VOGIMANN',/,/,
*5X,'ADVISOR:      SALAH      E.      ELMAGHRABY',/)
2  FORMAT(//10X,'TO      RUN      THIS      PROGRAM,      YOU      MUST:',/,
*10X,'      ',/,

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```

*10X,'      1. CREATE A FILE CONTAINING SOME GENERAL INFORMATION',/,
*10X,'      AND ACTIVITY DURATION/COST INFORMATION. (THIS CAN',/,
*10X,'      BE DONE BY RUNNING PROGRAM ANC-IN.EXE)',/,
*10X,'      2. PLACE THE MEANS AND STANDARD DEVIATIONS OF THE',/,
*10X,'      KEY EVENTS IN A DATA FILE NAMED "TRNS.ANC".',/,
*10X,'      (THIS CAN DONE BY RUNNING PROGRAM DOD1TRNS.EXE',/,
*10X,'      WHICH IS AN ALTERATION OF DODIN'S PROGRAM) ',/,
*10X,'      3. RUN AN-COST.EXE.',///)
3  FORMAT(//15X,'PROGRAM      ANC-IN.EXE HAS THE ADDITIONAL FACILITY',/,
*10X,'FOR      RANDOMLY GENERATING ACTIVITY NETWORKS.',/,
*15X,'THE      SAME FORMAT IN THE DATA FILE ON DURATION/COST IS',/,
*10X,'USED      AS IS IN DODIN'S PROGRAMS, THEREFORE DOD1TRNS.EXE',/,
*10X,'WILL      GIVE THE SAME INFORMATION ON THE DISTRIBUTIONS OF',/,
*10X,'KEY      EVENTS AS DOES DODIN1.EXE.',///)
4  FORMAT(//15X,'FOR      FURTHER DETAILS ON PROGRAMS ANC-IN.EXE, ',/,
*10X,'DOD1TRNS.EXE,      OR AN-COST.EXE REFER TO:',/,
*10X,'"PROJECT      BIDDING UNDER CHANCE TIME CONSTRAINTS"',/,
*10X,'Master's      Thesis by RUSSELL S. VOGTMANN',///)
5  FORMAT(//15X,'LIMITATIONS      ON THIS PROGRAM:',/,
*10X,'1.      MAX 100 ARCS',/,
*10X,'2.      MAX 50 NODES',/,
*10X,'3.      30 DURATIONS FOR AN ACTIVITY',/,
*10X,'4.      DIRECTED ACYCLIC NETWORKS',///)
6  FORMAT(//10X,'THIS      PROGRAM IS DESIGNED TO DETERMINE THE ',/,
*5X,'DISTRIBUTIONS      OF REALIZATION TIME AND COST OF KEY EVENTS',/,
*5X,'AND      THE STREAMS OF CASH FLOW OF DIRECTED ACYCLIC NETWORKS.',/,
*5X,' ',/,
*5X,'IT      DOES THIS BY MONTE CARLO SIMULATION OF THE NETWORK',///)
7  FORMAT(//10X,'ONCE      THIS PROGRAM IS COMPLETE, PROGRAM CASH.EXE',/,
*5X,'CAN      BE USED TO VIEW THE DISTRIBUTION FUNCTIONS, THE CASH',/,
*5X,'FLOW      STREAMS, THE PERCENTILES OF THE DISTRIBUTIONS, AND TO',/,
*5X,'DO      CASH FLOW CALCULATIONS FOR THE PROBLEM',///)

C
      RETURN
      END

C-----
C
C      SUBROUTINE      K E I N F O
C
C      THIS SUBROUTINE SENDS THE INFORMATION ON THE DIST. OF
C      THE REALIZATION TIME OF THE KEY EVENTS TO AN OUTPUT FILE
C      CALLED KEDIST.DAT .
C      THE CRITICAL INDICES ARE ALSO SENT TO THE, ABOVE, FILE.
C-----
C
C      SUBROUTINE      KEINFO(DF,MEAN,VAR,NKEYEN,LL,RR,IWIDTH,CI,NACT,
*      KEYEVN)
C      INTEGER      NKEYEN,LL(22),RR(22),NACT,KEYEVN(10)
C      REAL      DF(22,102),IWIDTH(22),CI(100)
C      DOUBLE PRECISION      MEAN(22),VAR(22)
C
C      REAL      F

```

```

C
WRITE(4,3088)
DO 3009 J1=1,NKEYEN
C
WRITE(4,*)
WRITE(4,3083) KEYEVN(J1)
3083 FORMAT(/1X,' ---- KEY EVENT',13,' -----')
KHOLD=(RR(J1)-LL(J1))/IWIDTH(J1)+2
KHOLD=INT(KHOLD)
C
C---THE FOLLOWING <DO> LOOP SENDS THE EMPIRICAL DATA ON THE DENSITY
C---FUNCTION OF THE REALIZATION TIME OF THE KEY EVENTS TO FILE KEDIST.DAT
C
DO 3010 J2=1,KHOLD
IF (J2.EQ.1) THEN
WRITE(4,3090) LL(J1),DF(J1,1)
GO TO 3010
ENDIF
IF (J2.EQ.KHOLD) THEN
WRITE(4,3092) RR(J1),DF(J1,KHOLD)
GO TO 3010
ENDIF
X1=LL(J1)+(J2-2)*IWIDTH(J1)
X2=X1+IWIDTH(J1)
X3=DF(J1,J2)
WRITE(4,3091) X1,X2,X3
C
3010 CONTINUE
C
C---THE FOLLOWING <DO> LOOP SENDS THE DATA ON THE DISTRIBUTION FUNC.
C---TO THE FILE.
C
SUM=0.00
DO 3012 J2=1,KHOLD-1
SUM=SUM+DF(J1,J2)
X1=LL(J1)+(J2-1)*IWIDTH(J1)
WRITE(4,3094) X1,SUM
3012 CONTINUE
C
C---THE OBSERVED MEAN AND VARIANCE OF THE REALIZATION TIME OF THE
C---KEY EVENTS (OBTAINED FROM THE MONTE CARLO SIM.) IS ALSO SENT
C---TO THE FILE.
C
WRITE(4,3095) MEAN(J1)
WRITE(4,3096) VAR(J1)
IF (VAR(J1).LE.0.) VAR(J1)=0.
WRITE(4,3099) SQRT(VAR(J1))
C
3009 CONTINUE
C
C---NOW SEND THE DIST. INFO. ON PROJECT COST TO THE FILE.
C
WRITE(7,*)

```

```

WRITE(7,*)
WRITE(7,*)      '      ---- PROJECT   COST   ---- '
KHOLD=(RR(22)-LL(22))/IWIDTH(22)+2
KHOLD=INT(KHOLD)

C
C---THIS <DO> LOOP SENDS THE DATA ON THE DENSITY FUNC. OF PROJECT
C COST TO THE FILE.
C
DO 3050 J2=1,KHOLD
  IF (J2.EQ.1) THEN
    WRITE(7,3090) LL(22),DF(22,1)
    GO TO 3050
  ENDIF
  IF (J2.EQ.KHOLD) THEN
    WRITE(7,3092) RR(22),DF(22,KHOLD)
    GO TO 3050
  ENDIF
  X1=LL(22)+(J2-2)*IWIDTH(22)
  X2=X1+IWIDTH(22)
  X3=DF(22,J2)
  WRITE(7,3091) X1,X2,X3
3050 CONTINUE

C
C---THIS LOOP SENDS THE DATA ON THE DIST. FUNC. TO THE FILE.
C
SUM=0.00
DO 3055 J2=1,KHOLD-1
  SUM=SUM+DF(22,J2)
  X1=LL(22)+(J2-1)*IWIDTH(22)
  WRITE(7,3094) X1,SUM
3055 CONTINUE

C
C---NOW SEND THE OBSERVED MEAN AND VAR. OF THE PROJECT COST.
C
WRITE(7,3095) MEAN(22)
WRITE(7,3096) VAR(22)
IF (VAR(22).LE.0.) VAR(22)=0.
WRITE(7,3099) SQRT(VAR(22))

C
C---SENDING COST DIST. INFORMATION TO OUTPUT FILE COSTD.DAT
C
DO 3020 J1=1,NKEYEN

C
WRITE(7,*)
WRITE(7,3083) KEYEVN(J1)
KHOLD=(RR(J1+10)-LL(J1+10))/IWIDTH(J1+10)+2
KHOLD=INT(KHOLD)

C
C---THE FOLLOWING <DO> LOOP SENDS THE EMPIRICAL DATA ON THE DENSITY
C---FUNCTION OF THE COST OF THE KEY EVENTS TO FILE COSTD.DAT
C
DO 3021 J2=1,KHOLD
  IF (J2.EQ.1) THEN

```

```

        WRITE(7,3090)      LL(J1+10),DF(J1+10,1)
        GO TO 3021
    ENDIF
    IF (J2.EQ.KHOLD)      THEN
        WRITE(7,3092)      RR(J1+10),DF(J1+10,KHOLD)
        GO TO 3021
    ENDIF
    X1=LL(J1+10)+(J2-2)*IWIDTH(J1+10)
    X2=X1+IWIDTH(J1+10)
    X3=DF(J1+10,J2)
    WRITE(7,3091)      X1,X2,X3
C
3021  CONTINUE
C
C---THE FOLLOWING <DO> LOOP SENDS THE DATA ON THE DISTRIBUTION FUNC.
C---TO THE FILE.
C
    SUM=0.00
    DO 3022 J2=1,KHOLD-1
        SUM=SUM+DF(J1+10,J2)
        X1=LL(J1+10)+(J2-1)*IWIDTH(J1+10)
        WRITE(7,3094)      X1,SUM
3022  CONTINUE
C
C---THE OBSERVED MEAN AND VARIANCE OF THE REALIZATION TIME OF THE
C---KEY EVENTS (OBTAINED FROM THE MONTE CARLO SIM.) IS ALSO SENT
C---TO THE FILE.
C
    WRITE(7,3095)      MEAN(J1+10)
    WRITE(7,3096)      VAR(J1+10)
    IF (VAR(J1+10).LE.0.)      VAR(J1+10)=0.
    WRITE(7,3099)      SQRT(VAR(J1+10))
C
3020  CONTINUE
C
C---THE FOLLOWING SENDS THE CRITICAL INDICES OF THE ACTIVITIES TO
C---THE, ABOVE, DATA FILE.
C
    WRITE(4,3098)
3098  FORMAT(/1X,' ---- CRITICAL INDEXES ---- ')
C
    DO 3029 J2=1,NACT
        WRITE(4,3097)      J2,CI(J2)
3097  FORMAT(1X,'ACTIVITY ',12,1X,'HAS A CRITICAL INDEX = ',F7.4)
3029  CONTINUE
C
3088  FORMAT(/1X,'DISTRIBUTION INFO. ABOUT THE KEY EVENTS.')
```

```

3090  FORMAT(1X,'Pr      ( X <= ',15,' ) = ',F8.4)
3092  FORMAT(1X,'Pr      ( X > ',15,' ) = ',F8.4)
3091  FORMAT(1X,'Pr      ( ',F9.3,' < X <= ',F9.3,' ) = ',F8.4)
3094  FORMAT(1X,'Pr      ( X <= ',F9.3,' ) = ',F8.4)
3095  FORMAT(/1X,'THE MEAN OF THE DIST. = ',F15.4)
3096  FORMAT(/1X,'THE VARIANCE OF THE DIST. = ',F15.4)
```

```

3099  FORMAT(/1X,'THE      STD.  DEV.  OF  THE  DIST.  =' ,F15.4)
C
      RETURN
      END
C-----
C
C      SUBROUTINE      O U T H E L P
C
C      THIS  SUBROUTINE  PROVIDES  INFORMATION  ON  THE  OUTPUT  OF  AN-COST
C-----
C
C      SUBROUTINE      OUTHELP
C
C      WRITE(*,1)
1  FORMAT(25(/))
      WRITE(*,2)
2  FORMAT(5X,'THE      FOLLOWING      OUTPUT  IS  AVAILABLE  ON  THE  RUN',/,
*10X,'      FILE      DATA',/,
*10X,'1.      KEDIST.DAT      ---      i)  EMPIRICAL      DENSITY      AND  DIST.',/,
*10X,'      FUNCTIONS      ON  REALIZATION',/,
*10X,'      TIME  OF  KEY  EVENTS',/,
*10X,'      ii)  ESTIMATED      CRITICAL      INDICES',/,
*10X,'2.      COSTD.DAT      ---      i)  EMPIRICAL      DENSITY      AND  DIST.',/,
*10X,'      FUNCTIONS      ON  COST  OF  KEY',/,
*10X,'      EVENTS',/,
*10X,'      ii)  EMPIRICAL      DENSITY      AND  DIST.',/,
*10X,'      FUNCTIONS      ON  TOTAL  PROJECT  COST',/,
*10X,'3.      <USER  NAMED>  ---  GENERAL  INFO.  ON  RUN',/,
*10X,'4.      CASHFLOW.DAT  ---  DATA  TO  BE  USED  BY  PROGRAM  "CASH"',/)
      PAUSE
C
      WRITE(*,3)
3  FORMAT(5(/),5X,'TO      VIEW  THE  DISTRIBUTION  DATA,  AS  WELL  AS  ',/,
*5X,'EXAMINE      THE  CASH  FLOW  FOR  THE  PROJECT,  RUN  PROGRAM  "CASH".',/,
*5X,'PROGRAM      CASH  WILL  ALSO  DO  CASH  FLOW  CALCULATIONS  FOR  THE',/,
*5X,'PROJECT.',/))
      PAUSE
      WRITE(*,1)
C
      RETURN
      END
C-----
C
C      SUBROUTINE      P A Y M E N T S
C
C      THIS  SUBROUTINE  DETERMINES  THE  DISBURSEMENTS  FOR  EACH
C      PERIOD  AND  EACH  MONTE  CARLO  SAMPLE.  AT  THE  END  OF  THE  MC
C      SIMULATION,  WE  WILL  HAVE  AN  AVERAGE  DISBURSEMENT  TO  USE  IN
C      THE  DETERMINATION  OF  PROFIT  MARGINS.
C-----
C

```

```

SUBROUTINE      PAYMENTS(KEYDUR,NACT,CYCLE,ACOST,DURATN,ES,EF,SDISBUR,
*
                                NMCS,MXPERD,CP1,GAMMA,SUBCO,SUBM,NKEYEN,PCOST)
INTEGER      NACT,CYCLE,NMCS,MXPERD,NKEYEN
REAL         SDISBUR(100),TDURAT,ACOST(100),DURATN(100),ES(100),
*           EF(100),CP1(100),GAMMA,SUBM(100,10),KEYDUR(10)
DOUBLE PRECISION      SUBCO(11),PCOST
INTEGER      CPPER
REAL         DISBUR(100),SUBPAY(10,100)

C
      NPERD=KEYDUR(NKEYEN)/CYCLE+3
      IF(NPERD.GT.MXPERD)      MXPERD=NPERD

C
      DO 6001  I=1,NKEYEN
      DO 6002  J=1,NPERD
            SUBPAY(I,J)=0
6002  CONTINUE
6001  CONTINUE

C
      DO 6003  I=1,NKEYEN+1
            SUBCO(I)=0
6003  CONTINUE

C
      DO 6004  I=1,100
            DISBUR(I)=0.0
6004  CONTINUE

C
      DO 6010  I=1,NACT
            IF (DURATN(I).EQ.0)      GO TO 6010
            HSTART=ES(I)
            HFINSH=EF(I)
6150      MP=HSTART/CYCLE+1
            MR=(MP-1)*CYCLE
            MS=MP*CYCLE
            IF (MS.GT.HFINSH)      GO TO 6160

C
            DISBUR(MP)=DISBUR(MP)+(MS-HSTART)*ACOST(I)/DURATN(I)
            DO 6005  I2=1,NKEYEN
                  IF (SUBM(I,I2).NE.0)      THEN
                        SUBPAY(I2,MP)=SUBPAY(I2,MP)+(MS-HSTART)*ACOST(I)*
*                               SUBM(I,I2)/DURATN(I)
            END IF
6005  CONTINUE

C
            HSTART=MP*CYCLE
            GO TO 6150

C
6160  IF (MR.LT.HFINSH)      THEN
C
            IF (MR.LT.HSTART)      THEN
                  DISBUR(MP)=DISBUR(MP)+(HFINSH-HSTART)*ACOST(I)/DURATN(I)
                  DO 6165  I2=1,NKEYEN
                        IF (SUBM(I,I2).NE.0)      THEN
                              SUBPAY(I2,MP)=SUBPAY(I2,MP)+(HFINSH-HSTART)*ACOST(I)*

```



```

*                                SUBM(I,I2)/DURATN(I)
                                END IF
6165      CONTINUE
C
                                ELSE
                                DISBUR(MP)=DISBUR(MP)+(HFINSH-MR)*ACOST(I)/DURATN(I)
                                DO 6167 I2=1,NKEYEN
                                IF (SUBM(I,I2).NE.0) THEN
                                SUBPAY(I2,MP)=SUBPAY(I2,MP)+(HFINSH-MR)*ACOST(I)*
*                                SUBM(I,I2)/DURATN(I)
                                END IF
6167      CONTINUE
                                END IF
C
                                END IF
6010      CONTINUE
C
C---THE FOLLOWING <DO> LOOP ADDS IN THE COST CP1( ), WHICH IS THE
C---CONSTANT COST THAT THE ACTIVITY INCURS REGARDLESS OF DURATION
C
DO 6020 J=1,NACT
CCPER=INT(ES(J)/CYCLE)+1
C
DISBUR(CCPER)=DISBUR(CCPER)+CP1(J)
DO 6125 J2=1,NKEYEN
IF (SUBM(J,J2).NE.0) THEN
SUBPAY(J2,CCPER)=SUBPAY(J2,CCPER)+CP1(J)*SUBM(J,J2)
END IF
6125      CONTINUE
C
6020      CONTINUE
C
C --- CHECK ALGORITHM FOR FUTURE VALUE HERE!!!!
C
DO 6040 I=1,NPERD
DISBUR(I)=DISBUR(I)*(1+GAMMA*CYCLE*(I-1)/365)
6040      CONTINUE
C
DO 6042 I=1,NKEYEN
DO 6043 J=1,NPERD
SUBPAY(I,J)=SUBPAY(I,J)*(1+GAMMA*CYCLE*(J-1)/365)
6043      CONTINUE
6042      CONTINUE
C
DO 6028 I=1,NKEYEN
DO 6029 J=1,NPERD
SUBCO(I)=SUBCO(I)+SUBPAY(I,J)
6029      CONTINUE
6028      CONTINUE
C
C---DETERMINE TOTAL PROJECT CLST
C
PCOST=0

```

```

      DO 3500 J=1,NKEYEN
        PCOST=PCOST+SUBCO(1)
3500  CONTINUE
C
      DO 6030 J=1,NPERD
        SDISBUR(J)=SDISBUR(J)+DISBUR(J)/NMCS
6030  CONTINUE
C
      RETURN
      END
C-----
C
C      SUBROUTINE      P C I N F O
C
C      THIS SUBROUTINE  GIVES  INFORMATION      ON THE ALLOCATION      OF COST OF
C      COMMON ACTIVITIES.
C-----
C
C      SUBROUTINE      PCINFO
C
C      WRITE(*,1)
1  FORMAT(25(/))
      WRITE(*,2)
2  FORMAT(5X,'THE      COST OF COMMON ACTIVITIES      CAN BE ALLOCATED      TO ',/,
*5X,'ITS      KEY EVENTS BY THE FOLLOWING      METHODS:',/,
*15X,'1.      PROBABILITY      METHOD',/,
*15X,'2.      USER GIVEN      %'S',/,
*1X,'INPUT      INFORMATION      OPTION...(OTHER      VALUES---RETURN)',/)
C
      READ(*,*)      IOPTION
      IF (IOPTION.LT.1.OR.IOPTION.GT.2)      RETURN
C
      IF (IOPTION.EQ.1)      THEN
        WRITE(*,1)
        WRITE(*,3)
3  FORMAT(5X,'THIS      COST ALLOCATION      METHOD DETERMINES      THE',/,
*5X,'PERCENTAGES      OF THE KEY EVENTS      AS FOLLOWS...',/,
*10X,'WEIGHT(i)      = Pr( X(i)<=X(j1)      ) *...* Pr( X(i)<=X(jN)      ) ',/,
*10X,' --where      X(i) denotes the r.v. of key event i',/,
*5X,'PERCENTAGE(i)      = NORMALIZED      VALUE',/)
        PAUSE
        WRITE(*,4)
4  FORMAT(///5X,'FOR      MORE INFORMATION      SEE MASTER'S      THESIS',/,
*5X,'PROJECT      BIDDING      UNDER CHANCE      TIME ESTIMATES"',/,
*5X,'by      Russell      S. Vogtmann.',/)
        PAUSE
C
      ELSE
        WRITE(*,1)
        WRITE(*,5)
5  FORMAT(5X,'THIS      OPTION      ALLOWS      THE USER TO INPUT      THE',/,
*5X,'PERCENTAGES      USING      HIS OWN DISCRETION.',/)

```

```

        PAUSE
    ENDIF

C
    RETURN
END

C-----
C
C    SUBROUTINE      R N G E N E R A T O R
C
C        THIS SUBROUTINE GENERATES THE RANDOM NUMBERS NEEDED
C        FOR THE MONTE CARLO SIMULATION.
C-----
C
C    SUBROUTINE      RNGENERATOR      (NACT,DURATN,DNUM,P1,P2,P3,P4,ACOST,CDNUM,
*                                     CP1,CP2,CP3,CP4,CP5,DIST,DURA,NOP,IX)
C
C        INTEGER      NACT,DNUM(100),CDNUM(100),NOP(100)
C        REAL         DURATN(100),P1(100),P2(100),P3(100),P4(100),CP1(100),
*                   CP2(100),CP3(100),CP4(100),ACOST(100),DIST(100,30),
*                   DURA(100,30),CP5(100)
C        REAL*8       IX
C
C    C---THIS LOOP OBTAINS VALUES FOR DURATN (THE DURATIONS OF ALL THE
C    C---ACTIVITIES IN THE NETWORK). IT ALSO CALLS SUBROUTINE RCOST TO
C    C---OBTAIN THE RANDOM VALUES OF THE COST OF THE ACTIVITIES.
C
C        DO 9000 I=1,NACT
C
C            GOTO (9011,9012,9013,9014,9015,9016,9017),DNUM(I)
C
C            9011      CALL UNICON(P3(I),P4(I),DURATN(I),IX)
C                     GO TO 8999
C            9012      CALL TRIANGULAR(P3(I),P1(I),P4(I),DURATN(I),IX)
C                     GO TO 8999
C            9013      CALL RNORMAL(P1(I),P2(I),P3(I),P4(I),DURATN(I),IX)
C                     GO TO 8999
C            9014      CALL EXPON(P1(I),P2(I),P3(I),P4(I),DURATN(I),IX)
C                     GO TO 8999
C            9015      CALL GAMMA(P1(I),P2(I),P3(I),P4(I),DURATN(I),IX)
C                     GO TO 8999
C            9016      CALL BETA(P1(I),P2(I),P3(I),P4(I),DURATN(I),IX)
C                     GO TO 8999
C            9017      CALL USER1(NOP,DIST,DURA,I,DURATN(I),IX)
C
C    C---HERE, I CALL SUBROUTINE RCOST TO OBTAIN THE RANDOM VALUES OF
C    C---THE COST OF THE ACTIVITIES.
C
C        8999 CALL RCOST(DURATN(I),ACOST(I),CDNUM(I),CP2(I),CP3(I),CP4(I),
*                   CP5(I),IX)
C
C        9000 CONTINUE
C

```

```

RETURN
END

C
C+++++
C
C      S U B R O U T I N E S
C
C      THE FOLLOWING PROGRAM AREA CONTAINS THE VARIOUS SUBROUTINES
C      TO GENERATE RANDOM NUMBERS FROM MANY DIFFERENT DISTRIBUTIONS.
C
C
C+++++
C
C      NORMAL      DIST.      MEAN=XBAR      VARIANCE=VAR
C                               NMIN=MIN.      VALUE      NMAX=MAX.      VALUE
C+++++
C
C      SUBROUTINE      RNORMAL(XBAR,VAR,NMIN,NMAX,VALUE,IX)
C      REAL      XBAR,VAR,NMIN,NMAX,VALUE
C      REAL*8      IX
C
C      C---POLAR      COORDINATE      METHOD
C
C      9020      CALL      RANDOM(IX,R1)
C               CALL      RANDOM(IX,R2)
C               VALUE=XBAR+SQRT(-2*ALOG(R1)*VAR)*COS(2*3.14159*R2)
C               IF (VALUE.LT.NMIN.OR.VALUE.GT.NMAX)      GOTO 9020
C               RETURN
C               END
C
C+++++
C
C      UNIFORM--CONTINUOUS      A=LEFT      END      B=RIGHT      END
C
C+++++
C
C      SUBROUTINE      UNICON(A,B,VALUE,IX)
C      REAL      A,B,VALUE
C      REAL*8      IX
C
C      CALL      RANDOM(IX,X)
C      VALUE=A+(B-A)*X
C      RETURN
C      END
C
C+++++
C
C      TRIANGULAR      DIST.      A=LEFT      END      B=MODE      C=RIGHT      END
C
C+++++
C
C      SUBROUTINE      TRIANGULAR(A,B,C,VALUE,IX)
C      REAL      A,B,C,VALUE
C      REAL*8      IX
C

```

```

      CALL RANDOM(IX,X)
      IF(X.LE.(B-A)/(C-A)) THEN
        VALUE=A+SQRT((C-A)*(B-A)*X)
      ELSE
        VALUE=C-SQRT((C-A)*(C-B)*(1-X))
      ENDIF
      RETURN
      END
C+++++
C
C      GAMMA   DIST.   ---   GAMMA(ALPHA,BBETA)
C
C+++++
C
      SUBROUTINE      GAMMA(ALPHA,BBETA,NMIN,NMAX,DURATN,IX)
      REAL      BBETA,ALPHA,NMIN,NMAX,DURATN
      REAL*8      IX
C
      X=1.0
      K=INT(ALPHA)
      Q=ALPHA-K
      IF (K.LE.0) THEN
        CALL RANDOM(IX,U)
        Z=-ALOG(U)
        CALL BETA(Q,1-Q,0,1,Y,IX)
        DURATN=BBETA*(X+Y*Z)
        RETURN
      ELSE
        CALL RANDOM(IX,U)
        TEMP=U
        IF (K.GT.1) THEN
          DO 9025 I=1,K-1
            CALL RANDOM(IX,U)
            TEMP=TEMP*U
9025      CONTINUE
        ENDIF
        X=-ALOG(TEMP)
        IF (Q.EQ.0) THEN
          DURATN=BBETA*X
          RETURN
        ELSE
          CALL RANDOM(IX,U)
          Z=-ALOG(U)
          CALL BETA(Q,1-Q,0,1,Y,IX)
          DURATN=BBETA*(X+Y*Z)
        ENDIF
      ENDIF
      RETURN
      END
C+++++
C
C      EXPONENTIAL   --   EX(DMEAN)
C

```

```

C+++++
C
      SUBROUTINE      EXPON(DMEAN,DUMMY,NMIN,NMAX,DURATN,IX)
      REAL            DMEAN,DUMMY,NMIN,NMAX,DURATN
      REAL*8          IX
C
9055  CALL  RANDOM(IX,X)
C
      DURATN=-ALOG(X)*DMEAN
      IF(DURATN.LT.NMIN.OR.DURATN.GT.NMAX)          GOTO 9055
      RETURN
      END
C+++++
C
      BETA  DIST.      C=LEFT  ENDPOINT      D=RIGHT  ENDPOINT
C                   A=1ST  SHAPE  PAR.      B=2ND  SHAPE  PAR.
C
C+++++
C
      SUBROUTINE      BETA(A,B,C,D,DURATN,IX)
      REAL            A,B,C,D,DURATN
      REAL*8          IX
      ITER=1
C
9057  CALL  RANDOM(IX,U1)
      CALL  RANDOM(IX,U2)
      Y1=U1**(1/A)
      Y2=U2**(1/B)
      IF ((Y1+Y2).LE.1.0)      THEN
          Y=Y1/(Y1+Y2)
          DURATN=C+(D-C)*Y
          RETURN
      ELSE
          ITER=ITER+1
      ENDIF
C
      IF (ITER.LT.100)      THEN
          GOTO 9057
      ELSE
          WRITE(*,9058)
          STOP
      ENDIF
9058  FORMAT(1X,      ' 100 INTERATIONS      OVER  IN BETA  WITHOUT      SUCCESS')
      RETURN
      END
C+++++
C
      USER  DEFINED  DISCRETE  DENSITIES
C
      THESE  ARE  ORDERED  PAIRS  OF  DURATIONS  AND  PROBABILITIES--
C
      THE  DURATIONS  ARE  STORED  IN  DURA,  AND  THE  PROB.'S  IN  DIST
C
C+++++

```

```

C
      SUBROUTINE      USER1(NOP,DIST,DURA,I,DURATN,IX)
      INTEGER      I,NOP(100)
      REAL      DIST(100,30),DURA(100,30),DURATN
      REAL*8      IX

C
      CALL      RANDOM(IX,X)
      CUMDIST=0.0
      DO 9060      II=1,NOP(I)
          CUMDIST=CUMDIST+DIST(I,II)
          IF (X.LE.CUMDIST)      THEN
              DURATN=DURA(I,II)
              RETURN
          ENDIF
      9060      CONTINUE
      9065      RETURN
      END

C
C+*****
C
C      RANDOM      UNIFORM(0,1)
C
C+*****
C
      SUBROUTINE      RANDOM(IX,D)
      DOUBLE      PRECISION      Y,A,P,IX,B15,B16,XHI,XALO,LEFTLO,FHI,K
      DATA      A/16807.D0/,B15/32768.D0/,B16/65536.D0/,P/2147483647.D0/

C
      XHI=IX/B16
      XHI=XHI-DMOD(XHI,1.D0)
      XALO=(IX-XHI*B16)*A
      LEFTLO=XALO/B16
      LEFTLO=LEFTLO-DMOD(LEFTLO,1.D0)
      FHI=XHI*A+LEFTLO
      K=FHI/B15
      K=K-DMOD(K,1.D0)
      IX=((XALO-LEFTLO*B16)-P)+(FHI-K*B15)*B16)+K
      IF(IX.LT.0.D0)      IX=IX+P
      Y=IX*4.656612875E-10
      D=REAL(Y)
      IX=IX+1.0
      RETURN
      END

C+*****
C
C      SUBROUTINE      R C O S T
C
C      THIS      SUBROUTINE      DETERMINES      THE      COST      OF      AN      ACTIVITY
C      IN      A      PARTICULAR      MONTE      CARLO      SAMPLE.      (TAKING      INTO      ACCOUNT
C      THE      POSSIBLE      RANDOM      VARIATION      OF      COST).
C
C+*****
C

```

```

SUBROUTINE RCONST(DURATN,ACOST,CDNUM,CP2,CP3,CP4,CP5,IX)
INTEGER CDNUM
REAL DURATN,ACOST,CP2,CP3,CP4,CP5
REAL*8 IX

C
GOTO(9071,9072,9073,9074),CDNUM

C
C---CONSTANT COST/UNIT TIME
9071 ACOST=CP2*DURATN
RETURN

C
C---COST=NORMAL R.V. ABOUT A MEAN=CONST.*DURATION AND A
C---SPECIFIED VARIANCE.
9072 CALL RNORMAL(CP2*DURATN,CP3,CP4,CP5,ACOST,IX)
RETURN

C
C---COST=UNIFORM R.V. ABOUT A MEAN=CONST.*DURATION AND SPECIFIED
C---DISTANCE BETWEEN ENDPOINTS AND MEAN.
9073 CALL UNICON(CP2*DURATN-CP3,CP2*DURATN+CP4,ACOST,IX)
RETURN

C
C---TRIANGULAR COST DIST. ABOUT A MODE=CONST.*DURATION AND SPECIFIED
C---DISTANCE BETWEEN ENDPOINTS AND MODE
9074 CALL TRIANGULAR(CP2*DURATN,CP2*DURATN-CP4,CP2*DURATN+CP5,
* ACOST,IX)
RETURN
END

C-----
C
C SUBROUTINE SAMPHELP
C
C THIS SUBROUTINE PROVIDES INFORMATION ON THE SAMPLE SIZE DETERMINA-
C TION.
C-----
C
C SUBROUTINE SAMPHELP
C
C WRITE(*,1)
1 FORMAT(25(//))
WRITE(*,2)
2 FORMAT(5X,'THIS PROGRAM IS ESTIMATING THE DISTRIBUTION FUNC-',/,
*5X,'TIONS OF DURATION AND COST AT VARIOUS KEY EVENTS. IN ',/,
*5X,'ORDER TO DO THIS WITH SUFFICIENT ACCURACY, WE MUST MAKE',/,
*5X,'THE SAMPLE SIZE LARGE ENOUGH.',/,
*5X,'THIS SAMPLE SIZE CAN BE DETERMINED VIA THE KOI.MOGOROV-',/,
*5X,'SMIRNOV STATISTIC FOR GOODNESS-OF-FIT. THIS PROGRAM',/,
*5X,'USES THE LIMITING STATISTICS (AS SAMPLE SIZE INCREASES',/,
*5X,'TO INFINITY) TO DETERMINE THE SAMPLE SIZE.',/,
*5X,'THESE VALUES WERE TABULATED BY N. SMIRNOV IN "TABLE FOR',/,
*5X,'ESTIMATING THE GOODNESS OF FIT OF EMPIRICAL DISTRIBUTIONS"',/,
*5X,'ANNALS OF MATHEMATICAL STATISTICS, 19(1948), p.279-281',/,
PAUSE

```



```

      WRITE(*,1)
C
      RETURN
      END
C-----
C
C      SUBROUTINE      S A M P L E S I Z E
C
C      THIS SUBROUTINE DETERMINES THE REQUIRED SAMPLE SIZE FOR THE
C      REQUIREMENTS OF THE USER.
C-----
C
C      SUBROUTINE      SAMPLESIZE(NMCS)
C
C      INTEGER      NMCS
C      REAL      D(11),A(11)
C      CHARACTER*1      NCHAR
C      DATA      D / 0.826,0.861,0.895,0.932,0.973,1.02,1.073,1.138,1.225,
C      *1.36,1.63 /
C      DATA      A / 0.5,0.55,0.6,0.65,0.7,0.75,0.8,0.85,0.9,0.95,0.99 /
C
C      8099 WRITE(*,8100)
C      8100 FORMAT(25(/))
C
C      WRITE(*,8105)
C      8105 FORMAT(5X,'THIS PORTION OF THE PROGRAM DETERMINES THE NECESSARY',/
C      *5X,'SAMPLE SIZE FOR THE MONTE CARLO SIMULATION',///,
C      *10X,'1. SAMPLE SIZE INFORMATION',/,
C      *10X,'2. PROCEED WITH SAMPLE SIZE DETERMINATION',/,
C      *10X,'3. TERMINATE PROGRAM',/,
C      *5X,'ENTER CHOICE',///)
C      READ(*,*) ICH
C      IF (ICH.LT.1.OR.ICH.GT.3) THEN
C          WRITE(*,*) 'OUT OF RANGE -- TRY AGAIN CLOWN'
C          GOTO 8099
C      ENDIF
C
C      IF (ICH.EQ.3) STOP
C      IF (ICH.EQ.1) THEN
C          CALL SAMPHELP
C          GOTO 8099
C      ENDIF
C
C      WRITE(*,8100)
C
C      WRITE(*,8106)
C      8106 FORMAT(///,5X,'INPUT THE MAXIMUM DIFFERENCE BETWEEN THE TRUE',/,
C      *5X,'PROBABILITY DISTRIBUTIONS AND THE SAMPLED DISTRIBUTIONS',/,
C      *5X,'(e.g. .01)',///)
C      READ(*,*) DK
C      8109 WRITE(*,8110)
C      8110 FORMAT(///,5X,'INPUT THE ALPHA LEVEL (FOR A 1-ALPHA CONFIDENCE)',/

```

```

*,5X,'--ALLOWABLE      RANGE  IS FROM  .01  TO  .5)',//)
READ(*,*)      RAL
IF (RAL.LT.0.01.OR.RAL.GT.0.5)      THEN
    WRITE(*,*)      'OUT OF RANGE'
    WRITE(*,8100)
    GOTO 8109
ENDIF

C
VAL=0.0
IF (RAL.LE.0.5.AND.RAL.GT.0.45)      THEN
    CALL SSZ(D(1),D(2),A(1),A(2),RAL,VAL)
ELSE IF (RAL.LE.0.45.AND.RAL.GT.0.40)      THEN
    CALL SSZ(D(2),D(3),A(2),A(3),RAL,VAL)
ELSE IF (RAL.LE.0.40.AND.RAL.GT.0.35)      THEN
    CALL SSZ(D(3),D(4),A(3),A(4),RAL,VAL)
ELSE IF (RAL.LE.0.35.AND.RAL.GT.0.30)      THEN
    CALL SSZ(D(4),D(5),A(4),A(5),RAL,VAL)
ELSE IF (RAL.LE.0.30.AND.RAL.GT.0.25)      THEN
    CALL SSZ(D(5),D(6),A(5),A(6),RAL,VAL)
ELSE IF (RAL.LE.0.25.AND.RAL.GT.0.20)      THEN
    CALL SSZ(D(6),D(7),A(6),A(7),RAL,VAL)
ELSE IF (RAL.LE.0.20.AND.RAL.GT.0.15)      THEN
    CALL SSZ(D(7),D(8),A(7),A(8),RAL,VAL)
ELSE IF (RAL.LE.0.15.AND.RAL.GT.0.10)      THEN
    CALL SSZ(D(8),D(9),A(8),A(9),RAL,VAL)
ELSE IF (RAL.LE.0.10.AND.RAL.GT.0.05)      THEN
    CALL SSZ(D(9),D(10),A(9),A(10),RAL,VAL)
ELSE IF (RAL.LE.0.05.AND.RAL.GE.0.01)      THEN
    CALL SSZ(D(10),D(11),A(10),A(11),RAL,VAL)
ENDIF

C
NMCS=(VAL/DK)**2
WRITE(*,8100)
WRITE(*,8115)      NMCS
8115  FORMAT(5X,'THE      SAMPLE  SIZE  NECESSARY  TO SATISFY  THE GIVEN',/,
&5X,'REQUIREMENTS      IS ',16,'.  DO YOU WANT THE MONTE CARLO',/,
&5X,'SIMULATION      TO TAKE THIS MANY SAMPLES (Y or N)',//)
READ(*,8120)      NCHAR
8120  FORMAT(A1)

C
IF (NCHAR.EQ.'N'.OR.NCHAR.EQ.'n')      THEN
    WRITE(*,8125)
8125  FORMAT(///,'THEN      INPUT  THE  NUMBER  YOU  WANT  TO TAKE',/)
    READ(*,*)      NMCS
ENDIF

C
RETURN
END

C .....
C
C      SUBROUTINE      S E P A R A T E
C
C      THIS SUBROUTINE      SEPARATES      THE COST OF ACTIVITIES      CON-

```

```

C      TAINED IN THE SUBGRAPHS OF MORE THAN ONE KEY EVENT (I.E. COM-
C      MON ACTIVITIES).
C
C      ---THE USER CAN CHOOSE THE PERCENTAGES TO ATTRIBUTE TO EACH
C      KEY ACTIVITY, OR HE CAN LET THE PROGRAM SEPARATE THE COST
C      AS FOLLOWS:
C
C      WEIGHT(i)= Pr ( X(i)<=X(j1) ) * ... * Pr ( X(i)<=X(jN) )
C
C      **PERCENTAGE(I)=NORMALIZED VALUES OF WEIGHT(i)
C
C      --THIS METHOD ASSUMES THAT THE REALIZATION TIME PDF'S ARE
C      --NORMALLY DISTRIBUTED. --> SEE MASTER'S THESIS FOR DETAILS
C
C      -----
C
C      SUBROUTINE SEPARATE (SUBM,J2,NKEYEN,NODEST,NODEFI,KEYEVN,AVERG,
C      * STDV,PERCEN,NACT,ACOST)
C      INTEGER J2,NKEYEN,NODEST(100),NODEFI(100),KEYEVN(10),NACT
C      REAL SUBM(100,10),AVERG(10),STDV(10),PERCEN(100,10),ACOST(100)
C
C      INTEGER POINTER(10),METHOD,FLAG,NUM
C      REAL W(10),WTOT,TEMP
C
C      C---INITIALIZE ARRAY PERCEN TO ZERO
C
C      DO 2000 J3=1,NACT
C      DO 2001 J1=1,NKEYEN
C      PERCEN(J3,J1)=0.
C
C      C---DO HOUSEKEEPING ON MATRIX SUBM
C
C      IF (SUBM(J3,J1).LT.0.000001) SUBM(J3,J1)=0.0
C
C      2001 CONTINUE
C      2000 CONTINUE
C
C      DO 2002 J2=1,NACT
C
C      DO 2025 II=1,NKEYEN
C      POINTER(II)=0
C      W(II)=0
C      2025 CONTINUE
C
C      C---DETERMINE IF ACTIVITY IS COMMON TO MORE THAN ONE KEY EVENT
C
C      TOTAL=0
C      DO 2003 J4=1,NKEYEN
C      TOTAL=TOTAL+SUBM(J2,J4)
C      2003 CONTINUE
C
C      C-----GO TO NEXT ACTIVITY IF UNIQUE TO ONE KEY EVENT
C

```

```

      IF (TOTAL.LE.ACOST(J2))          GOTO 2002
C
2089  WRITE(*,2090)      J2,NODEST(J2),NODEFI(J2)
2090  FORMAT(/1X,'      ACTIVITY   ',12,' FROM NODE   ',14,' TO NODE   ',14)
      WRITE(*,2091)
      WRITE(*,2092)
2091  FORMAT(1X,'      ')
2092  FORMAT(1X,'      is common to the following KEY EVENTS:')
C
      DO 2005 J3=1,NKEYEN
        IF (SUBM(J2,J3).NE.0.0)          THEN
          POINTER(J3)=1
          PERCEN(J2,J3)=1
          WRITE(*,2093)      KEYEVN(J3)
        ENDIF
2005  CONTINUE
2093  FORMAT(1X,14)
C
2140  WRITE(*,2091)
      WRITE(*,2094)
      WRITE(*,2091)
      WRITE(*,2095)
      WRITE(*,2096)
      WRITE(*,2098)
2094  FORMAT(/1X,'WHAT      METHOD OF SEPARATION DO YOU WANT?')
2095  FORMAT(1X,'      PROBABILITY METHOD ----- 1')
2096  FORMAT(1X,'      USER GIVEN %'S ----- 2')
2098  FORMAT(1X,'      **information** ----- 10')
C
      READ(*,*)      METHOD
C
      IF (METHOD.EQ.10)      THEN
        CALL PCINFO
        GOTO 2089
      ENDIF
C
      IF (METHOD.LT.1.OR.METHOD.GT.2)      THEN
        WRITE(*,2091)
        WRITE(*,2144)
2144  FORMAT(5X,'value      OUT-OF-RANGE --- try again')
        GOTO 2140
      ENDIF
C
C-----USER      DECIDING HIS OWN SEPARATION PERCENTAGES-----
C
      IF (METHOD.EQ.2)      THEN
2050  DO 2010 J3=1,NKEYEN
        IF (POINTER(J3).EQ.1)      THEN
          WRITE(*,2097)      KEYEVN(J3)
          READ(*,*)      PERCEN(J2,J3)
        ENDIF
2010  CONTINUE
C

```

```

      SU=0
      DO 2011 J3=1,NKEYEN
        PERCEN(J2,J3)=PERCEN(J2,J3)/100
        SU=SU+PERCEN(J2,J3)
2011  CONTINUE
C
      IF (SU.NE.1) THEN
        WRITE(*,2099)
        GO TO 2050
      ENDIF
    ENDIF
  C
2099  FORMAT(1X,'DOES NOT ADD TO 1 --- TRY AGAIN')
2097  FORMAT(1X,'Input percentage for KEY EVENT',I3)
C
C-----PROBABILITY METHOD-----
C
      IF (METHOD.EQ.1) THEN
C---DETERMINE KEY EVENT THAT HAS SMALLEST MEAN, MARK WITH FLAG
C
        TEMP=100000000.00
        DO 2100 J3=1,NKEYEN
          IF (POINTER(J3).NE.0) THEN
            IF (AVERG(J3).LT.TEMP) THEN
              TEMP=AVERG(J3)
              FLAG=J3
            ENDIF
          ENDIF
2100  CONTINUE
C
C---DETERMINE Pr { X(s) <= X(i) }
C
        DO 2105 J3=1,NKEYEN
          IF (POINTER(J3).NE.0 .AND. J3.NE.FLAG) THEN
            Z=(AVERG(J3)-AVERG(FLAG))/(SQRT(STDV(FLAG)**2+STDV(J3)**2))
C
C---PHIZ DENOTES THE Pr { X(s) <= X(i) }
C
            CALL STDNOR(2,PHIZ)
C
C---PLACE NO WEIGHT ON KEY EVENT i IF Pr { X(s) <= X(i) } >= 0.9
C---(THIS IS AN ARBITRARY SETTING)
C
            IF (PHIZ.GE.0.9) THEN
              POINTER(J3)=0
              PERCEN(J2,J3)=0
            ENDIF
C
          ENDIF
2105  CONTINUE
C
C---DETERMINE WEIGHT(I) AS SHOWN IN PREAMBLE TO THIS SUBROUTINE

```

```

C---( SEE ABOVE )
C
DO 2160 J5=1,NKEYEN
  IF (POINTER(J5).NE.1) GOTO 2160
  W(J5)=1
DO 2165 J6=1,NKEYEN
  IF (J6.EQ.J5.OR.POINTER(J6).NE.1) GOTO 2165
C
  Z=(AVERG(J6)-AVERG(J5))/(SQRT(STDV(J6)**2+STDV(J5)**2))
  CALL STDNOR(Z,PHIZ)
C
  W(J5)=W(J5)*PHIZ
C
  2165 CONTINUE
  2160 CONTINUE
C
  WTOT=0.0
  DO 2030 J3=1,NKEYEN
    WTOT=WTOT+W(J3)
  2030 CONTINUE
C
  DO 2115 J3=1,NKEYEN
    IF (POINTER(J3).NE.0) THEN
      W(J3)=W(J3)/WTOT
      PERCEN(J2,J3)=W(J3)
    ENDIF
  2115 CONTINUE
C
  WRITE(*,2189) J2
  WRITE(3,2189) J2
  WRITE(3,2191)
  WRITE(*,2191)
  DO 2120 J3=1,NKEYEN
    IF (PERCEN(J2,J3).EQ.0) GO TO 2120
    WRITE(*,2190) 100*PERCEN(J2,J3),KEYEVN(J3)
    WRITE(3,2190) 100*PERCEN(J2,J3),KEYEVN(J3)
  2120 CONTINUE
  2191 FORMAT(1X,'PERCENTAGE TO KEY EVENTS OF COMMON ACT. ')
  2190 FORMAT(F6.2,1X,'PERCENT TO KEY EVENT--',14)
  2189 FORMAT(1X,'ACTIVITY ',12)
  ENDIF
C
C---CONTINUE ORIGINAL DO LOOP OVER ACTIVITIES
C
  2002 CONTINUE
C
  RETURN
  END
C-----
C
C SUBROUTINE S M C O R R
C
C THIS SUBROUTINE KEEPS TRACK OF THE SUM AND THE SUM OF SQUARES OF

```

```

C      THE COST AND DURATION OF THE KEY EVENTS TO BE USED LATER TO GET
C      VALUES OF SAMPLE CORRELATION AND A LEAST SQUARES FIT OF THE DATA.
C
C-----
C
C      SUBROUTINE      SMCORR(PCOST,SUBCO,KEYDUR,NKEYEN,SSUM,SSUMSQ,SUMXY)
C
C      INTEGER      NKEYEN
C      REAL      KEYDUR(10)
C      DOUBLE PRECISION      SSUM(21),SSUMSQ(21),SUMXY(11),SUBCO(11),PCOST
C
C      DO 3600 I=1,NKEYEN
C          SSUM(I)=SSUM(I)+KEYDUR(I)
C          SSUMSQ(I)=SSUMSQ(I)+KEYDUR(I)*KEYDUR(I)
C          SUMXY(I)=SUMXY(I)+KEYDUR(I)*SUBCO(I)
C          SSUM(I+10)=SSUM(I+10)+SUBCO(I)
C          SSUMSQ(I+10)=SSUMSQ(I+10)+SUBCO(I)*SUBCO(I)
C      3600 CONTINUE
C
C      SSUM(21)=SSUM(21)+PCOST
C      SSUMSQ(21)=SSUMSQ(21)+PCOST*PCOST
C      SUMXY(11)=SUMXY(11)+KEYDUR(NKEYEN)*PCOST
C
C      RETURN
C      END
C-----
C
C      SUBROUTINE      S S Z
C
C      THIS SUBROUTINE CALCULATES THE SAMPLE SIZE USING A LINEAR INTER-
C      POLATION BETWEEN ENDPOINTS (SEE SAMPLE SIZE INFO. FOR MORE)
C
C-----
C
C      SUBROUTINE      SSZ(X1,X2,Y1,Y2,RAL,VAL)
C      REAL      X1,X2,Y1,Y2,RAL,VAL
C
C      SLOPE=(Y2-Y1)/(X2-X1)
C      B=Y1-SLOPE*X1
C
C      VAL=(1-RAL-B)/SLOPE
C
C      RETURN
C      END
C-----
C
C      SUBROUTINE      S T D N O R
C
C      THIS SUBROUTINE COMPUTES THE  $Pr\{X \leq x\}$  FOR A STANDARD
C      NORMAL VARIABLE.
C      THE PROBABILITY COMPUTED IS DENOTED BY  $\Phi(x)$ .
C

```

```

C-----
C
C      SUBROUTINE      STDNOR(Z,PHIZ)
C
C      REAL    Z,PHIZ
C      DOUBLE  PRECISION    PI
C      DATA   PI/3.141592653589793/
C
C      Y=Z/SQRT(2.0)
C      IF (Z.LE.0)    Y=-Y
C      S=0
C
C      DO 100 I=1,37
C          RI=I
C          S=S+EXP( RI*RI/25.)/RI*SIN(2*RI*Y/5.)
100  CONTINUE
C
C      S=S+Y/5.
C      S=2*S/PI
C      PHIZ=(1+S)/2.
C
C      IF (Z.GE.0.)    GOTO 1780
C      PHIZ=(1-S)/2.
1780 IF (Z.LE.8.3)    GOTO 1800
C      PHIZ=1
1800 IF (Z.GE.-8.3)   GOTO 1820
C      PHIZ=0
C
C      1820 RETURN
C      END
C-----
C
C      SUBROUTINE      S U B N E T
C
C      THIS SUBROUTINE FINDS THE SUBNETWORKS OF THE KEY EVENTS AND
C      *****COSTS TO THE KEY EVENTS.
C-----
C
C      SUBROUTINE      SUBNET(NKEYEN,NACT,KEYEVN,NODEFI,NODEST,ACOST,ASC.ID,
C      *                SUBCO,SUBM,PERCEN,FLAGONE)
C
C      INTEGER    NKEYEN,NACT,KEYEVN(10),NODEFI(100),NODEST(100),
C      *          ASCEND(100),FLAGONE
C      REAL       ACOST(100),SUBCO(11),SUBM(100,10),PERCEN(100,10)
C
C      INTEGER    LP(100)
C      REAL       SUBN(100,10)
C
C      C---INITIALIZE      SUBNETWORK      MATRIX      TO ZERO
C
C      DO 1001 K=1,NKEYEN

```



```

        DO 1000 I=1,NACT
            SUBN(I,K)=0.0
1000    CONTINUE
1001    CONTINUE
C
C---FIND      SUBNETWORKS      OF THE KEY EVENTS      AND STORE      IN SUBN
C
        DO 1005 K=1,NKEYEN
            LZ = KEYEVN(K)
            DO 1010 I=1,NACT
                LP(I)=0
1010    CONTINUE
1100    KT=0
            DO 1015 I=1,NACT
                IF (NODEFI(I).NE.LZ)      GO TO 1015
                IF (KT.EQ.0)      GO TO 1105
                LP(I)=1
                GO TO 1015
1105    SUBN(I,K)=ACOST(I)
                KT=1
                LE=NODEST(I)
1015    CONTINUE
                LZ=LE
                IF (LZ.NE.ASCEND(1))      GO TO 1100
1110    DO 1020 I=1,NACT
                IF (LP(I).NE.0)      GO TO 1115
1020    CONTINUE
                GO TO 1005
1115    KS=0
            DO 1025 I=1,NACT
                IF (LP(I).EQ.0)      GO TO 1025
                IF (KS.EQ.1)      GO TO 1025
                SUBN(I,K)=ACOST(I)
                LP(I)=0
                LZ=NODEST(I)
                KS=1
1025    CONTINUE
                GO TO 1100
1005    CONTINUE
C
C---UPDATE      SUBGRAPHS      BY REMOVING      ACTIVITIES      IN KEY EVENTS      THAT
C---HAVE      KEY EVENTS      AS SUBSETS      (STORE      IN SUBM)
C
        DO 1050 I=1,NACT
            DO 1050 K=1,NKEYEN
                SUBM(I,K)=SUBN(I,K)
1050    CONTINUE
C
        MKEYEN=NKEYEN-1
        DO 1055 J=1,MKEYEN
            L=J+1
            DO 1056 K=L,NKEYEN
                DO 1057 I=1,NACT

```

```

        IF (SUBN(I,J).GT.SUBN(I,K))          GO TO 1056
1057    CONTINUE
        DO 1058 I=1,NACT
            IF (SUBN(I,J).EQ.0)          GO TO 1058
            SUBM(I,K)=0.
1058    CONTINUE
1056    CONTINUE
1055    CONTINUE
C
C-----
C
C----ON    INITIAL    CALL,    I    NEED    TO    RETURN    HERE----
C
        IF (FLAGONE.EQ.0)          RETURN
C-----
C
        DO 1070 I=1,NACT
            TOTAL=0.
        DO 1075 K=1,NKEYEN
            TOTAL=TOTAL+SUBM(I,K)
1075    CONTINUE
C
C---IF    THE    ACTIVITY    IS    COMMON    TO    MULTIPLE    KEY    EVENTS,    WE    NOW    SPLIT
C---THE    COST    ACCORDING    TO    OUR    PREVIOUS    DECISION
C
        IF (TOTAL.GT.ACOST(I))          THEN
            DO 1077 K=1,NKEYEN
                SUBM(I,K)=SUBM(I,K)*PERCEN(I,K)
1077    CONTINUE
            ENDIF
1070    CONTINUE
C
        WRITE(*,*) 'COST PERCENTAGES TO KEY EVENTS:'
        WRITE(*,*) ' '
        WRITE(*,1090) (K,K=1,NKEYEN)
1090    FORMAT(/4X,'NS NF',10(' KEY(',12,')'))/
        DO 1076 I=1,NACT
            WRITE(*,1091) NODEST(I),NODEFI(I),(SUBM(I,K),K=1,NKEYEN)
1091    FORMAT(1X,2I5,10(F10.2))
1076    CONTINUE
C
C
C
1081    RETURN
        END
C-----
C
C    SUBROUTINE    U P P A Y
C
C    UPDATE    ARRAY    PAY    AND    VAR.    CAPITL    CONTAINING    THE    AMOUNT    OF
C    COST    OBTAINED    IN    THE    PERIOD    OF    THE    KEY    EVENT'S    REALIZATION.
C-----
C

```

```

      SUBROUTINE      UPPAY(KEYDUR,PAY,MXPERD,CYCLE,NMCS,NKEYEN,SUBCO,CAPITL)
C
      INTEGER      NKEYEN,MXPERD,CYCLE,NMCS
      REAL         KEYDUR(10),PAY(10,100),CAPITL
      DOUBLE      PRECISION      SUBCO(11)
C
      REAL         TPAY(10,100),TDURAT
C
C-----INITIALIZE      ARRAY      TPAY
C
      DO 1204      K1=1,NKEYEN
      DO 1205      K2=1,MXPERD
          TPAY(K1,K2)=0.
1205      CONTINUE
1204      CONTINUE
C
      DO 1200      K2=1,NKEYEN
          IMARK=KEYDUR(K2)/CYCLE
          RMARK=KEYDUR(K2)/CYCLE
          IF ((RMARK-IMARK).EQ.0.00)      THEN
              TPAY(K2,IMARK)=TPAY(K2,IMARK)+SUBCO(K2)
          ELSE
              TPAY(K2,IMARK+1)=TPAY(K2,IMARK+1)+SUBCO(K2)
          ENDIF
1200      CONTINUE
C
C-----UPDATE      VALUES      FOR      MONTE      CARLO      SIM.-----
C
      CAPITL=CAPITL+SUBCO(NKEYEN+1)/NMCS
      DO 1209      K2=1,NKEYEN
      DO 1210      K1=1,MXPERD
          PAY(K2,K1)=PAY(K2,K1)+TPAY(K2,K1)/NMCS
1210      CONTINUE
1209      CONTINUE
C
      RETURN
      END
C-----
C
      SUBROUTINE      X E X P E C
C
      THIS      SUBROUTINE      DETERMINES      THE      MEAN      AND      VARIANCE      OF      THE
      ACTIVITIES      FOR      USE      IN      SUBROUTINE      INITIALIZE.
C-----
C
      SUBROUTINE      XEXPEC(XEXP,XSTD,NACT,P1,P2,P3,P4,DNUM,DIST,DURA,NOP)
C
      INTEGER      DNUM(100),NOP(100),NACT
      REAL      P1(100),P2(100),P3(100),P4(100),DIST(100,30),DURA(100,30),
      *      XEXP(100),XSTD(100)
C
      DO 1950      I=1,NACT

```

```

        Y1=P1(I)
        Y2=P2(I)
        Y3=P3(I)
        Y4=P4(I)
        Y5=Y4-Y3
        GOTO (1952,1953,1954,1955,1956,1957,1958),DNUM(I)
C
C --- UNIFORM
C
1952      X=(Y3+Y4)/2.0
          ST=SQRT(Y5*Y5/12.0)
          GOTO 1959
C
C --- TRIANGULAR
C
1953      X=(Y1+Y3+Y4)/3.0
          ST=SQRT((Y3*(Y3-Y1)+Y4*Y5+Y1*(Y1-Y4))/18.0)
          GOTO 1959
C
C --- NORMAL
C
1954      X=Y1
          ST=Y2
          GOTO 1959
C
C --- EXPONENTIAL
C
1955      X=Y1
          ST=Y1
          GOTO 1959
C
C --- GAMMA
C
1956      X=Y1*Y2
          ST=SQRT(X*Y2)
          GOTO 1959
C
C --- BETA
C
1957      X=Y3+Y5*Y1/(Y1+Y2)
          ST=SQRT(Y5*Y5*Y1*Y2/((Y1+Y2)**2*(Y1+Y2+1)))
          GOTO 1959
C
C --- DISCRETE
C
1958      X=0
          X2=0
          DO 1951 I1=1,NOP(I)
              X=X+DIST(I,I1)*DURA(I,I1)
              X2=X2+DIST(I,I1)*DURA(I,I1)**2
1951      CONTINUE
          ST=SQRT(X2-X*X)
C

```

```
1959      XEXP(I)=X  
          XSTD(I)=ST  
1950  CONTINUE  
      RETURN  
      END
```

# Appendix 9.4. Program Listing of CASH

```

CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
C
C      PROGRAM      C A S H                      31 NOV 86
C
C      WRITTEN      BY RUSSELL S. VOGTMANN
C
C      THIS PROGRAM  ALLOWS THE USER TO USE THE INFORMATION OBTAINED FROM
C      THE MONTE CARLO SIMULATION FROM PROGRAM AN-COST TO DETERMINE A
C      BID PACKAGE  FOR THE PROJECT.
C
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
C
C      VARIABLES:
C
C      ALPHA:      INTEREST RATE ON MONEY DEPOSITED.
C      BETA:       INTEREST RATE ON MONEY BORROWED.
C      BHAT0( ):   CONTAINS INTERCEPT TERM OF THE SAMPLE REGRESSION
C                  FUNCTION OF KEY EVENT COST AND DURATION.
C      BHAT1( ):   CONTAINS COEFFICIENT OF DURATION TERM OF THE SAMPLE
C                  REGRESSION FUNCTION.
C      CAPITAL:    CONTRACTOR'S INITIAL CAPITAL.
C      CDF( , ):   EMPIRICAL CUMULATIVE DISTRIBUTION FUNCTION OF DURATION
C                  AND COST OF KEY EVENTS.
C      CMODEL:     CASH FLOW MODEL IN DETERMINISTIC PROBLEM --- 1. PROFIT=
C                  f(CAPITAL), 2. PROFIT=f(PROJECT COST).
C      CORR( ):    SAMPLE CORRELATION COEFFICIENT OF COST vs. DURATION OF
C                  KEY EVENTS.
C      COST( ):    USER DECIDED COST TO RECEIVE AT KEY EVENTS FOR PROB-
C                  ABILISTIC CASH FLOW PROBLEM.
C      DF( , ):    EMPIRICAL DENSITY FUNCTION OF DURATION AND COST OF KEY
C                  EVENTS.
C      DMEAN( ):   MEAN OF DURATION OF KEY EVENTS.
C      DSTD( ):    STANDARD DEVIATION OF DURATION OF KEY EVENTS.
C      DURN( ):    USER DECIDED DUE DATE OF KEY EVENTS FOR PROBABILISTIC
C                  CASH FLOW PROBLEM.
C      DESIRE:     DESIRED PROFIT PERCENTAGE FOR DETERMINISTIC CASH FLOW
C                  PROBLEM.
C      FRACN( ):   EXPECTED FRACTION OF TOTAL PROJECT COST FOR EACH KEY
C                  EVENT (AFTER START PERCENTAGE<=>STPERC IS REMOVED).
C      IKEY( ):    ARRAY CONTAINING THE NODE NUMBERS OF THE KEY EVENTS.
C      LL( ):      LEFT ENDPOINTS OF KEY EVENT DISTRIBUTIONS.
C      MXPERD:     MAXIMUM NUMBER OF PERIODS THAT PROJECT RUNS OVER.
C      NCELLS( ):  NUMBER OF CELLS OF KEY EVENT DISTRIBUTIONS.
C      NCYCLE:     NUMBER OF TIME UNITS PER PERIOD.
C      NKEYEN:     NUMBER OF KEY EVENTS.
C      NRR( ):     RIGHT ENDPOINTS OF KEY EVENT DISTRIBUTIONS.
C      PAY( , ):   EXPECTED CASH "INFLOW" FOR EACH KEY EVENT PER PERIOD
C                  (DETERMINED BY AN-COST).
C      PENALTY( ): USER DECIDED PENALTY PER PERIOD LATE FOR PROBABILISTIC
C                  CASH FLOW PROBLEMS.
C      PERCNT( , ): PERCENTILES OF KEY EVENT DISTRIBUTIONS.

```

```

OPEN(UNIT=2,FILE='CASHFLOW.DAT',STATUS='OLD')
OPEN(UNIT=3,FILE='CASHOUT.OUT',STATUS='NEW')

C
  IFLAG=0
  WRITE(*,1)
  1 FORMAT(25(/))
  WRITE(*,2)
  2 FORMAT(/20X,'          PROGRAM          CASH',/////,
&20X,'          WRITTEN   BY',/////,
&20X,'          RUSSELL   S.   VOGTMANN',///)
  PAUSE
  WRITE(*,1)

C -----
C      INPUT   VALUES   FROM   FILE   CASHFLOW.DAT
C -----
  WRITE(*,*)      'INPUTTING   VALUES   FROM   FILE   CASHFLOW.DAT'
  READ(2,90)      NCYCLE
  READ(2,90)      MXPERD
  READ(2,91)      (SDISBUR(I),I=1,MXPERD)
  90 FORMAT(10I5)
  91 FORMAT(5E13.7)
  READ(2,90)      NKEYEN
  READ(2,90)      (IKEY(I),I=1,NKEYEN)
  DO 10 I=1,NKEYEN
    READ(2,91)      (PAY(I,J),J=1,MXPERD)
  10 CONTINUE
  READ(2,91)      STPERC,PINIT
  DO 11 I=1,NKEYEN
    READ(2,91)      DMEAN(I),DSTD(I)
    READ(2,91)      RMEAN(I),RSTD(I)
  11 CONTINUE
  READ(2,91)      RMEAN(11),RSTD(11)
  DO 12 I=1,NKEYEN
    READ(2,92)      LL(I),NRR(I),NCELLS(I),WIDTH(I)
    READ(2,91)      (DF(I,J),J=1,(NCELLS(I)+2))
    READ(2,92)      LL(I+10),NRR(I+10),NCELLS(I+10),WIDTH(I+10)
    READ(2,91)      (DF(I+10,J),J=1,(NCELLS(I+10)+2))
  12 CONTINUE
  READ(2,92)      LL(22),NRR(22),NCELLS(22),WIDTH(22)
  READ(2,91)      (DF(22,J),J=1,(NCELLS(22)+2))
  92 FORMAT(110,110,110,110,F15.5)
  DO 13 I=1,NKEYEN
    READ(2,91)      CORR(I),BHAT0(I),BHAT1(I)
  13 CONTINUE
  READ(2,91)      CORR(11),BHAT0(11),BHAT1(11)
  DO 14 I=1,NKEYEN
    READ(2,91)      FRACN(I)
  14 CONTINUE

C -----
  DO 300 I=1,10
    COST(I)=0.0
    DURN(I)=0.0
    PENALTY(I)=0.0

```

```

300 CONTINUE
C
C---DETERMINE      THE EXPECTED      TOTAL CASH  "INFLOW"      PER PERIOD
C
240 DO 244 I=1,100
      TPAY(I)=0.0
244 CONTINUE
C
      DO 242 I=1,MXPERD
      DO 241 J=1,NKEYEN
        TPAY(I)=TPAY(I)+PAY(J,I)
241 CONTINUE
242 CONTINUE
C
C---CALCULATE      CDF'S      AND STORE      IN CDF
C
      CALL CUMDIST
      WRITE(*,1)
C
1000 WRITE(*,4)
4  FORMAT(/1X,'INPUT      OPTION      YOU WANT      TO TAKE:',//,
&10X,'1.      VIEW CASH FLOW ARRAYS',//,
&10X,'2.      VIEW DISTRIBUTION      FUNCTION      INFORMATION',//,
&10X,'3.      PERFORM DETERMINISTIC      CASH FLOW PROBLEM',//,
&10X,'4.      PERFORM PROBABILISTIC      CASH FLOW PROBLEM',//,
&10X,'5.      PROGRAM INFORMATION',//,
&10X,'6.      -----EXIT      PROGRAM-----',///)
      READ(*,*)      NOPTION
      IF (NOPTION.LT.1.OR.NOPTION.GT.6)      THEN
        WRITE(*,1)
        GOTO 1000
      ENDIF
C
      IF (NOPTION.EQ.1)      CALL VIEW
      IF (NOPTION.EQ.2)      CALL DISTFN(IFLAGG)
      IF (NOPTION.EQ.3)      CALL DETERM(NOPTION)
      IF (NOPTION.EQ.4)      CALL PROBAB(NOPTION,IFLAGG)
      IF (NOPTION.EQ.5)      CALL HELPMAIN
      IF (NOPTION.EQ.6)      STOP
      WRITE(*,1)
      GOTO 1000
C
      STOP
      END
C-----
C
C      SUBROUTINE      C F H E L P
C
C      THIS SUBROUTINE      PROVIDES      INFORMATION      ON THE CASH FLOW ARRAYS
C-----
C
C      SUBROUTINE      CFHELP

```



```

C      WRITE(*,1)
1     FORMAT(25(/))
      WRITE(*,2)
2     FORMAT(5X,'THE      EXPECTED      CASH      FLOW      PER      PERIOD      IS      CALCULATED      BY',/,
*5X,'PROGRAM      AN-COST      BY      MEANS      OF      MONTE      CARLO      SIMULATION',/,
*5X,'IF      THE      USER      HAS      DETERMINED      A      PERCENTAGE      OF      COST      TO      RECEIVE',/,
*5X,'AT      THE      PROJECT      START,      IT      IS      DENOTED      AS      OCCURRING      IN      PERIOD',/,
*5X,'ZERO.',/////))
      PAUSE

C
      RETURN
      END

C-----
C
C      SUBROUTINE      C F L O W
C
C      THIS      SUBROUTINE      PERFORM      CASH      FLOW      CALCULATIONS
C-----
C
C      SUBROUTINE      CFLOW(PROFIT,RATIO,CASH,TCAPITAL,SDISBUR,PAY,ALPHA,
*                      BETA,RATE,DESI,POWER,MXPERD,FLAG2,CTERM,
*                      TCAPINIT,CMODEL,RMEAN,TPAY)
C
C      INTEGER      MXPERD,FLAG2,CMODEL
C      REAL      RATIO,CASH,TCAPITAL,SDISBUR(100),PAY(10,100),ALPHA,BETA,
*              RATE,POWER,DESI,PROFIT,CTERM,TCAPINIT,RMEAN(11),TPAY(100)
C
C      REAL      TIAF,TIBA,TRETEN,RETEN
C
C      IF (FLAG2.EQ.1)      THEN
C          WRITE(3,1900)      RATIO
1900      FORMAT(/3X,'RATIO      (ACTIVITY      WORTH      /      ACTIVITY      COST      )      =',F8.4)
C      ENDIF
C
C      TIAF=0.00
C      TIBA=0.00
C      RETEN=0.00
C      TRETEN=0.00
C      DO 1510      I=1,MXPERD+1
C
C-----
C
C      IF (I.EQ.1)      THEN
C          CASH=TCAPITAL-SDISBUR(I)
C          CALL      INTRT(I,CASH,POWER,ALPHA,BETA,TIAF,TIBA,TRETEN,FLAG2)
C          GO TO 1510
C      ENDIF
C-----
C
C      IF (I.EQ.MXPERD+1)      THEN

```

```

      CASH=CASH+TPAY(I-1)+TRETEN
      CTERM=CASH
      IF (FLAG2.EQ.1) THEN
        WRITE(3,1991) CASH
1991      FORMAT(25X,'TERMINAL CASH POSITION =',F10.3)
      ENDIF
      GO TO 1510
    END IF

C
C-----
C
      RETEN=TPAY(I-1)*RATIO*RATE
      TRETEN=TRETEN+RETEN
      CASH=CASH+TPAY(I-1)*RATIO*(1-RATE)-SDISBUR(I)
      CALL INTRT(1,CASH,POWER,ALPHA,BETA,TIAF,TIBA,TRETEN,FLAG2)
      IF (FLAG2.EQ.1) THEN
        WRITE(3,1980) TRETEN,RETEN
1980      FORMAT(/15X,'CUMULATIVE RETENTION =',F10.3,3X,'RETENTION=',
*          F9.3/)
      ENDIF

C
C-----
C
1510 CONTINUE
      IF (CMODEL.EQ.1) PROFIT=(CASH-TCAPINIT)/TCAPINIT
      IF (CMODEL.EQ.2) PROFIT=(CASH-TCAPINIT)/RMEAN(11)
      IF (FLAG2.EQ.1) THEN
        WRITE(3,1995) PROFIT
1995      FORMAT(20X,'PROFIT =',F10.3/)
      ENDIF

C
1500 CONTINUE
C
      RETURN
      END

C-----
C
C      FUNCTION C U M (JJ,I)
C
C      THIS FUNCTION CALCULATES THE PROBABILITY THAT THE KEY EVENT JJ
C      IS REALIZED IN PERIOD I. IT USES A LINEAR INTERPOLATION.
C
C-----
C
      REAL FUNCTION CUM(NEVENT,PERIOD)
C
      COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
*      ,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
*      ,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
*      ,BHAT1(11),FRACN(10)
      COMMON/CFP/ALPHA,BETA,POWER,RATE,DESIRE,NCYCLE,CAPITAL,TOL,CMODEL
      COMMON/DCV/COST(11),DURN(10),STPERC,PENALTY(10),PERCNT(22,20)
      INTEGER NEVENT,PERIOD,RLEFT,RIGHT

```

```

DOUBLE    PRECISION    V1,V2,SLOPE,B
C
RLEFT=NCYCLE*(PERIOD-1)
RIGHT=NCYCLE*PERIOD
C
CUM=0.0
V1=0.0
V2=0.0
SLOPE=0.0
B=0.0
C
IF (RLEFT.LT.LL(NEVENT)-WIDTH(NEVENT)) THEN
    V1=0.0
    GOTO 4100
ENDIF
IF (RLEFT.GT.NRR(NEVENT)+WIDTH(NEVENT)) THEN
    V1=1.0
    GOTO 4100
ENDIF
C
DO 4000 K=1,NCELLS(NEVENT)+2
    P1=LL(NEVENT)+WIDTH(NEVENT)*(K-2)
    P2=LL(NEVENT)+WIDTH(NEVENT)*(K-1)
    IF (RLEFT.GT.P1.AND.RLEFT.LE.P2) THEN
        IF (K.EQ.1) THEN
            SLOPE=(CDF(NEVENT,1))/WIDTH(NEVENT)
        ELSE
            SLOPE=(CDF(NEVENT,K)-CDF(NEVENT,K-1))/WIDTH(NEVENT)
        ENDIF
        B=CDF(NEVENT,K)-SLOPE*P2
        V1=SLOPE*RLEFT+B
        GOTO 4100
    ENDIF
4000 CONTINUE
C
4100 IF (RIGHT.LT.LL(NEVENT)-WIDTH(NEVENT)) THEN
    V2=0.0
    GOTO 4300
ENDIF
IF (RIGHT.GT.NRR(NEVENT)+WIDTH(NEVENT)) THEN
    V2=1.0
    GOTO 4300
ENDIF
C
DO 4200 K=1,NCELLS(NEVENT)+2
    P1=LL(NEVENT)+WIDTH(NEVENT)*(K-2)
    P2=LL(NEVENT)+WIDTH(NEVENT)*(K-1)
    IF (RIGHT.GT.P1.AND.RIGHT.LE.P2) THEN
        IF (K.EQ.1) THEN
            SLOPE=CDF(NEVENT,1)/WIDTH(NEVENT)
        ELSE
            SLOPE=(CDF(NEVENT,K)-CDF(NEVENT,K-1))/WIDTH(NEVENT)
        ENDIF
    ENDIF

```

```

        B=CDF(NEVENT,K)-SLOPE*P2
        V2=SLOPE*RIGHT+B
        GOTO 4300
    ENDIF
4200  CONTINUE
C
4300  CUM=V2-V1
    RETURN
    END
C-----
C
C      SUBROUTINE      C U M D I S T
C
C      THIS  SUBROUTINE  CALCULATES  THE  CUMULATIVE  DIST.  FUNC.'S
C-----
C
C      SUBROUTINE      CUMDIST
C
C      COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
C      *,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
C      *,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
C      *,BHAT1(11),FRACN(10)
C      DOUBLE  PRECISION  SUM
C
C      MARK1=1
C      MARK2=0
C
C      3000  DO 3002  I=MARK1,NKEYEN+MARK2
C              SUM=0.
C              DO 3005  J=1,NCELLS(I)+2
C                  SUM=SUM+DF(I,J)
C                  CDF(I,J)=SUM
C      3005  CONTINUE
C      3002  CONTINUE
C
C      IF (MARK1.EQ.1)      THEN
C          MARK1=11
C          MARK2=10
C          GOTO 3000
C      ENDIF
C
C      IF (MARK1.EQ.11)      THEN
C          MARK1=22
C          MARK2=22-NKEYEN
C          GOTO 3000
C      ENDIF
C
C      RETURN
C      END
C-----
C
C      SUBROUTINE      D C F H E L P

```

```

C
C   THIS SUBROUTINE PROVIDES INFORMATION ON THE CASH FLOW CALCULATIONS
C   IN THE CASE OF A DETERMINISTIC NETWORK.
C
C-----
C
C   SUBROUTINE DCFHELP
C
C   WRITE(*,1)
C   1 FORMAT(25(/))
C   WRITE(*,2)
C   2 FORMAT(5X,'THIS PORTION OF THE PROGRAM DOES CASH FLOW CALCULA-',/,
C   *5X,'TIONS IN THE CASE OF A DETERMINISTIC NETWORK.',/,/,
C   *5X,'YOU WILL BE ASKED TO INPUT:',/,/,
C   *10X,'1. INTEREST RATE ON MONEY DEPOSITED',/,
C   *10X,'2. INTEREST RATE ON MONEY BORROWED',/,
C   *10X,'3. RETENTION RATE',/,
C   *10X,'4. INITIAL CAPITAL',/,/,
C   *10X,'5. DESIRED PROFIT PERCENTAGE',/,
C   *10X,'6. IF PROFIT IS DEFINED AS A FUNCTION OF PROJECT COST',/,
C   *10X,' OR AS A FUNCTION OF CAPITAL',/,
C   *10X,'7. A TOLERANCE LEVEL FOR USE IN THE BISECTION METHOD',/,/)
C   PAUSE
C
C   WRITE(*,10)
C   10 FORMAT(5(/))
C   WRITE(*,3)
C   3 FORMAT(5X,'THIS CALCULATION PROCEDURE USES THE BISECTION',/,
C   *5X,'METHOD TO CONVERGE TO THE MARKUP OF ACTIVITY COST THAT',/,
C   *5X,'WILL RESULT IN THE DESIRED PROFIT PERCENTAGE.',/,/,/,
C   *5X,'YOU MAY RUN AS MANY ALTERNATIVES AS YOU LIKE. THE RESULTS',/,
C   *5X,'WILL BE SENT TO THE SCREEN, AND TO AN OUTPUT FILE NAMED',/,
C   *5X,'"CASHOUT.OUT" RESIDING ON THE DEFAULT DRIVE.',/,/,/)
C   PAUSE
C
C   RETURN
C   END
C-----
C
C   SUBROUTINE D E T E R M
C
C   THIS SUBROUTINE DOES CASH FLOW CALCULATIONS FOR DETERMINISTIC
C   PROBLEMS AND CALCULATES A FARM. IT CONVERGES TO THE VALUE USING
C   THE BISECTION METHOD.
C
C-----
C
C   SUBROUTINE DETERM(NOPTION)
C
C   COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
C   *,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
C   *,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
C   *,BHAT1(11),FRACN(10)

```

```

COMMON/CFP/ALPHA,BETA,POWER,RATE,DESIRE,NCYCLE,CAPITAL,TOL,CMODEL
INTEGER FLAG2,CMODEL
C
1549 WRITE(*,1550)
1550 FORMAT(25(/))
WRITE(*,1551)
1551 FORMAT(////10X,'1. PROCEED WITH CASH FLOW CALCULATIONS',/,
*10X,'2. DETERMINISTIC CASH FLOW INFORMATION',/,
*10X,'3. RETURN TO MAIN MENU',///)
WRITE(*,1552)
1552 FORMAT(5X,'ENTER CHOICE')
READ(*,*) ICHOICE
IF (ICHOICE.EQ.2) THEN
CALL DCFHELP
GOTO 1549
ENDIF
IF (ICHOICE.EQ.3) RETURN
C
CALL INPUT(NOPTION,ISTOP,IFLAGG)
C
POWER=NCYCLE/365.0
DESI=DESIRE/100.0
C
C---THE FOLLOWING IS A TESTING OF VALUES TO GET A RIGHT END STARTING
C---POINT FOR THE BISECTION METHOD
C
TCAPINIT=CAPITAL
TCAPITAL=CAPITAL+PINIT
FLAG2=0
TESTVAL=2
520 CALL CFLOW(PROFIT,TESTVAL,CASH,TCAPITAL,SDISBUR,PAY,ALPHA,BETA,
* RATE,DESI,POWER,MXPERD,FLAG2,CTERM,TCAPINIT,CMODEL,
* RMEAN,TPAY)
C
IF (PROFIT.GT.DESI) THEN
RATIO2=TESTVAL
GO TO 530
ELSE
TESTVAL=TESTVAL+0.5
G TO 520
ENDIF
C
C---NOW I USE BISECTION TO CONVERGE TO THE FARM
C
530 RATIO1=0.50
CALL CFLOW(PROFIT1,RATIO1,CASH,TCAPITAL,SDISBUR,PAY,ALPHA,BETA,
* RATE,DESI,POWER,MXPERD,FLAG2,CTERM,TCAPINIT,
* CMODEL,RMEAN,TPAY)
C
C---THE FOLLOWING IS BASICALLY A WHILE LOOP FOR THE BISECTION
C
600 RATIO=RATIO1+(RATIO2-RATIO1)/2.0
C

```

```

      CALL CFLOW(PROFIT,RATIO,CASH,TCAPITAL,SDISBUR,PAY,ALPHA,BETA,
*          RATE,DESI,POWER,MXPERD,FLAG2,CTERM,TCAPINIT,CMODEL,
*          RMEAN,TPAY)
C
      IF (ABS(PROFIT-DESI).LT.TOL) THEN
          CALL DETOUT(NOPTION,RATIO)
          RETURN
      ENDIF
C
      IF ((DESI-PROFIT)*(DESI-PROFIT).LT.0.00) THEN
          RATIO2=RATIO
      ELSE
          RATIO1=RATIO
          PROFIT1=PROFIT
      ENDIF
C
      GO TO 600
C
      RETURN
      END
C-----
C
C      SUBROUTINE      D E T O U T
C
C      THIS SUBROUTINE      OUTPUTS      DATA      TO FILE "CASHOUT.OUT"
C-----
C
C      SUBROUTINE      DETOUT(NOPTION,RATIO)
C
C      COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
*      ,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
*      ,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
*      ,BHAT1(11),FRACN(10)
      COMMON/CFP/ALPHA,BETA,POWER,RATE,DESIRE,NCYCLE,CAPITAL,TOL,CMODEL
      REAL RATIO
      INTEGER FLAG2,NOPTION,CMODEL
C
1555  FLAG2=1
      TCAPINIT=CAPITAL
      TCAPITAL=CAPITAL+PINIT
      CALL CFLOW(PROFIT,RATIO,CASH,TCAPITAL,SDISBUR,PAY,ALPHA,BETA,
*          RATE,DESI,POWER,MXPERD,FLAG2,CTERM,TCAPINIT,CMODEL,
*          RMEAN,TPAY)
      TWORTH=RMEAN(11)*RATIO
      WRITE(3,1900)
      WRITE(*,1900)
1900  FORMAT(10X,'*****DETERMINISTIC      RESULTS*****',//)
      WRITE(3,1901)      DESIRE
      WRITE(*,1901)      DESIRE
1901  FORMAT(2X,'IN ORDER TO MAKE',F6.2,'% PROFIT IN THIS PROJECT')
      WRITE(3,1902)      RATIO
      WRITE(*,1902)      RATIO

```

```

1902  FORMAT(/2X,'THE      BIDDING  SHOULD  BE',F8.4,'      TIMES  OF  THE')
      WRITE(3,1903)      RMEAN(11),TWORTH
      WRITE(*,1903)      RMEAN(11),TWORTH
1903  FORMAT(/2X,'PROJECT      COST  =',F12.4,'      THAT  IS',F12.4,)
      WRITE(3,1904)
      WRITE(*,1904)
1904  FORMAT(/2X,'UNDER      THE  CONSTRAINTS:      ')
      WRITE(3,1905)      CAPITAL
      WRITE(*,1905)      CAPITAL
1905  FORMAT(/8X,'INITIAL      CAPITAL  =',F10.2)
      WRITE(3,1906)      ALPHA
      WRITE(3,1907)      BETA
      WRITE(3,1908)      RATE
      WRITE(*,1906)      ALPHA
      WRITE(*,1907)      BETA
      WRITE(*,1908)      RATE
1906  FORMAT(/8X,'INTEREST      RATE  ON  MONEY  DEPOSIT  =',F6.4)
1907  FORMAT(/8X,'INTEREST      RATE  ON  MONEY  BORROWT  =',F6.4)
1908  FORMAT(/8X,'RETENTION      RATE  = ',F6.4)
C
      RETURN
      END
C-----
C
C      SUBROUTINE      D I S T F N
C
C      THIS  SUBROUTINE  ALLOWS  THE  USER  TO  VIEW  THE  DISTRIBUTION  FUNC.'S
C      OF  DURATION  AND  COST  OF  THE  KEY  EVENTS  OF  THE  NETWORK.  IT  ALSO
C      WILL  DISPLAY  THE  CORRELATION  COEFFICIENT  BETWEEN  THE  DURATION  AND
C      COST  OF  THE  KEY  EVENTS,  AS  WELL  AS  DETERMINE  PERCENTILES  OF  THE
C      DISTRIBUTIONS.
C-----
C
C      SUBROUTINE      DISTFN(IFLAGG)
C
C      COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
C      *,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
C      *,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHAT0(11)
C      *,BHAT1(11),FRACN(10)
C      COMMON/DCV/COST(11),DURN(10),STPERC,PENALTY(10),PERCNT(22,20)
C      REAL  LD,LC
C      CHARACTER*1      SFLAG
C
799  WRITE(*,800)
800  FORMAT(25(/))
      WRITE(*,801)
801  FORMAT(1X,'DISTRIBUTION      INFORMATION:',/,
&5X,'1.      DISPLAY  DURATION/COST      DIST.'S',/,
&5X,'2.      DISPLAY  CORRELATION/REGRESSION      DATA',/,
&5X,'3.      DISPLAY  PERCENTILES',/,
&5X,'4.      DISPLAY  COST  FRACTIONS      AT  KEY  EVENTS',/,
&5X,'5.      --RETURN  TO  MAIN  MENU--',/,

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```

      &5X,'6.      DISTRIBUTION      INFORMATION',,,,
      &5X,'7.      EXIT  PROGRAM',,,,
      &1X,'ENTER    CHOICE',///)
C
      READ(*,*)      NV
      GOTO  (810,850,870,900,804,806,807),NV
C
C---RETURN      TO MAIN  MENU
C
      804  RETURN
C
C---CALL      SUBROUTINE      ON DISTRIBUTION      INFORMATION
C
      806  CALL  DTHelp
      WRITE(*,800)
      GOTO  799
C
C---EXIT      PROGRAM
C
      807  STOP
C
C---DISPLAY      COST  FRACTIONS      AT KEY  EVENTS
C
      900  WRITE(*,800)
      WRITE(*,903)
      903  FORMAT(5X,'THE      SIMULATION      RESULTED      IN THE FOLLOWING      FRACTIONS',/
      *,'5X,'OF      COST  AT THE KEY  EVENTS:',,,,
      *20X,'KEY      EVENT      FRACTION  OF COST',,,,
      ITEMP=0
      WRITE(*,904)      ITEMP,STPERC
      904  FORMAT(20X,15,15X,F5.2)
      DO  901  I=1,NKEYEN
      WRITE(*,902)      IKEY(I),FRACN(I)
      902  FORMAT(20X,15,15X,F5.2)
      901  CONTINUE
      PAUSE
      WRITE(*,800)
      GOTO  799
C
C---WRITE      EMPIRICAL      DENSITIES      TO SCREEN
C
      810  WRITE(*,800)
      CALL  DWRITE
      PAUSE
      GOTO  799
C
C---WRITE      INFORMATION      ON CORRELATION      AND LEAST  SQUARES      ESTIMATORS
C
      850  WRITE(*,800)
      WRITE(*,851)
      851  FORMAT(1X,'INPUT      NUMBER  OF KEY  EVENT  TO DISPLAY  CORRELATION',/,
      &1X,'LEAST      SQUARES      DATA  (0 FOR TOTAL  COST  vs.  PROJECT  DURATION)',/,)
      READ(*,*)      NKEY

```

```

      IF (NKEY.EQ.0)      GOTO 860
      IF (NKEY.LT.IKEY(1).OR.NKEY.GT.IKEY(NKEYEN))      THEN
        WRITE(*,*)      'OUT OF RANGE --- RETURN TO MAIN'
        RETURN
      ENDIF

C
      DO 252 I=1,NKEYEN
        IF (IKEY(I).EQ.NKEY)      NNN=I
252    CONTINUE
C
      IF (CORR(NNN).EQ.-9999.)      THEN
        WRITE(*,800)
        WRITE(*,856)
856    FORMAT(5X,'NETWORK      IS DETERMINISTIC!!!',//
&5X,'THIS      ANALYSIS      IS NOT APPLICABLE.')
        PAUSE
        GOTO 799
      ELSE
        WRITE(*,800)
        WRITE(*,852)      IKEY(NNN)
852    FORMAT(20X,'*****      KEY EVENT',15,'      *****',////)
        WRITE(*,853)      BHATO(NNN),BHAT1(NNN),CORR(NNN)
853    FORMAT(10X,'SAMPLE      REGRESSION      FUNCTION:',//,
&15X,'COST      = ',F12.2,'      + ',F12.2,'      * DURATION',///,
&10X,'SAMPLE      CORRELATION      COEFFICIENT= ',F4.2,///)
        PAUSE
        GOTO 799
      ENDIF

C
860  IF (CORR(11).EQ.-9999.)      THEN
        WRITE(*,800)
        WRITE(*,856)
        PAUSE
        GOTO 799
      ELSE
        WRITE(*,800)
        WRITE(*,854)
854    FORMAT(20X,'*****TOTAL      COST vs. PROJECT DURATION*****',////)
        WRITE(*,855)      BHATO(11),BHAT1(11),CORR(11)
855    FORMAT(10X,'SAMPLE      REGRESSION      FUNCTION:',//,
&15X,'TOTAL      COST      = ',F10.2,'      + ',F10.2,'      * PROJECT DURATION',///,
&10X,'SAMPLE      CORRELATION      COEFFICIENT= ',F4.2,///)
        PAUSE
        GOTO 799
      ENDIF

C
C---DETERMINE      PERCENTILES      OF DISTRIBUTIONS      AND WRITE TO SCREEN
C
870  IF (IFLAGG.EQ.0)      CALL PRCNTL(IFLAGG)
875  WRITE(*,800)
      WRITE(*,876)
876  FORMAT(5X,'THIS      PORTION      OF THE PROGRAM      WILL DISPAY',/,
&2X,'PERCENTILES      OF THE DISTRIBUTIONS.',///)

```

```

C      CALL PWRITE
      GOTO 799

C      RETURN
      END

C-----
C      SUBROUTINE      D T H E L P
C
C      THIS SUBROUTINE PROVIDES INFORMATION ON THE EMPIRICAL DISTRIBU-
C      TIONS OF THE KEY EVENTS DETERMINED IN PROGRAM AN-COST.
C-----
C      SUBROUTINE      DTHelp
C
100  WRITE(*,1)
      1  FORMAT(25(/))
      WRITE(*,2)
      2  FORMAT(5X,'CHOOSE      INFORMATION      OPTION',/,
*10X,'1.      REALIZATION      TIME & COST DISTRIBUTIONS',/,
*10X,'2.      SAMPLE REGRESSION      FUNCTION & CORRELATION      COEF.',/,
*10X,'3.      DISTRIBUTION      PERCENTILES',/,
*10X,'4.      COST FRACTIONS      AT KEY EVENTS',/,
*10X,'5.      RETURN      TO DISTRIBUTION      MENU',/)
      READ(*,*)      NC

C      IF (NC.EQ.5)      RETURN
      IF (NC.LT.1.OR.NC.GT.4)      THEN
      WRITE(*,*)      'OUT OF RANGE --- RETURN TO DIST. MENU'
      RETURN
      ENDIF

C      GOTO (10,20,30,40),NC

C
10  WRITE(*,1)
      WRITE(*,11)
      11  FORMAT(5X,'THE      REALIZATION      TIME AND COST DISTRIBUTIONS      WERE',/,
*5X,'DETERMINED      VIA MONTE CARLO SAMPLING      BY PROGRAM AN-COST.',/,
*5X,'THE COST DISTRIBUTIONS      ARE THE COST OF THE SUBGRAPHS      OF',/,
*5X,'THE KEY EVENTS.      IF THERE WERE COMMON ACTIVITIES      TO MORE',/,
*5X,'THAN      ONE KEY EVENT, IT'S COST WAS SEPARATED      BY AN ALGO-',/,
*5X,'RITHM      THAT ASSIGNED      MORE WEIGHT TO THE KEY EVENT      THAT',/,
*5X,'WAS      REALIZED      EARLIEST AND HAD LOWER VARIANCE.',/)
      PAUSE
      GOTO 100

C
20  WRITE(*,1)
      WRITE(*,21)
      21  FORMAT(5X,'THE      SAMPLE REGRESSION      FUNCTION IS DETERMINED      VIA',/,
*5X,'LEAST      SQUARES, AND THE SAMPLE CORRELATION      COEFFICIENT IS',/,
*5X,'CALCULATED      IN THE STANDARD MANNER OVER THE INDIVIDUAL',/

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*5X,'NETWORK      REALIZATIONS      IN THE MONTE CARLO SIMULATION.',///,
*5X,'THESE      VALUES      WILL GIVE AN INDICATION      OF THE RELATIONSHIP',/,
*5X,'BETWEEN      THE COST AND REALIZATION      TIME OF THE KEY EVENTS',/,
*5X,'AND      MAY BE HELPFUL      WHEN PREPARING      A BID PACKAGE.',///)
PAUSE
GOTO 100

C
30 WRITE(*,1)
WRITE(*,31)
31 FORMAT(5X,'THE      PERCENTILES      OF THE DISTRIBUTIONS      ARE CALCULATED',/,
*5X,'BY      LINEAR      INTERPOLATION      OF THE CUMULATIVE      DISTRIBUTION',/,
*5X,'FUNCTIONS.',///,
*5X,'A      VALUE      OF -1 INDICATES      THAT A VALUE COULD      NOT BE PROPERLY',/,
*5X,'COMPUTED      BECAUSE      THE RANGE OF THE EMPIRICAL      DISTRIBUTION',/,
*5X,'WAS      TOO      NARROW',///)
PAUSE
GOTO 100

C
40 WRITE(*,1)
WRITE(*,41)
41 FORMAT(5X,'THE      FRACTION      OF TOTAL PROJECT COST THAT IS RECEIVED',/,
*5X,'AT      EACH KEY EVENT IS THE AVERAGE OVER ALL MONTE CARLO SAM-',/,
*5X,'PLES.      NOTE:      THIS FRACTION IS AFTER THE PERCENTAGE IS ',/,
*5X,'TAKEN      OUT TO RECEIVE      AT THE PROJECT START.',///)
PAUSE
GOTO 100

C
RETURN
END

C-----
C
C      SUBROUTINE      D W R I T E
C
C      THIS SUBROUTINE      WRITE'S      THE DISTRIBUTIONS      TO THE SCREEN
C-----
C
C      SUBROUTINE      DWRITE
C
COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
*,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
*,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHAT0(11)
*,BHAT1(11),FRACN(10)
COMMON/DC'/COST(11),DURN(10),STPERC,PENALTY(10),PERCNT(22,20)
REAL LC,LD,RC,RD
CHARACTER*1 SFLAG

C
WRITE(*,811)
811 FORMAT(1X,'INPUT      NUMBER      OF KEY EVENT TO DISPLAY      DIST.      FUNC.'S',
&1X,'(0,      FOR TOTAL COST)',/)
READ(*,*) NKEY
IF (NKEY.EQ.0) GOTO 830
IF (NKEY.LT.IKEY(1).OR.NKEY.GT.IKEY(NKEYEN)) THEN

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        WRITE(*,*) 'OUT OF RANGE --- RETURN TO MENU'
        RETURN
    ENDIF
C
    DO 230 I=1,NKEYEN
        IF (IKEY(I).EQ.NKEY) NNN=I
230    CONTINUE
C
        WRITE(*,800)
800    FORMAT(25(/))
        WRITE(*,812)
        WRITE(*,813)
812    FORMAT(20X,'DURATION',28X,'COST')
813    FORMAT(11X,'LEFT',4X,'RIGHT',4X,'PROB.',14X,'LEFT',4X,'RIGHT',4X,
&'PROB.',/)
        LD=0
        RD=0
        LC=0
        RC=0
        ILIMIT=MAX(NCELLS(NNN)+2,NCELLS(NNN+10)+2)
        DO 820 I=1,ILIMIT
            IF (MOD(I,15).EQ.0) THEN
                WRITE(*,*) 'Hit Return for more.'
                READ(*,893) SFLAG
893            FORMAT(A1)
            ENDIF
            IF (I.EQ.1) THEN
                WRITE(*,814) LL(NNN),DF(NNN,I),LL(NNN+10),DF(NNN+10,I)
                LD=LL(NNN)
                RD=LD+WIDTH(NNN)
                LC=LL(NNN+10)
                RC=LC+WIDTH(NNN+10)
                GOTO 820
            ELSE IF (I.EQ.ILIMIT) THEN
                IF (NCELLS(NNN).EQ.NCELLS(NNN+10)) THEN
                    WRITE(*,815) NRR(NNN),DF(NNN,I),NRR(NNN+10),DF(NNN+10,I)
                ELSE IF (NCELLS(NNN).GT.NCELLS(NNN+10)) THEN
                    WRITE(*,821) NRR(NNN),DF(NNN,I)
                ELSE
                    WRITE(*,822) NRR(NNN+10),DF(NNN+10,I)
                ENDIF
                WRITE(*,*) 'Hit return to continue'
                READ(*,893) SFLAG
                GOTO 820
            ELSE
                IF (NCELLS(NNN)+2.GT.I.AND.NCELLS(NNN+10)+2.GT.I) THEN
                    WRITE(*,816) LD,RD,DF(NNN,I),LC,RC,DF(NNN+10,I)
                ELSE IF (NCELLS(NNN)+2.EQ.I) THEN
                    WRITE(*,823) NRR(NNN),DF(NNN,I),LC,RC,DF(NNN+10,I)
                ELSE IF (NCELLS(NNN)+2.LT.I) THEN
                    WRITE(*,824) LC,RC,DF(NNN+10,I)
                ELSE IF (NCELLS(NNN+10)+2.EQ.I) THEN
                    WRITE(*,825) LD,RD,DF(NNN,I),NRR(NNN+10),DF(NNN+10,I)

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ELSE IF (NCELLS(NNN+10)+2.LT.1) THEN
  WRITE(*,826) LD,RD,DF(NNN,1)
ENDIF
LD=RD
RD=RD+WIDTH(NNN)
LC=RC
RC=RC+WIDTH(NNN+10)
ENDIF
820 CONTINUE
814 FORMAT(11X,'-----',2X,15,5X,F6.4,16X,'-----',2X,15,5X,F6.4)
815 FORMAT(7X,15,9X,'-----',2X,F6.4,12X,15,6X,'-----',F6.4,/)
821 FORMAT(7X,15,9X,'-----',2X,F6.4,/)
822 FORMAT(45X,15,6X,'-----',5X,F6.4,/)
816 FORMAT(7X,F8.2,2X,F8.2,2X,F6.4,12X,F8.2,2X,F8.2,2X,F6.4)
823 FORMAT(7X,15,8X,'-----',2X,F6.4,12X,F8.2,2X,F8.2,2X,F6.4)
824 FORMAT(45X,F8.2,2X,F8.2,2X,F6.4)
825 FORMAT(7X,F8.2,2X,F8.2,2X,F6.4,12X,15,5X,'-----',2X,F6.4)
826 FORMAT(7X,F8.2,2X,F8.2,2X,F6.4)
C
C---ECHO MEANS AND STANDARD DEVIATIONS OF DURATION AND COST
C
  WRITE(*,818) DMEAN(NNN),RMEAN(NNN)
  WRITE(*,819) DSTD(NNN),RSTD(NNN)
818 FORMAT(////,5X,' MEAN = ',F10.2,20X,'MEAN = ',F10.2)
819 FORMAT(5X,'STD DEV. = ',F10.2,20X,'STD DEV. = ',F10.2,/)
  RETURN
C
C---DISTRIBUTIONS FOR TOTAL COST DISTRIBUTION
C
830 WRITE(*,800)
  WRITE(*,832)
  WRITE(*,833)
832 FORMAT(20X,'COST')
833 FORMAT(11X,'LEFT',4X,'RIGHT',4X,'PROB.'//)
  LC=0
  RC=0
  ILIMIT=NCELLS(22)+2
  DO 840 I=1,ILIMIT
    IF (MOD(I,15).EQ.0) THEN
      WRITE(*,*) 'Hit Return for more.'
      READ(*,893) SFLAG
    ENDIF
    IF (I.EQ.1) THEN
      WRITE(*,834) LL(22),DF(22,1)
      LC=LL(22)
      RC=LC+WIDTH(22)
      GOTO 840
    ELSE IF (I.EQ.ILIMIT) THEN
      WRITE(*,835) NRR(22),DF(22,1)
      WRITE(*,*) 'Hit return to continue'
      READ(*,893) SFLAG
      GOTO 840
    ELSE

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        WRITE(*,836)      LC,RC,DF(22,1)
        LC=RC
        RC=RC+WIDTH(22)
    ENDIF
840  CONTINUE
834  FORMAT(8X,'-----',5X,15,5X,F6.4)
835  FORMAT(7X,15,9X,'-----',2X,F6.4,/)
836  FORMAT(7X,F8.2,2X,F8.2,2X,F6.4)
C
C---ECHO      MEAN      AND      STANDARD      DEVIATION      OF TOTAL      COST
C
        WRITE(*,838)      RMEAN(11),RSTD(11)
838  FORMAT(/////5X,'          MEAN      =      ',F10.2,7X,'STD.          DEV.      =',F10.2)
C
        RETURN
        END

C-----
C
C      SUBROUTINE      H E L P M A I N
C
C      THIS      SUBROUTINE      PROVIDES      GENERAL      INFORMATION      ABOUT      PROGRAM      CASH
C-----
C
C      SUBROUTINE      HELPMAIN
C
        WRITE(*,1)
1  FORMAT(25(/))
        WRITE(*,2)
2  FORMAT(15X,'P      R O G R A M      C A S H',///,
*5X,'THIS      PROGRAM      IS      DESIGNED      TO      ASSIST      THE      PROJECT      MANAGER      IN',/,
*5X,'DETERMINING      A      BID      PACKAGE      FOR      PROJECTS      THAT      CAN      BE      MODELED',/,
*5X,'BY      DIRECTED      ACYCLIC      NETWORKS.',///)
        PAUSE
        WRITE(*,3)
3  FORMAT(///5X,'BEFORE      THIS      PROGRAM      CAN      BE      RUN,      YOU      NEED      TO      RUN',/,
*5X,'PROGRAM      AN-COST.      AN-COST      WILL      CREATE      FILE      CASHFLOW.DAT',/,
*5X,'WITH      THE      NECESSARY      DATA.',///)
        PAUSE
        WRITE(*,1)
        WRITE(*,4)
4  FORMAT(5X,'THIS      PROGRAM      ALLOWS      THE      FOLLOWING:',/,
*10X,'1.      VIEWING      OF      CASH      FLOW      ARRAYS',/,
*10X,'2.      VIEWING      OF      KEY      EVENT      DISTRIBUTION      INFORMATION',/,
*10X,'      ---REALIZATION      TIME      DISTRIBUTION',/,
*10X,'      ---COST      DISTRIBUTION',/,
*10X,'      ---REGRESSION      FUNCTION      AND      CORRELATION      COEF.',/,
*10X,'      (DURATION      vs.      COST)',/,
*10X,'      ---PERCENTILES      OF      DISTRIBUTIONS',/,
*10X,'      ---FRACTION      OF      PROJECT      COST      AT      KEY      EVENTS',/,
*10X,'3.      DETERMINISTIC      CASH      FLOW      CALCULATIONS',/,
*10X,'4.      PROBABILISTIC      CASH      FLOW      CALCULATIONS',///)

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*5X,'NOTE:      FOR MORE INFORMATION      ON ANY OF THESE TOPICS','/,
*5X,'           CHOOSE INFORMATION      ON SUB-MENUS.' ,//)
      PAUSE
      WRITE(*,1)

C
      RETURN
      END

C-----
C
C      SUBROUTINE      I N P U T
C
C      THIS SUBROUTINE      OBTAINS      NEEDED      INPUT      VALUES
C-----
C
C      SUBROUTINE      INPUT(NOPTION,ISTOP,IFLAGG)
C
      COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
* ,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
* ,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
* ,BHAT1(11),FRACN(10)
      COMMON/CFP/ALPHA,BETA,POWER,RATE,DESIRE,NCYCLE,CAPITAL,TOL,CMODEL
      COMMON/DCV/COST(11),DURN(10),STPERC,PENALTY(10),PERCNT(22,20)
      INTEGER      CMODEL
      CHARACTER*1      NCHAR

C
      WRITE(*,325)
325  FORMAT(25(/))
      WRITE(*,300)
300  FORMAT(5(/),1X,'INPUT      INTEREST      RATE      ON      MONEY      DEPOSITED')
      READ(*,*)      ALPHA
      WRITE(*,301)
301  FORMAT(5(/),1X,'INPUT      INTEREST      RATE      ON      MONEY      BORROWED')
      READ(*,*)      BETA
      WRITE(*,302)
302  FORMAT(5(/),1X,'INPUT      RETENTION      RATE')
      READ(*,*)      RATE
      IF(NOPTION.EQ.3)      THEN
        WRITE(*,303)
303  FORMAT(5(/),1X,'INPUT      DESIRED      PROFIT      PERCENTAGE')
        READ(*,*)      DESIRE
      ENDIF
      WRITE(*,304)
304  FORMAT(5(/),1X,'INPUT      INITIAL      CAPITAL')
      READ(*,*)      CAPITAL
      IF (NOPTION.EQ.3)      THEN
        WRITE(*,305)
305  FORMAT(5(/),1X,'INPUT      TOLERANCE      LEVEL      FOR      BISECTION      METHOD')
        READ(*,*)      TOL
310  WRITE(*,306)
306  FORMAT(5(/),1X,'INPUT      PROFIT      MODEL      THAT      YOU      WANT      TO      BE      USED',//,
&5X,'1.      PROFIT      =      f(CAPITAL)',/,
&5X,'2.      PROFIT      =      f(PROJECT      COST)',//)

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```

      READ(*,*)      CMODEL
      IF (CMODEL.LT.1.OR.CMODEL.GT.2)          GOTO 310
ENDIF
C
C---IF DETERMINISTIC PROBLEM, RETURN
C
      IF (NOPTION.EQ.3)      RETURN
C
      WRITE(*,319)
319  FORMAT(//,1X,'YOU      WILL NOW BE ASKED TO INPUT THE COST THAT',/,
&1X,'YOU      WILL REQUIRE AT THE KEY NODES, AND THE DELIVERY',/,
&1X,'DATES      OF THE KEY NODES.',//,
&5X,'NOTE:      INPUT THE COST FOR THE ENTIRE SUBGRAPH OF THE',/,
&5X,'      KEY EVENT. THE PROGRAM WILL REMOVE THE ALLOTTED',/,
&5X,'      PERCENTAGE TO RECEIVE AT THE PROJECT START.',//)
      PAUSE
C
      DO 320 I1=1,NKEYEN
326  WRITE(*,325)
      WRITE(*,330)      IKEY(I1)
330  FORMAT(/20X,'FOR      KEY EVENT ',13,'.....',//)
      WRITE(*,327)
327  FORMAT(5X,'DO      YOU WANT TO EXAMINE THE FOLLOWING BEFORE',/,
&5X,'PROCEEDING WITH THE INPUT:',//,
&10X,'1.      EMPIRICAL DENSITIES',/,
&10X,'2.      PERCENTILES OF DISTRIBUTIONS',/,
&10X,'3.      PROCEED WITH INPUT',/,
&10X,'4.      ---RETURN TO MAIN MENU---',//)
      READ(*,*)      IVAL
      IF (IVAL.EQ.4)      RETURN
      IF (IVAL.LT.1.OR.IVAL.GT.3)      THEN
      WRITE(*,*)      'VALUE OUT OF RANGE --- RETURN TO MAIN MENU'
      RETURN
      ENDIF
      IF (IVAL.EQ.1)      ) THEN
      CALL DWRITE
      GOTO 326
      ELSE IF (IVAL.EQ.2)      THEN
      IF (IFLAGG.EQ.0)      CALL PRCNTL(IFLAGG)
      CALL PWRITE
      GOTO 326
      ENDIF
C
      WRITE(*,321)      IKEY(I1)
321  FORMAT(//,1X,'INPUT      DURATION AND COST DECIDED ON AT KEY NODE',13)
      READ(*,*)      DURN(I1),COST(I1)
      WRITE(*,322)      IKEY(I1)
322  FORMAT(//,1X,'INPUT      THE LATE PENALTY FOR KEY EVENT',14,/,
&,1X,'PER PERIOD',//)
      READ(*,*)      PENALTY(I1)
320  CONTINUE
C
      TESUM=0.0

```

```

DO 323 I=1,NKEYEN
    TESUM=TESUM+COST(I)
323 CONTINUE
    COST(11)=TESUM*STPERC
C
    RETURN
END
C-----
C
C      SUBROUTINE      I N T R T
C
C      THIS SUBROUTINE CALCULATES INTEREST IN EACH PERIOD
C-----
C
C      SUBROUTINE      INTRT(I,CASH,POWER,ALPHA,BETA,TIAF,TIBA,TRETEN,FLAG2)
C
C      INTEGER      I,FLAG2
C      REAL      CASH,POWER,ALPHA,BETA,TIAF,TIBA,TRETEN
C
C      REAL      GA,GB
C
C      TRETEN=TRETEN*(1+ALPHA)**POWER
C      IF (CASH.GE.0.00) THEN
C          GA=CASH*(1+ALPHA)**POWER-CASH
C          TIAF=TIAF+GA
C          CASH=CASH+GA
C          IF (FLAG2.EQ.1) THEN
C              WRITE(3,1300) I,GA,CASH
1300      FORMAT(3X,'I',15,5X,'IAF',10,5X,'CASH',10,5X,'F10.3')
C          ENDIF
C      ELSE
C          GB=-1.0*CASH*(1+BETA)**POWER+CASH
C          TIBA=TIBA+GB
C          CASH=CASH-GB
C          IF (FLAG2.EQ.1) THEN
C              WRITE(3,1305) I,GB,CASH
1305      FORMAT(3X,'I',15,5X,'IBA',10,5X,'CASH',10,5X,'F10.3')
C          ENDIF
C      ENDIF
C      RETURN
C      END
C-----
C
C      SUBROUTINE      P C F H E L P
C
C      THIS SUBROUTINE PROVIDES INFORMATION ON THE CASH FLOW CALCULATIONS
C      IN A PROBABILISTIC PROBLEM.
C-----
C
C      SUBROUTINE      PCFHELP
C

```

```

WRITE(*,1)
1 FORMAT(25(/))
WRITE(*,2)
2 FORMAT(5X,'THIS PORTION OF THE PROGRAM DOES CASH FLOW CALCULA-',/,
*5X,'TIONS IN THE CASE OF A PROBABILISTIC NETWORK.',/,
*5X,'YOU WILL BE ASKED TO INPUT:',/,
*10X,'1. INTEREST RATE ON MONEY DEPOSITED',/,
*10X,'2. INTEREST RATE ON MONEY BORROWED',/,
*10X,'3. RETENTION RATE',/,
*10X,'4. INITIAL CAPITAL',/,
*10X,'5. AMOUNT OF MONEY TO BE RECEIVED AT EACH KEY EVENT',/,
*10X,'6. DUE DATE OF EACH KEY EVENT',/,
*10X,'7. LATE PENALTY (PER PERIOD) FOR EACH KEY EVENT',/)
PAUSE

C
WRITE(*,10)
10 FORMAT(5(/))
WRITE(*,3)
3 FORMAT(5X,'THE DISTRIBUTION INFORMATION WILL BE AVAILABLE TO',/,
*5X,'YOU WHEN INPUTTING 5-7, ABOVE.',/,
*5X,'THE RESULT WILL BE AN EXPECTED PROFIT FOR THE GIVEN VALUES',/,
*5X,'OF 1-7, ABOVE.',/,
*5X,'YOU MAY RUN AS MANY ALTERNATIVES AS YOU LIKE TO DETERMINE',/,
*5X,'THE BID PACKAGE THAT YOU WILL MAKE. THE OUTPUT WILL BE ',/,
*5X,'SENT TO THE SCREEN, AND ALSO TO A FILE NAMED "CASHOUT.OUT"',/,
*5X,'WHICH WILL BE ON THE DEFAULT DRIVE.',/)
PAUSE

C
RETURN
END

C-----
C
C SUBROUTINE P R C N T L
C
C THIS SUBROUTINE CALCULATES THE PERCENTILES OF THE DISTRIBUTIONS.
C IT USES A LINEAR INTERPOLATION BETWEEN ENDPOINTS OF THE EMPIRICAL
C DISTRIBUTIONS.
C-----
C
C SUBROUTINE PRCNTL(IFLAGG)
COMMON/DCV/COST(11),DURN(10),STPERC,PENALTY(10),PERCNT(22,20)
COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
*,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
*,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
*,BHAT1(11),FRACN(10)

C
WRITE(*,*) 'WORKING'
IFLAGG=1
DO 2000 I=1,22
DO 2005 J=1,20
PERCNT(I,J)=0.0
2005 CONTINUE

```

```

2000  CONTINUE
C
      MARK1=1
      MARK2=0
C
C---DETERMINE      PERCENTILES      THAT  ARE  MULTIPLES      OF  .05
C
2006  DO 2008  IN=MARK1,NKEYEN+MARK2
      DO 2010  IP=1,20
          RIP=IP*5/100.0
      DO 2012  ID=1,NCELLS(IN)+2
          IF (ID.EQ.1.AND.CDF(IN,ID).GT.RIP)              THEN
              PERCNT(IN,IP)=-1
              GOTO 2010
          ENDIF
          IF (CDF(IN,NCELLS(IN)+2).LT.RIP.AND.ID.EQ.NCELLS(IN)+2)  THEN
              PERCNT(IN,IP)=-1
              GOTO 2010
          ENDIF
          IF (CDF(IN,ID).LT.RIP)              GOTO 2012
          IF (CDF(IN,ID).EQ.RIP)              THEN
              PERCNT(IN,IP)=LL(IN)+WIDTH(IN)*(ID-1)
              GOTO 2010
          ENDIF
          SLOPE=(CDF(IN,ID)-CDF(IN,ID-1))/WIDTH(IN)
          B=CDF(IN,ID)-SLOPE*(LL(IN)+WIDTH(IN)*(ID-1))
          IF (SLOPE.EQ.0.)              THEN
              PERCNT(IN,IP)=LL(IN)+WIDTH(IN)*(ID-1)
          ELSE
              PERCNT(IN,IP)=(RIP-B)/SLOPE
          ENDIF
          GOTO 2010
2012  CONTINUE
2010  CONTINUE
2008  CONTINUE
C
      IF (MARK1.EQ.1)              THEN
          MARK1=11
          MARK2=10
          GOTO 2006
      ENDIF
C
      IF (MARK1.EQ.11)              THEN
          MARK1=22
          MARK2=22-NKEYEN
          GOTO 2006
      ENDIF
C
      RETURN
      END
C-----
C
C      SUBROUTINE      P R O B A B

```

```

C
C THIS SUBROUTINE DOES CASH FLOW CALCULATIONS IF THE NETWORK IS
C PROBABILISTIC. NOTE: IN THIS CASE IT SIMPLY CALCULATES THE
C EXPECTED PROFIT FOR THE VALUES WHICH ARE GIVEN IN THE BID PACKAGE
C
C-----
C
C SUBROUTINE PROBAB(NOPTION,IFLAGG)
C
C COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),PINIT,MXPERD,NKEYEN
C *,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCELLS(22)
C *,WIDTH(22),DSTD(10),RSTD(11),CDF(22,102),CORR(11),BHATO(11)
C *,BHAT(11),FRACN(10)
C COMMON/CFP/ALPHA,BETA,POWER,RATE,DESIRE,NCYCLE,CAPITAL,TOL,CMODEL
C COMMON/DCV/COST(11),DURN(10),STPERC,PENALTY(10),PERCNT(22,20)
C INTEGER NPERD(10),FLAG2,CMODEL
C REAL TIAF,TIBA,TRETEN,RETEN,RATIO(10),DUMPAY(100)
C
C 1549 WRITE(*,1550)
C 1550 FORMAT(25(/))
C WRITE(*,1551)
C 1551 FORMAT(///10X,'1. PROCEED WITH CASH FLOW CALCULATIONS',/,
C *10X,'2. PROBABILISTIC CASH FLOW INFORMATION',/,
C *10X,'3. RETURN TO MAIN MENU',///)
C WRITE(*,1552)
C 1552 FORMAT(5X,'ENTER CHOICE')
C READ(*,*) ICHOICE
C IF (ICHOICE.EQ.2) THEN
C CALL PCFHELP
C GOTO 1549
C ENDIF
C IF (ICHOICE.EQ.3) RETURN
C
C 1STOP=0
C CALL INPUT(NOPTION,1STOP,IFLAGG)
C IF (1STOP.EQ.1) RETURN
C
C POWER=NCYCLE/365.0
C DESI=DESIRE/100.0
C TPINIT=0.0
C
C C---COMPUTE THE RATIO OF WHAT WE ASK FOR AT A KEY EVENT AND WHAT THE
C C---EXPECTED COST IS OF THE SUBGRAPH OF THE KEY EVENT. ALSO CALCULATE
C C---THE RATIO OF THE COST WE WANT TO RECEIVE AT THE PROJECT START TO
C C---WHAT THE EXPECTED VALUE IS
C
C DO 1590 JJ=1,100
C DUMPAY(JJ)=0.0
C 1590 CONTINUE
C DO 1591 JJ=1,NKEYEN
C RATIO(JJ)=0.0
C NPERD(JJ)=0.0
C 1591 CONTINUE

```

```

C
DO 1600 JJ=1,NKEYEN
    RATIO(JJ)=COST(JJ)/RMEAN(JJ)
1600 CONTINUE
    IF (PINIT.GT.0.) THEN
        RATIO(11)=COST(11)/PINIT
        TPINIT=RATIO(11)*PINIT
    ENDIF

C
C---ALTER INCOME ARRAYS ACCORDINGLY
C
DO 1605 JJ=1,NKEYEN
DO 1610 JJ=1,MXPERD
    PAY(J,JJ)=PAY(J,JJ)*RATIO(J)
1610 CONTINUE
1605 CONTINUE

C
C---DETERMINE TOTAL INCOME IN ALL PERIODS FOR ALL KEY EVENTS
C
DO 1616 I=1,MXPERD
DO 1617 J=1,NKEYEN
    DUMPAY(I)=DUMPAY(I)+PAY(J,I)
1617 CONTINUE
1616 CONTINUE

C
C---CALCULATE THE PERIOD IN WHICH WE PROMISE DELIVERY AT EACH KEY EVENT
C
DO 1615 JJ=1,NKEYEN
    IF((DURN(JJ)/NCYCLE).EQ.INT(DURN(JJ)/NCYCLE)) THEN
        NPERD(JJ)=DURN(JJ)/NCYCLE
    ELSE
        NPERD(JJ)=DURN(JJ)/NCYCLE+1
    ENDIF
1615 CONTINUE

C
CASH=0.0
TIAF=0.00
TIBA=0.00
TRETEN=0.00
FLAG2=1
DO 1510 I=1,MXPERD+1

C
C---INITIAL PERIOD
C
IF (I.EQ.1) THEN
    CASH=CAPITAL+TPINIT SDISBUR(I)
    CALL INTRT(I,CASH,POWER,ALPHA,BETA,TIAF,TIBA,TRETEN,FLAG2)
    WRITE(*,1950) I,CASH
1950 FORMAT(1X,'PERIOD',13,2X,'CASH',F10.2)
    GO TO 1510
ENDIF

C
C--- AFTER LAST PERIOD

```

```

C
      IF (I.EQ.MXPERD+1) THEN
        CASH=CASH+DUMPAY(I-1)+TRETEN
        DO 1520 JJ=1,NKEYEN
          IF (NPERD(JJ).LT.I) CASH=CASH-PENALTY(JJ)*CUM(JJ,I)
1520      CONTINUE
        CTERM=CASH
        WRITE(*,1991) CASH
        WRITE(3,1991) CASH
1991      FORMAT(25X,'TERMINAL CASH POSITION =',F10.3)
        GO TO 1510
      END IF

C
C---ALL PERIODS BETWEEN BEGINNING AND END
C
      RETEN=DUMPAY(I-1)*RATE
      TRETEN=TRETEN+RETEN
      CASH=CASH+DUMPAY(I-1)*(1-RATE)-SDISBUR(I)
      DO 1530 JJ=1,NKEYEN
        IF (NPERD(JJ).LT.I) CASH=CASH-PENALTY(JJ)*CUM(JJ,I)
1530      CONTINUE
      CALL INTRT(I,CASH,POWER,ALPHA,BETA,TIAF,TIBA,TRETEN,FLAG2)
      WRITE(*,1980) TRETEN,RETEN
1980      FORMAT(/15X,'CUMULATIVE RETENTION =',F10.3,3X,'RETENTION=',
*          F9.3/)
      WRITE(*,1951) I,CASH
1951      FORMAT(1X,'PERIOD',I3,2X,'CASH =',F10.2)

C
C -----
C
1510      CONTINUE
      PROFIT=(CASH-CAPITAL)/RMEAN(11)

C
      WRITE(*,1901)
      WRITE(3,1901)
1901      FORMAT(/5X,'-----BID PACKAGE-----',/)
      WRITE(*,1902) COST(11)
      WRITE(3,1902) COST(11)
1902      FORMAT(1X,F10.2,'RECEIVED AT PROJECT START')
      DO 1910 I=1,NKEYEN
        WRITE(*,1911) IKEY(I),COST(I),DURN(I),PENALTY(I)
        WRITE(3,1911) IKEY(I),COST(I),DURN(I),PENALTY(I)
1910      CONTINUE
      WRITE(*,1912) IKEY(1),EVENT,15,/,
      WRITE(3,1912) IKEY(1),EVENT,15,/,
      WRITE(*,1913) IKEY(1),LEVEL,15,/,
      WRITE(3,1913) IKEY(1),LEVEL,15,/,
      WRITE(*,1914) IKEY(1),DATE,15,/,
      WRITE(3,1914) IKEY(1),DATE,15,/,
      WRITE(*,1915) IKEY(1),PENALTY,15,/,
      WRITE(3,1915) IKEY(1),PENALTY,15,/,
      WRITE(*,1916) PROFIT
      WRITE(3,1916) PROFIT
      WRITE(*,1917) RMEAN(11)
      WRITE(3,1917) RMEAN(11)
      WRITE(*,1918) CUM(1,NKEYEN)
      WRITE(3,1918) CUM(1,NKEYEN)

```

```

1903  FORMAT(/10X,'EXPECTED      PROJECT    COST    = ',F12.2,/)
      WRITE(*,1904)
      WRITE(3,1904)
1904  FORMAT(/2X,'UNDER      THE CONSTRAINTS:  ')
      WRITE(*,1905)      CAPITAL
      WRITE(3,1905)      CAPITAL
1905  FORMAT(/8X,'INITIAL      CAPITAL    =',F10.2)
      WRITE(*,1906)      ALPHA
      WRITE(*,1907)      BETA
      WRITE(*,1908)      RATE
      WRITE(3,1906)      ALPHA
      WRITE(3,1907)      BETA
      WRITE(3,1908)      RATE
1906  FORMAT(/8X,'INTEREST      RATE    ON    MONEY    DEPOSIT    =',F6.4,'%')
1907  FORMAT(/8X,'INTEREST      RATE    ON    MONEY    BORROWT    =',F6.4,'%')
1908  FORMAT(/8X,'RETENTION      RATE    = ',F6.4,'%')
      RETURN
      END

```

```

C-----
C
C  SUBROUTINE      P W R I T E
C
C  THIS SUBROUTINE  WRITES  THE PERCENTILES  TO THE SCREEN
C
C-----
C

```

```

      SUBROUTINE      PWRITE
      COMMON/DCV/COST(11),DURN(10),STPERC,PENALTY(10),PERENT(22,2)
      COMMON/CFMV/SDISBUR(100),PAY(10,100),RMEAN(11),RPNIT,MKPERC,NKEYEN
      *,IKEY(10),TPAY(100),DMEAN(10),DF(22,102),LL(22),NRR(22),NCF(15,2)
      *,WIDTH(22),DSTD(10),RSTD(11),CDF(2,102),CORR(11),BHAT(11)
      *,BHAT1(11),FRACN(10)

```

```

C
      WRITE(*,878)
1878  FORMAT(5X,'ENTER      NUMBER    OF KEY EVENT    ENTER    FOR 1 TO 10
      READ(*,*)      NKEY
      IF (NKEY.EQ.0)      GO TO 885
      IF (NKEY.LT.IKEY(1).OR.NKEY.GT.IKEY(10))      THEN
          WRITE(*,*)      'OUT OF RANGE      RETURN      TO MAIN
          RETURN
      ENDIF

```

```

C
      DO 231  I=1,NKEYEN
          IF (IKF(1).EQ.NKEY)      NNN=I
231  CONTINUE

```

```

C
1885  IF (NKEY.EQ.0)      THEN
      WRITE(*,887)
      WRITE(*,888)
  ELSE
      WRITE(*,886)      IKEY(NNN)
      WRITE(*,889)
      WRITE(*,890)

```



```

      ENDIF
886  FORMAT(20X,'KEY      EVENT   ---',13)
889  FORMAT(15X,'DURATION',20X,'COST',/)
890  FORMAT(5X,'PERCENTILE      VALUE      PERCENTILE      VALUE')
887  FORMAT(20X,'TOTAL      COST')
888  FORMAT(15X,'      PERCENTILE      VALUE')

```

C

```

      DO 891 I=1,20
        RIP=1*5/100.
        IF (NKEY.EQ.0) THEN
          IF (I.EQ.11) THEN
            WRITE(*,*) 'Hit Return for more.'
            READ(*,893) SFLAG
          ENDIF
          WRITE(*,894) RIP,PERCENT(22,I)
          GOTO 891
        ENDIF
        IF (I.EQ.11) THEN
          WRITE(*,*) 'Hit Return for more.'
          READ(*,893) SFLAG
        ENDIF
        WRITE(*,895) RIP,PERCENT(11,I),RIP,PERCENT(11,I)
      CONTINUE
      PAUSE
      FORMAT(11X,' ')
      FORMAT(11X,' ')
      FORMAT(11X,' ')

```

```

      END

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

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      WRITE(*,*) ' '

```

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      WRITE(*,*) ' '

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      WRITE(*,*) ' '

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      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

      WRITE(*,*) ' '

```

```

&10X,'3.      EXPECTED  "OUTFLOW"  vs.  TOTAL  "INFLOW"',/,
&10X,'4.      --RETURN  TO MAIN  MENU--',/,
&10X,'5.      CASH  FLOW  INFORMATION',/,
&10X,'6.      EXIT  PROGRAM',/)
      READ(*,*)  NV
      IF (NV.EQ.6)  STOP
      IF (NV.LT.1.OR.NV.GT.5)  THEN
        WRITE(*,*)  'VALUE  OUT  OF  RANGE'
        WRITE(*,*)  '---RETURN  TO MAIN---'
        RETURN
      ENDIF
C
      IF (NV.EQ.4)  RETURN
C
      IF (NV.EQ.5)  THEN
        CALL  CFHELP
        GOTO  222
      ENDIF
C
      IF (NV.EQ.2)  THEN
        WRITE(*,*)  'DUE  TO  WHICH  KEY  EVENT?  (0  IF  TOTAL  "INFLOW")'
        READ(*,*)  NKEY
        IF (NKEY.EQ.0)  GOTO  240
        IF (NKEY.LT.IKEY(1).OR.NKEY.GT.IKEY(NKEYEN))  THEN
          WRITE(*,*)  'OUT  OF  RANGE  ---  RETURN  TO MAIN'
          RETURN
        ENDIF
        DO  230  I=1,NKEYEN
          IF (IKEY(I).EQ.NKEY)  NNN=I
        230  CONTINUE
        ENDIF
C
        240  IF (NV.EQ.1.OR.NV.EQ.2)  THEN
C
          WRITE(*,290)
        290  FORMAT('///12X,"PERIOD'  FLOW',//')
          JI=0
          IF (NV.EQ.2.AND.NKEY.EQ.0)  WRITE(*,292)  JI,PINIT
        292  FORMAT(10X,15,8X,F12.2)
          DO  210  I=1,MXPERD
            IF (MOD(I,15).EQ.0)  THEN
              WRITE(*,*)  'Hit  Return  for  more.'
              READ(*,295)  NCHAR
            ENDIF
            IF (NV.EQ.1)  WRITE(*,291)  I,SDISBJR(I)
            IF (NV.EQ.2.AND.NKEY.NE.0)  WRITE(*,291)  I,PAY(NNN,I)
            IF (NV.EQ.2.AND.NKEY.EQ.0)  WRITE(*,291)  I,TPAY(I)
        210  CONTINUE
        291  FORMAT(10X,15,8X,F12.2)
          ELSE  IF (NV.EQ.3)  THEN
            WRITE(*,293)

```

```

250  FORMAT(///12X,'PERIOD           "OUTFLOW"           "INFLOW"',/)
      JI=0
      WRITE(*,251)      JI,PINIT
251  FORMAT(12X,14,20X,F11.2)
      DO 255  I=1,MXPERD
          IF (MOD(I,15).EQ.0)      THEN
              WRITE(*,*)      'Hit Return for more.'
              READ(*,295)      NCHAR
          ENDIF
              WRITE(*,260)      I,SDISBUR(I),TPAY(I)
260  FORMAT(12X,14,6X,F11.2,3X,F11.2)
255  CONTINUE
      ENDIF
C
      PAUSE
      GOTO 222
295  FORMAT(A1)
299  FORMAT(25(/))
C
      RETURN
      END
C-----

```

END

3-87

DTIC